Searching for axion Dark Matter

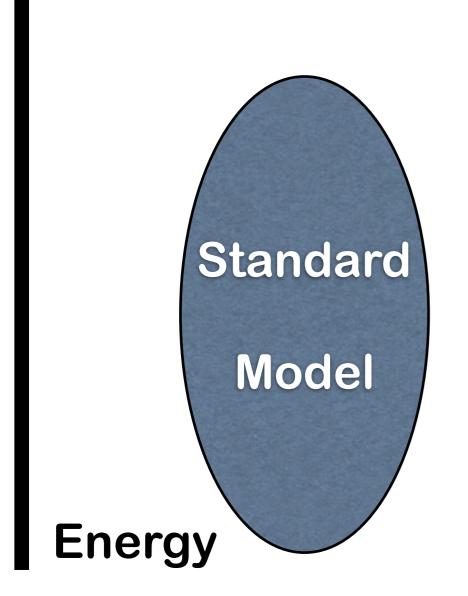
Jun 7th 2013, IPhT, Saclay

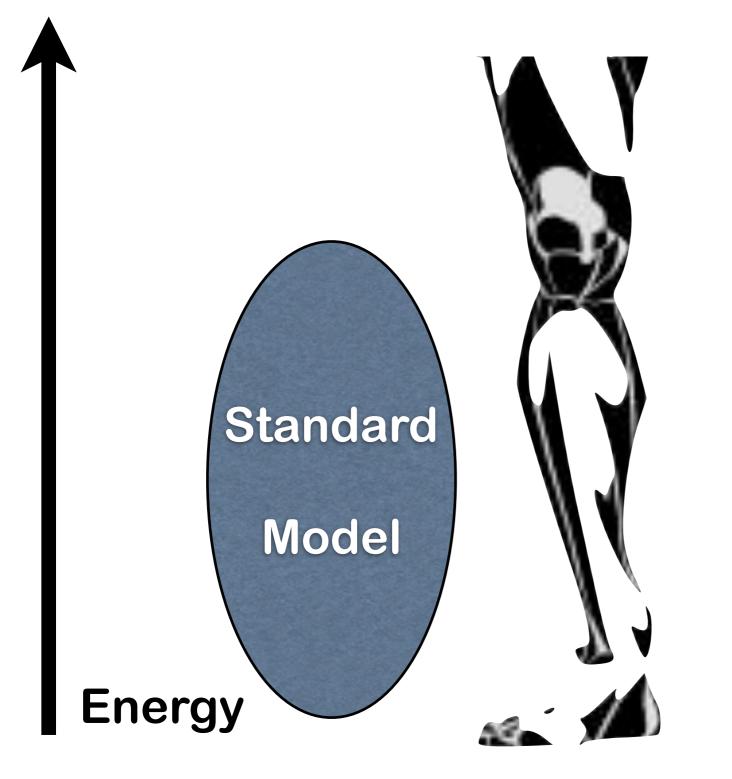
Javier Redondo (LMU, MPP Munich)

Sunday, June 9, 13

- Invitation: BSM at low energies and strong CP
- Axions and WISPs as dark matter
- Searching for axion dark matter

Describes extremely well fundamental physics (at low energies)





Describes extremely well fundamental physics (at low energies)

but feels certainly

INCOMPLETE

Beyond the SM

... at low energies

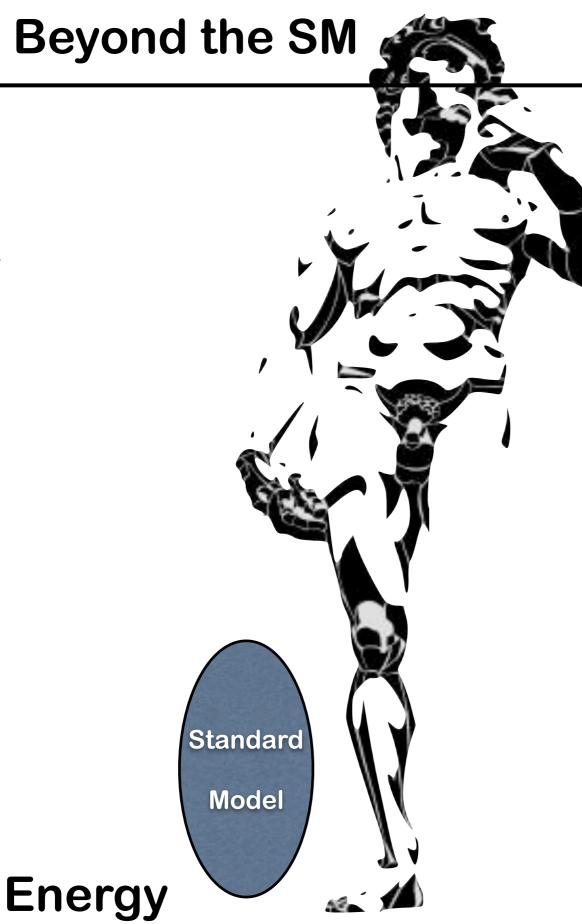
Answers are awaiting in the

high energy frontier

where more symmetric beautiful theories arise

Standard Model Energy





GAM (19)

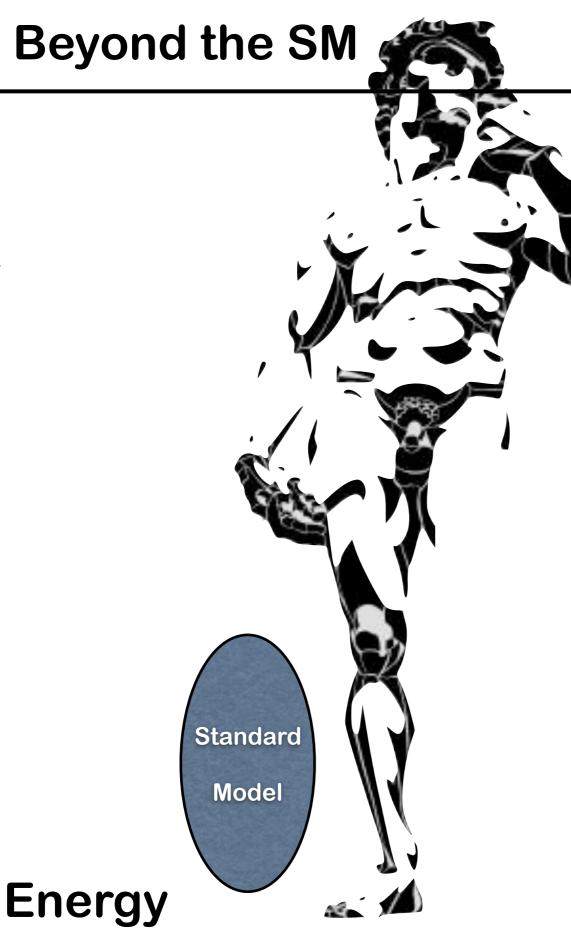
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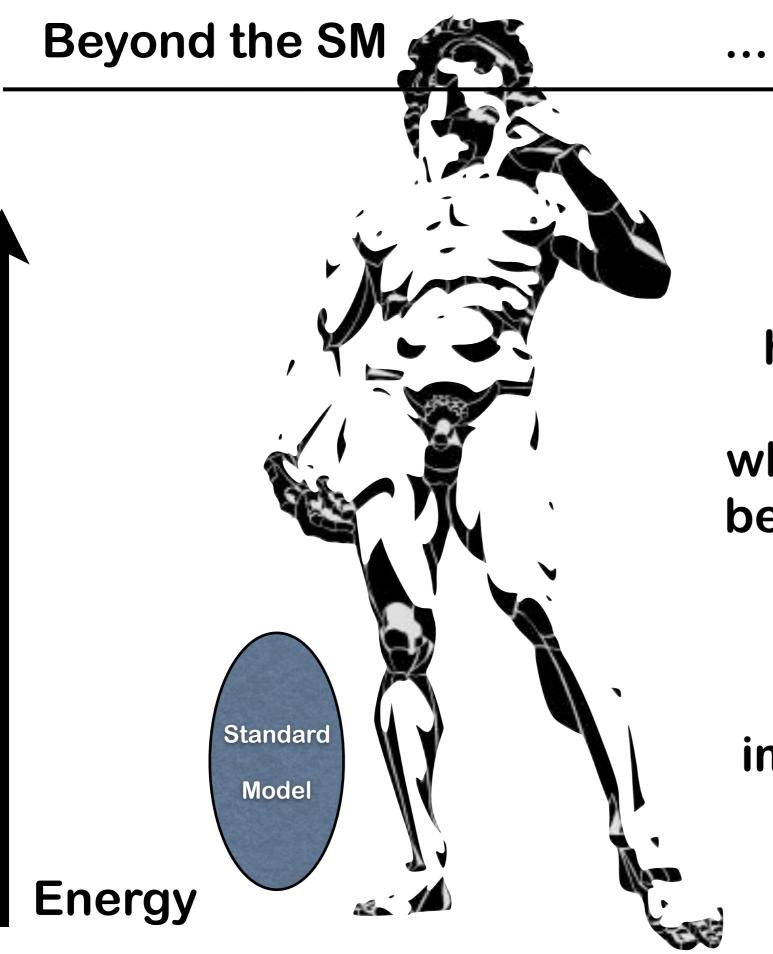


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CAMP (18

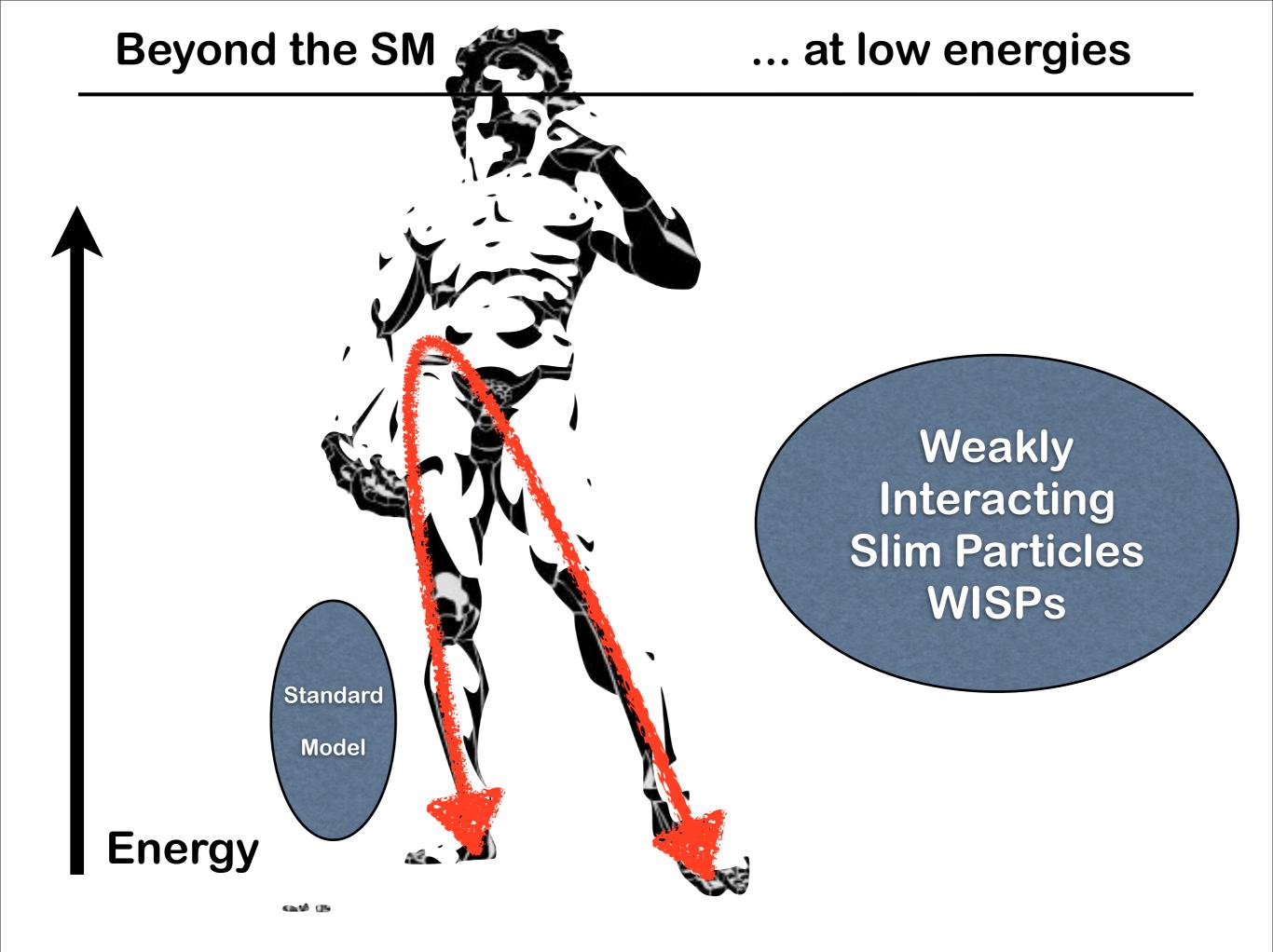
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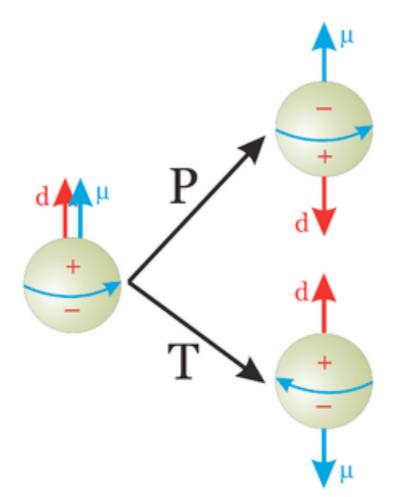
... and can imply physics at low energies



The paradigmatic example: Strong CP problem

$$\mathcal{L}_{\theta} = \frac{\alpha_s}{8\pi} \operatorname{tr} \left\{ G_a^{\mu\nu} \widetilde{G}_{a\mu\nu} \right\} \theta$$

neutron EDM



Violates P and T

$$\theta_{\text{QCD}} \in (-\pi, \pi)$$

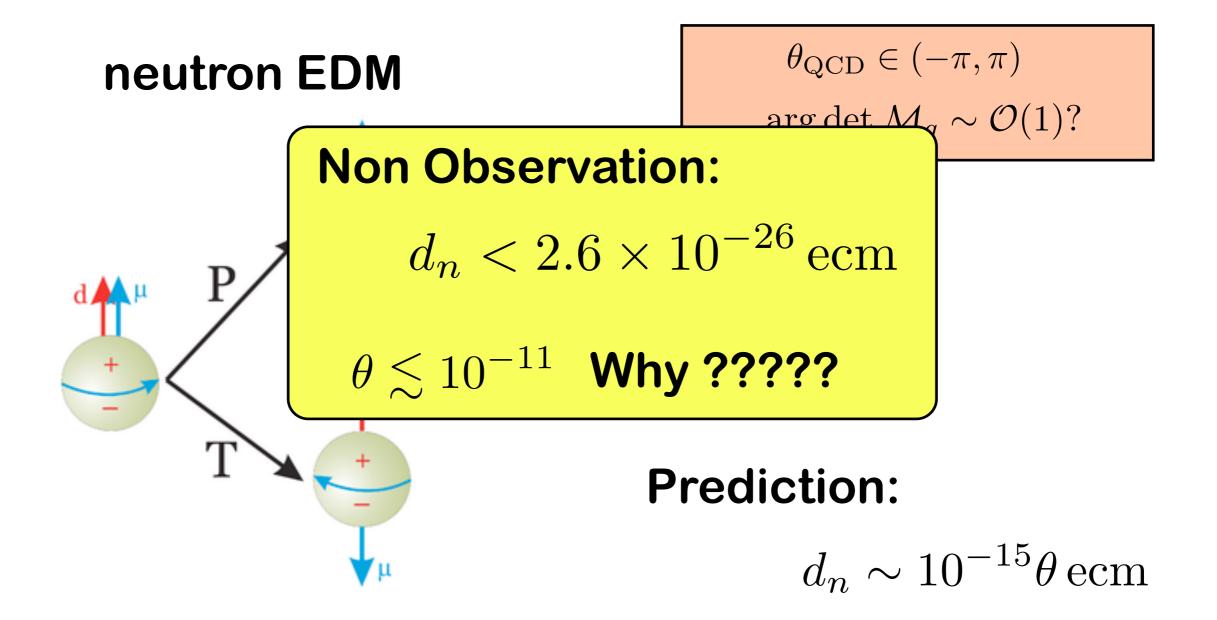
arg det $\mathcal{M}_q \sim \mathcal{O}(1)$?

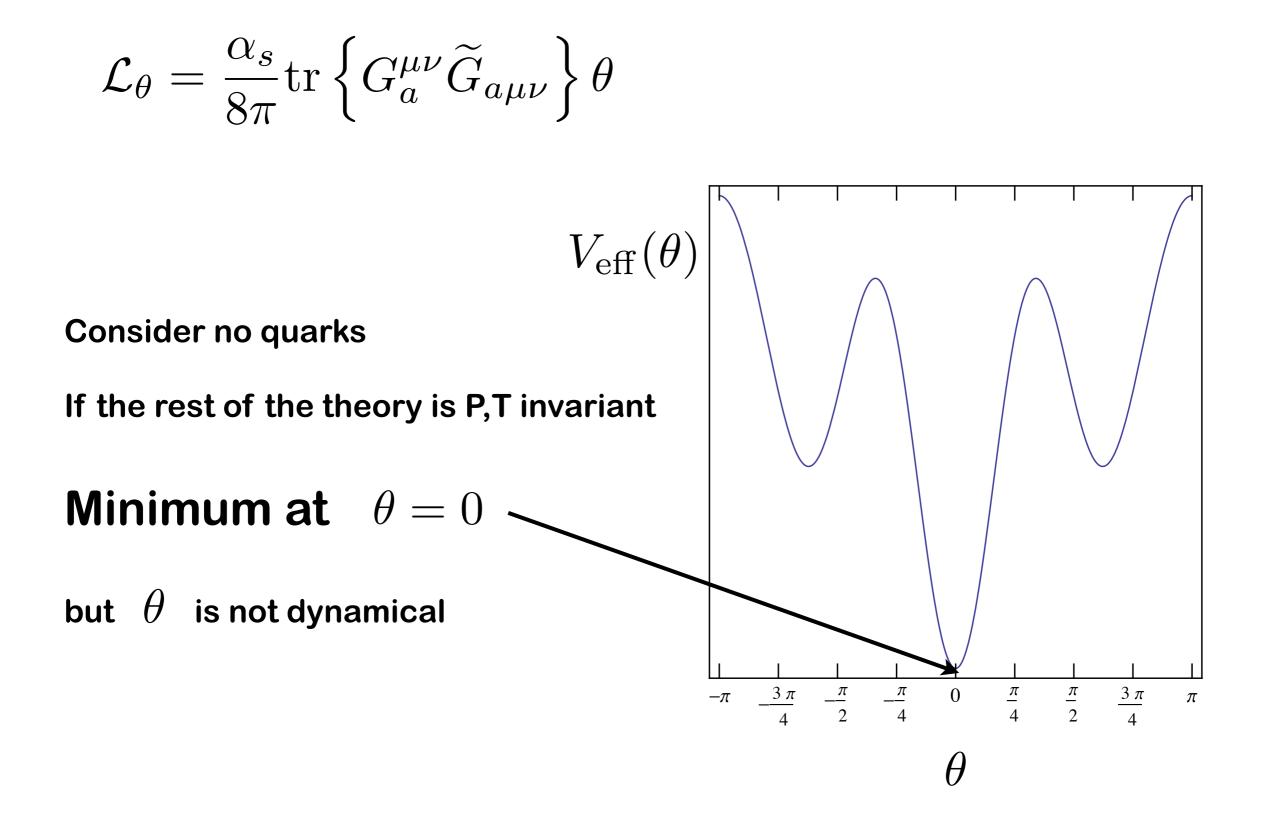
Prediction:

$$d_n \sim 10^{-15} \theta \,\mathrm{ecm}$$

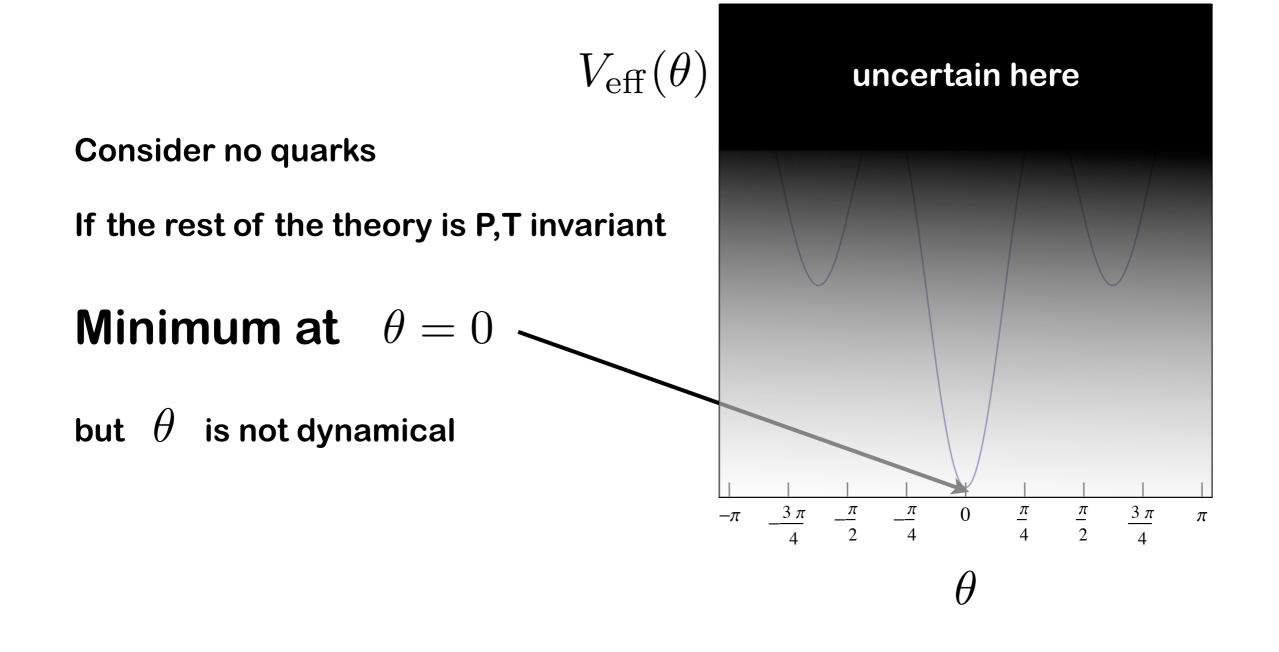


Violates P and T

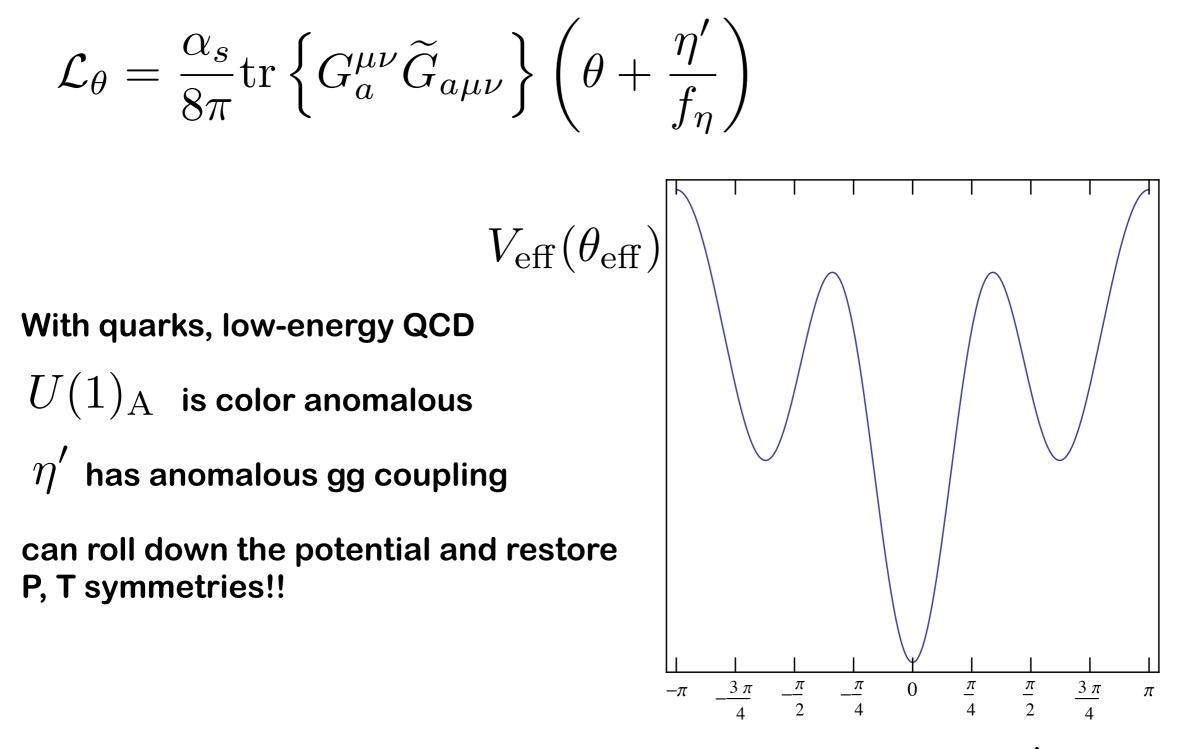




$$\mathcal{L}_{\theta} = \frac{\alpha_s}{8\pi} \operatorname{tr} \left\{ G_a^{\mu\nu} \widetilde{G}_{a\mu\nu} \right\} \theta$$

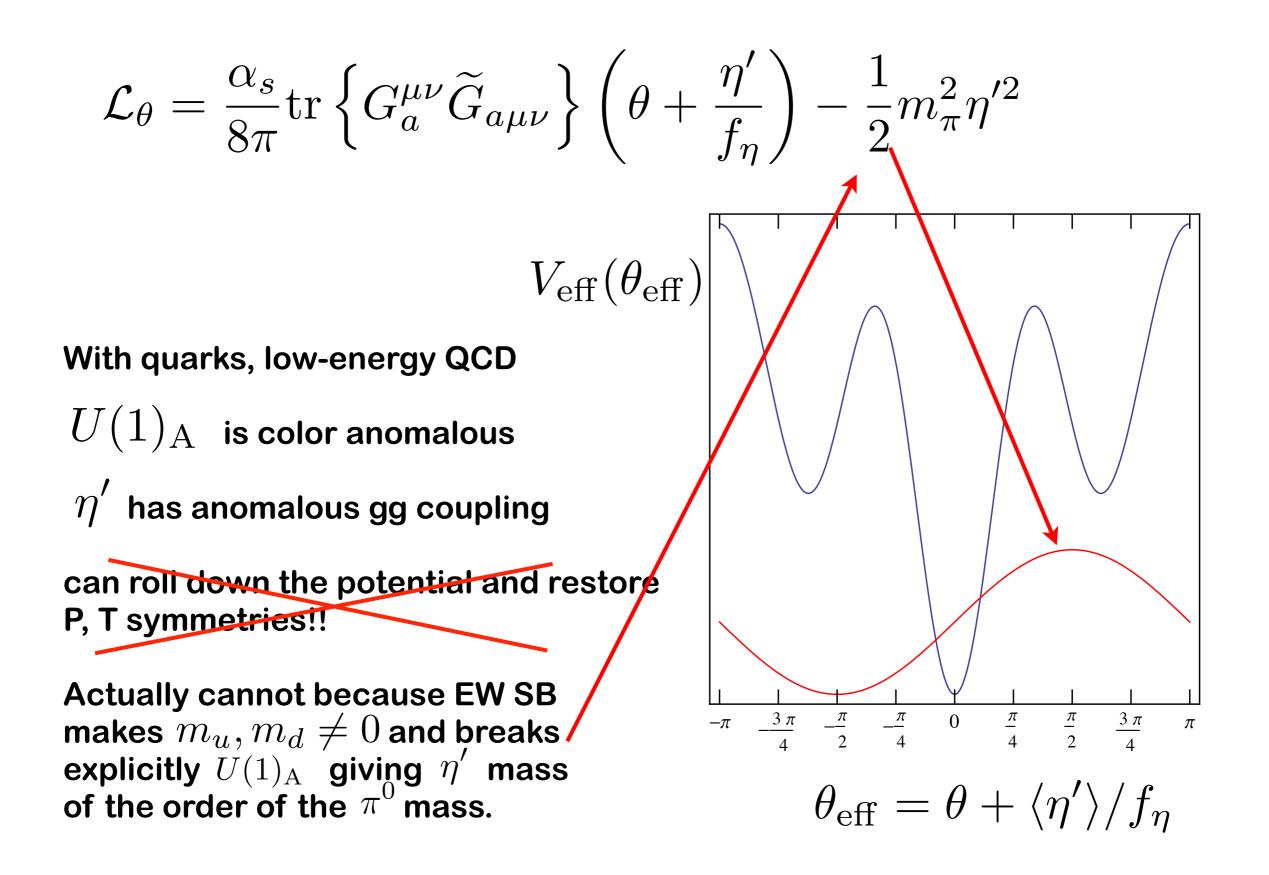


The Strong CP problem: a hint

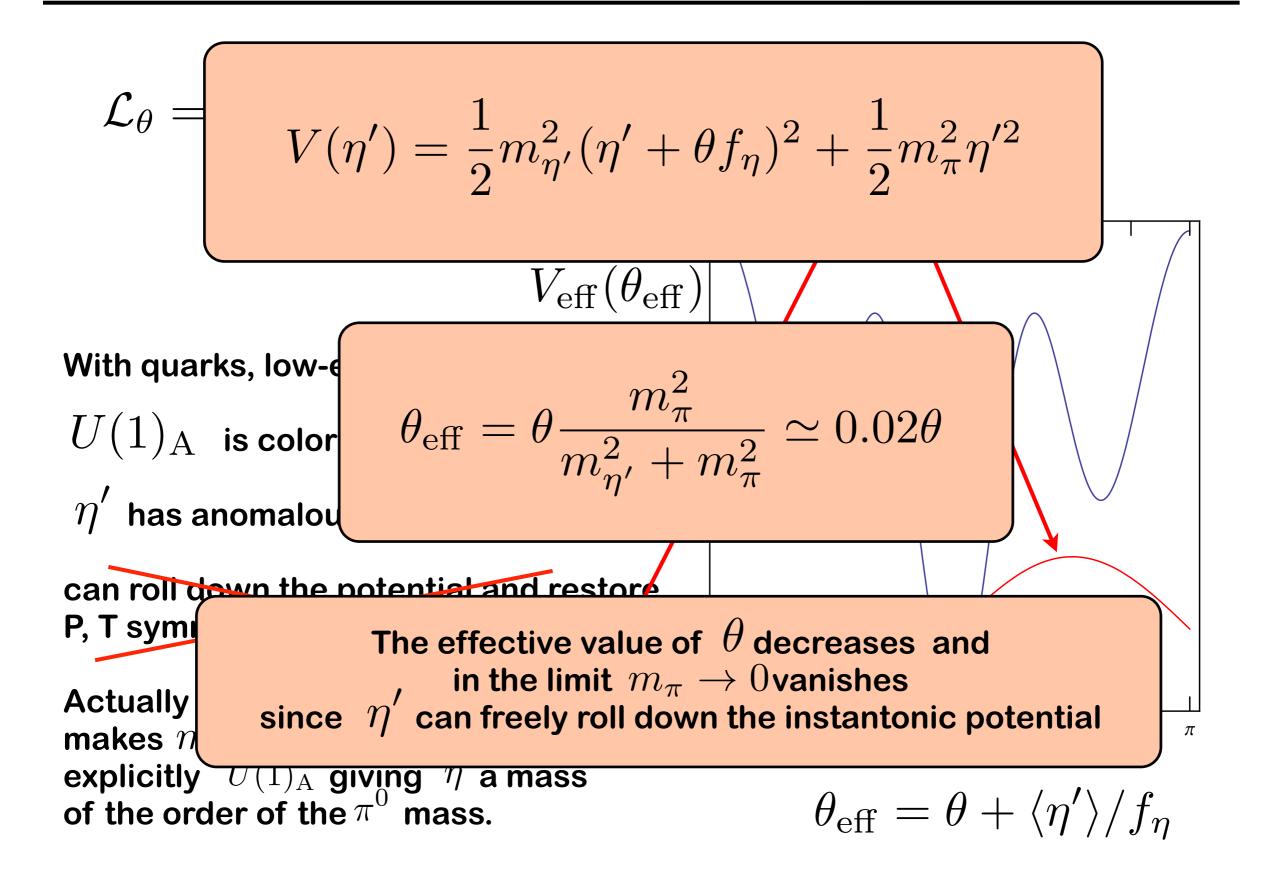


 $\theta_{\rm eff} = \theta + \langle \eta' \rangle / f_{\eta}$

The Strong CP problem: a hint



The Strong CP problem: a hint



Axion as a solution to the strong CP problem

$$\mathcal{L}_{\theta} = \frac{\alpha_{s}}{8\pi} \operatorname{tr} \left\{ G_{a}^{\mu\nu} \widetilde{G}_{a\mu\nu} \right\} \left(\theta + \frac{\eta'}{f_{\eta}} + \frac{\phi}{f_{a}} \right) - \frac{1}{2} m_{\pi}^{2} \eta'^{2}$$

$$V_{\text{eff}}(\theta_{\text{eff}})$$
Add a new field coupling to gg
Goldstone of ANOTHER $U(1)_{\text{A}}$
usually called Peccei-Quinn symmetry
$$\langle \eta' \rangle = 0$$

$$\langle \phi \rangle / f_{a} = -\theta$$

$$\theta_{\text{eff}} = 0!!!!!$$

$$\theta_{\text{eff}} = \theta + \langle \eta' \rangle / f_{\eta} + \langle \phi \rangle / f_{a}$$

Axion couplings/mass

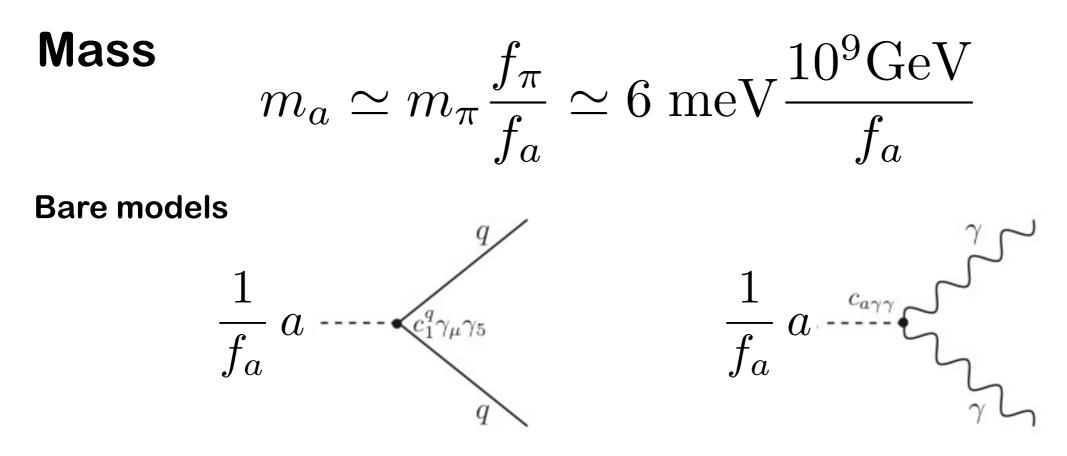
$$V(\eta') = \frac{1}{2}m_{\eta'}^2 \left(\eta' + \phi \frac{f_{\eta}}{f_a}\right)^2 + \frac{1}{2}m_{\pi}^2 \frac{f_{\pi}^2}{f_{\eta}^2} \eta'^2$$

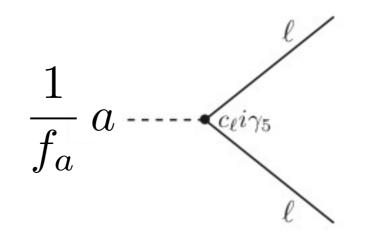
$$a = \phi - \eta' \frac{f_{\eta}}{f_a} \int m_a^2 \simeq m_{\pi}^2 \left(\frac{f_{\pi}}{f_a}\right)^2$$
the axion gets a calculable mass
$$m_a \simeq 6 \text{ meV} \frac{10^9 \text{ GeV}}{f_a}$$
And calculable mixings
with the neut. ps. mesons
$$\varphi_{a\eta'} \sim f_{\eta}/f_a$$

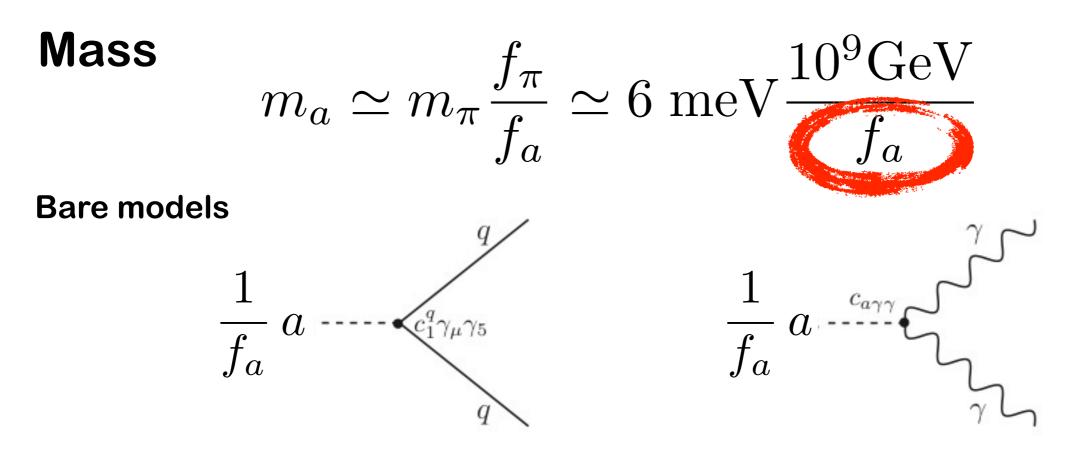
$$\varphi_{a\pi^0} \sim f_{\pi^0}/f_a$$

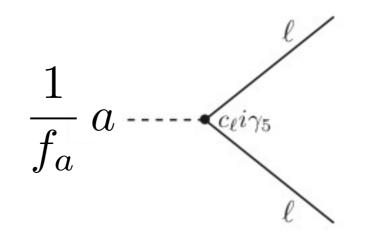
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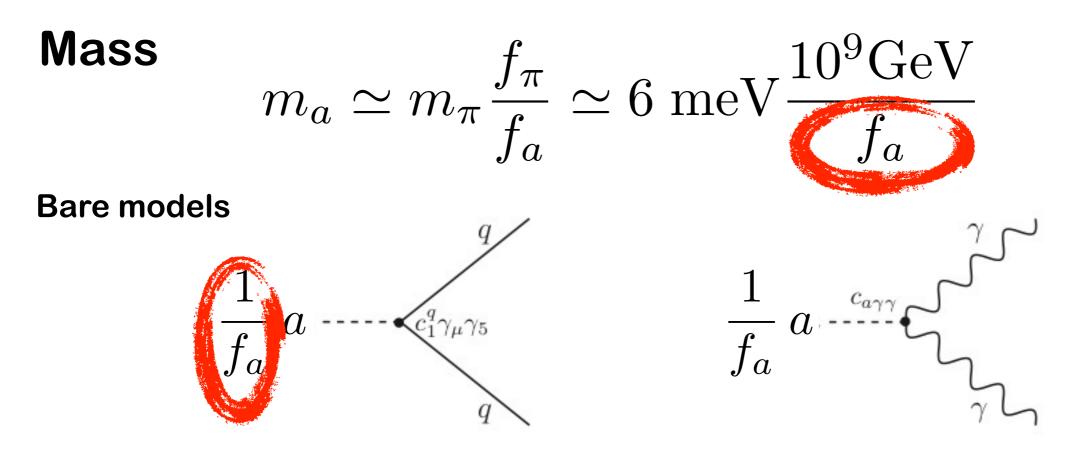
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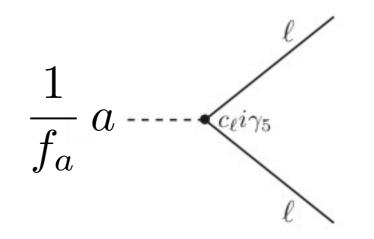


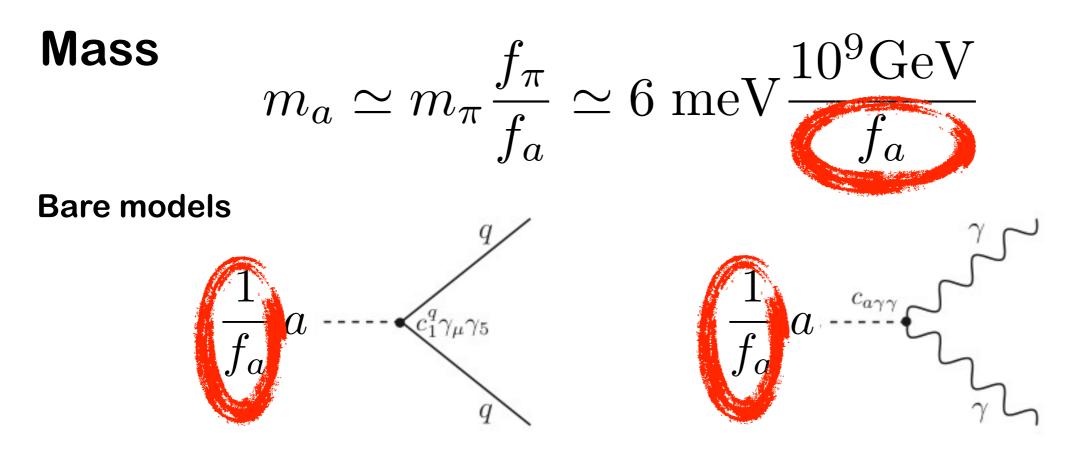


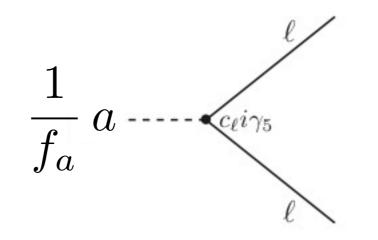


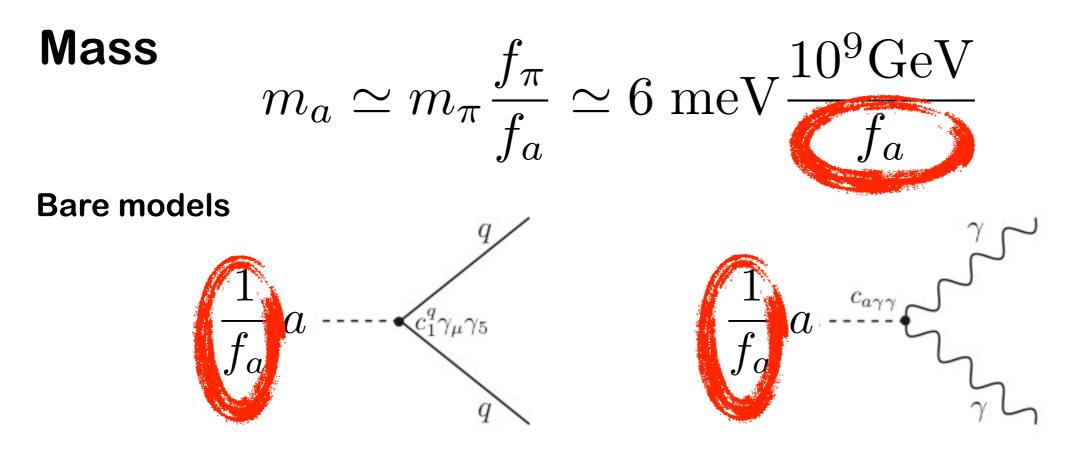


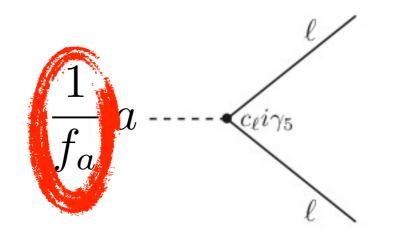


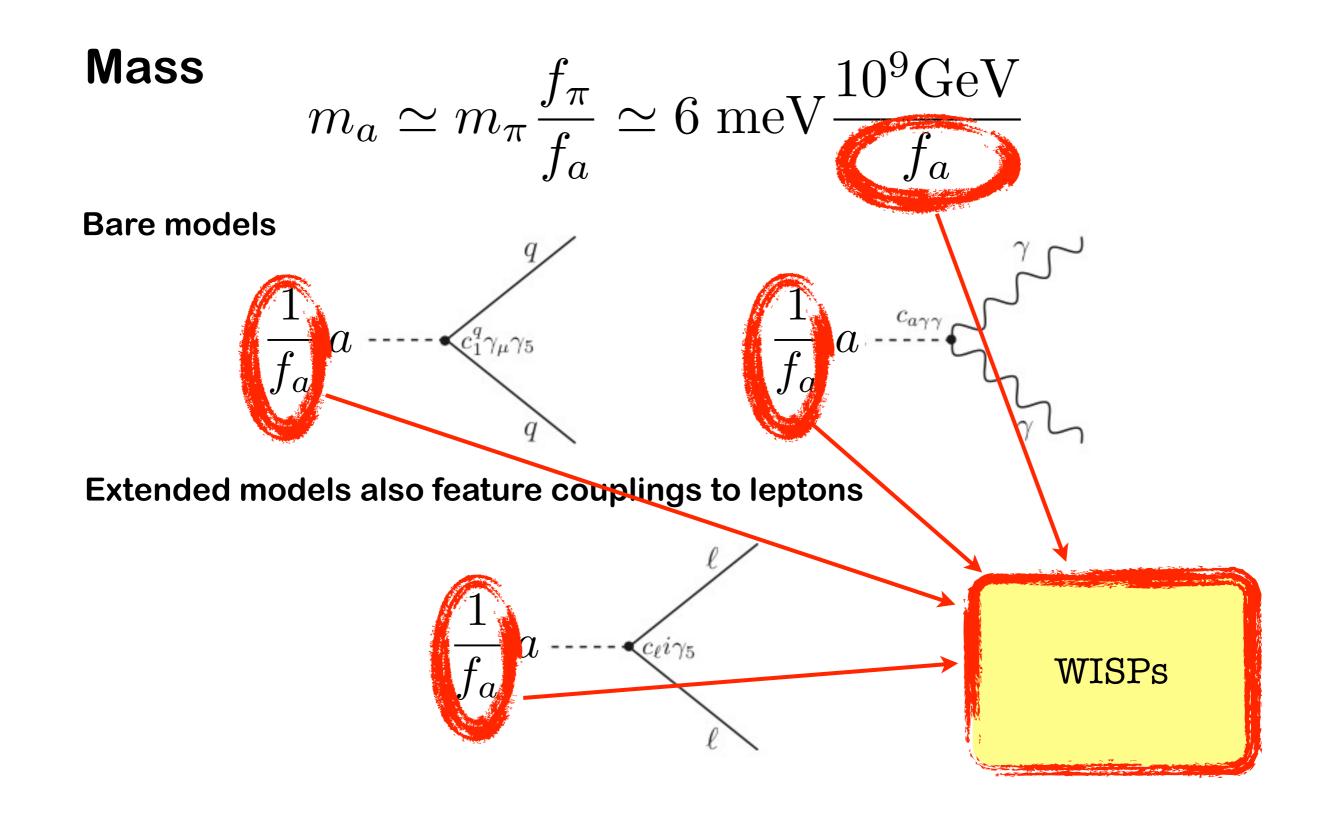






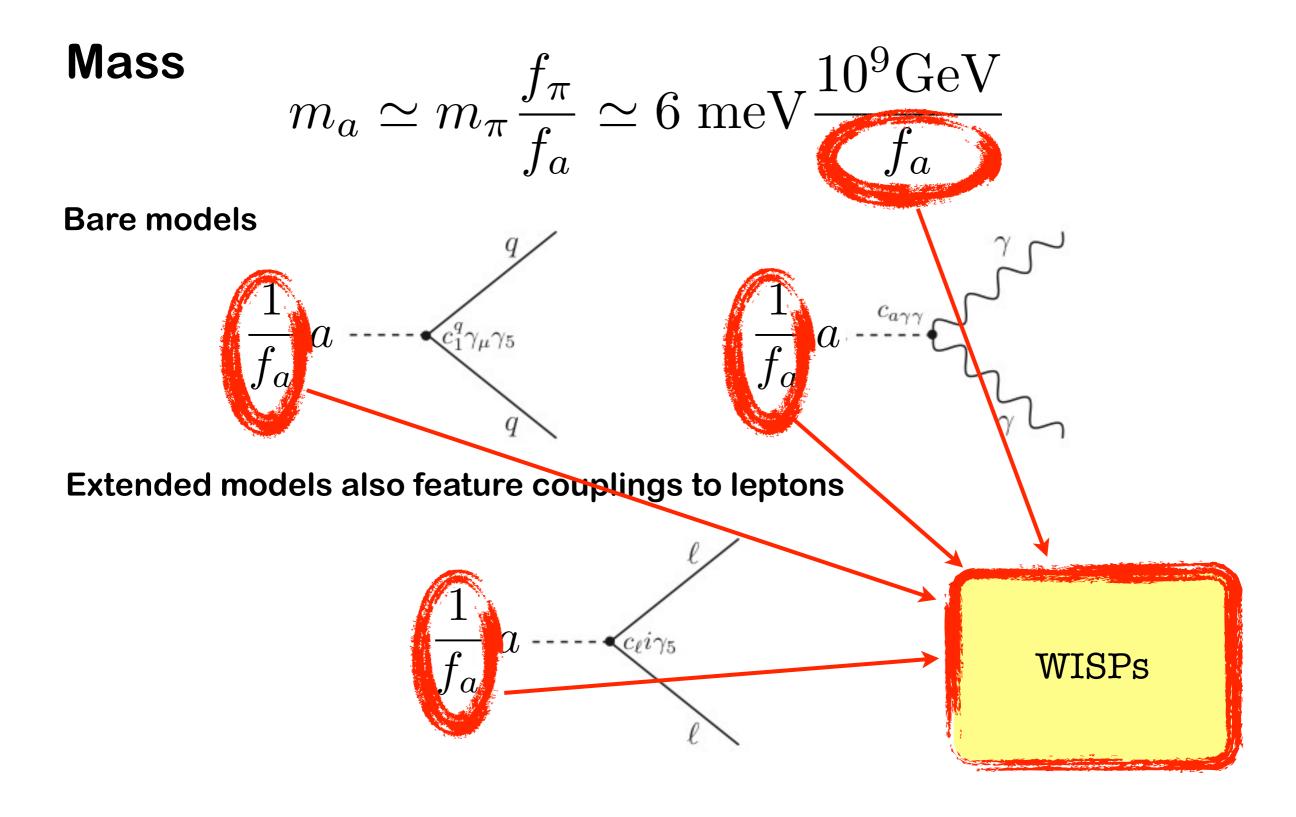






Axion mixes with QCD mesons and gets mass and couplings

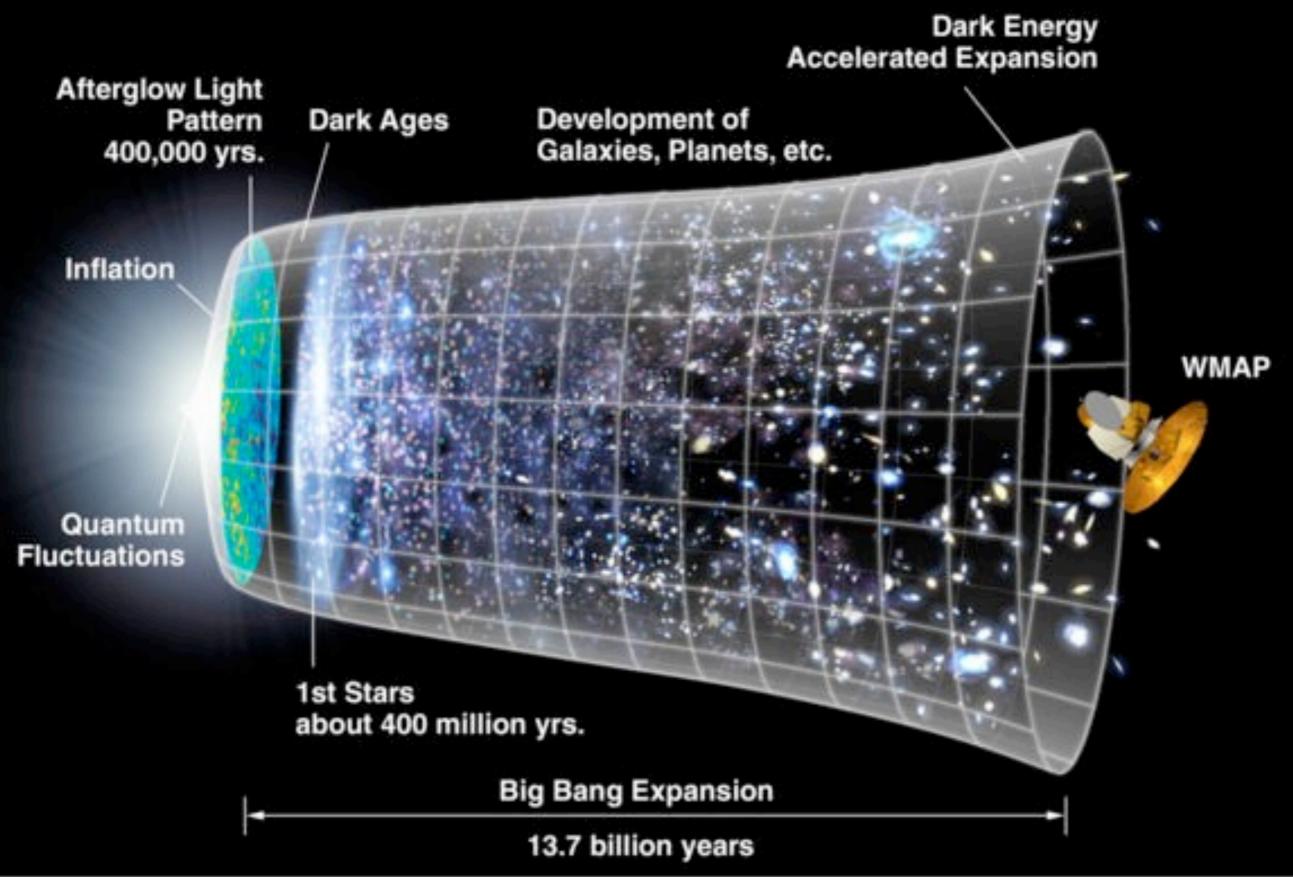
Typical from Nambu-Goldstone Bosons



Axion-like particles (ALPs)

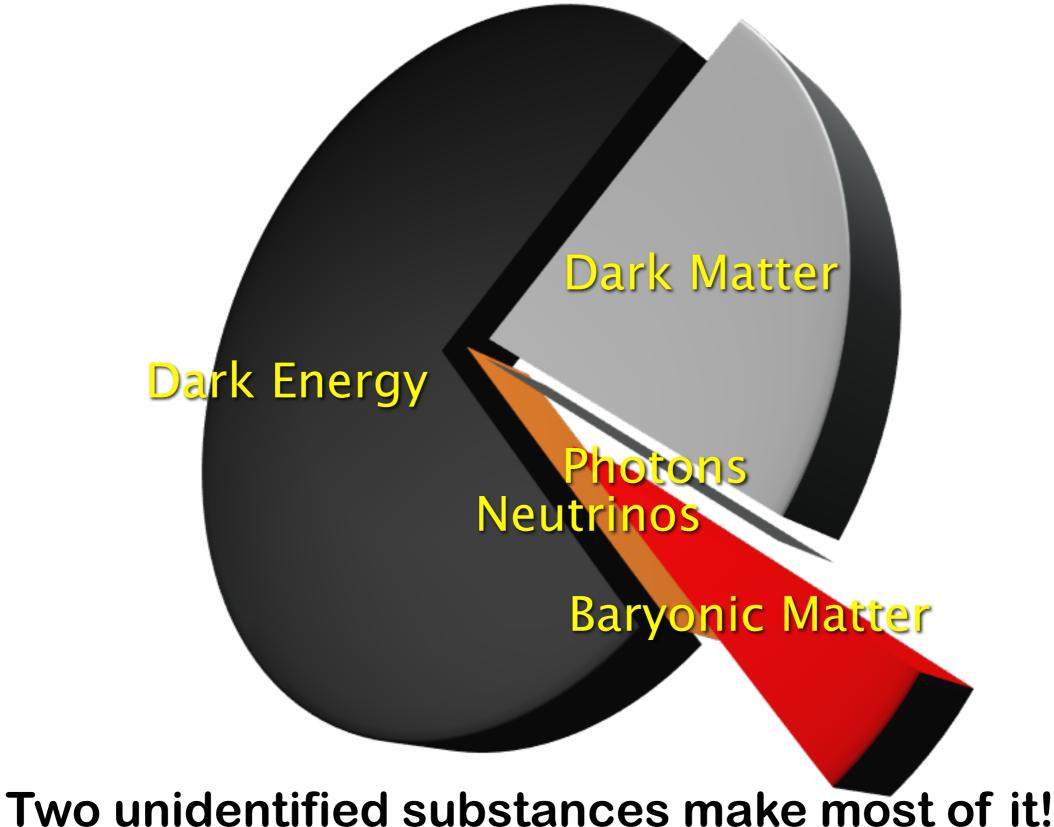
pseudo Goldstone bosons MAJORONS -V(0) Global continuous symmetry γ R-AXION FAMILONS spontaneously broken at high energy scale M String 'axions' DILATONS RADION Sizes and deformations of MODULI extra dimensions, Axiverse! gauge couplings $\operatorname{Re}(f(\Phi)) \int \sqrt{g} F_{\mu\nu} F^{\mu\nu} + \frac{i}{2} \operatorname{Im}(f(\Phi)) \int \epsilon^{\mu\nu\rho\sigma} F_{\mu\nu} F_{\rho\sigma}$ $\frac{1}{g^2} \int \sqrt{g} F_{\mu\nu} F^{\mu\nu} + i\theta \int \epsilon^{\mu\nu\rho\sigma} F_{\mu\nu} F_{\rho\sigma}$ Supersymmetry/supergravity EACH GAUGE GROUP HAS ITS OWN AXION

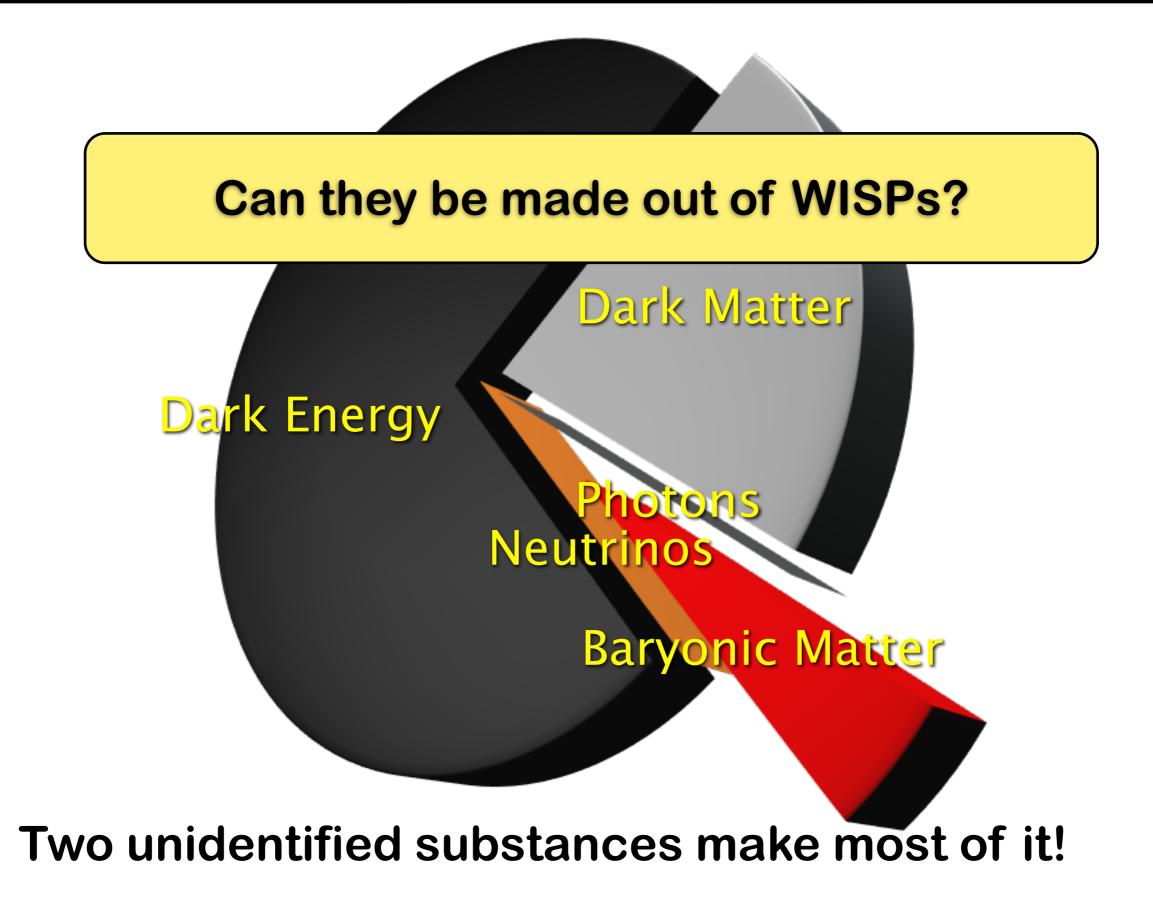
Cosmology

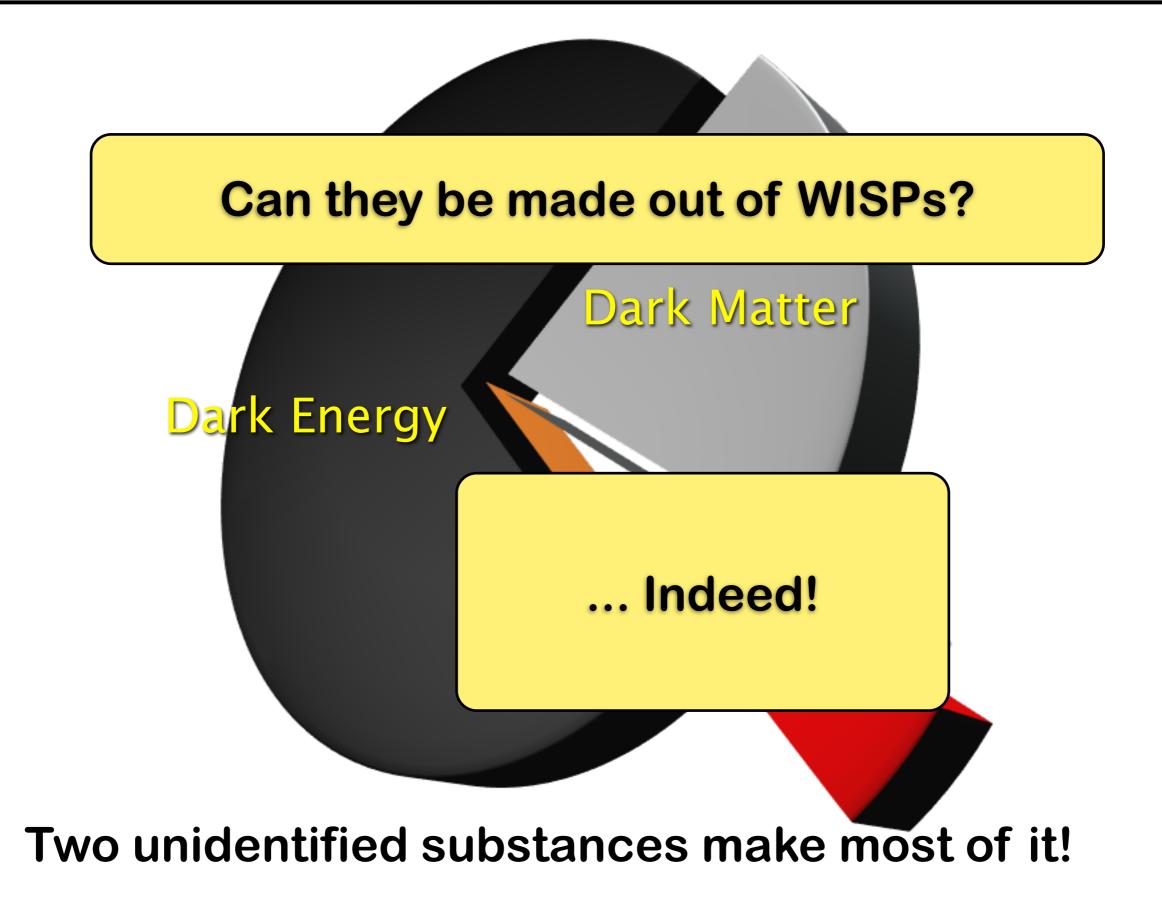


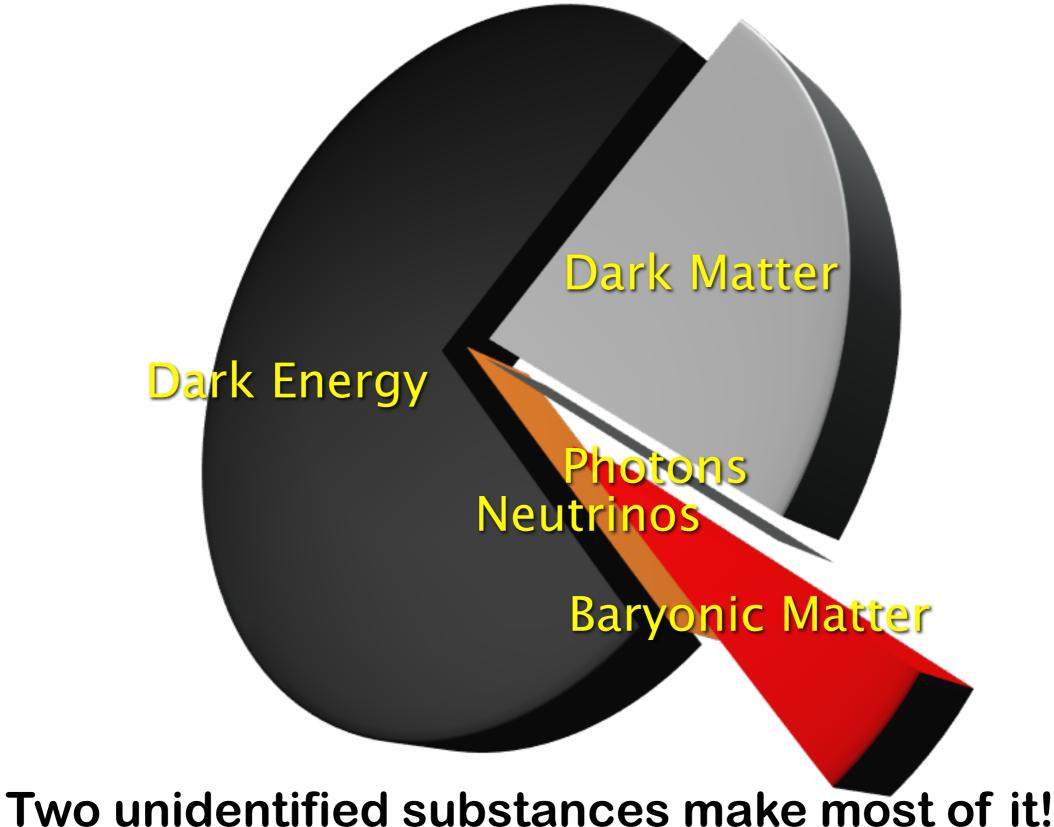
Sunday, June 9, 13

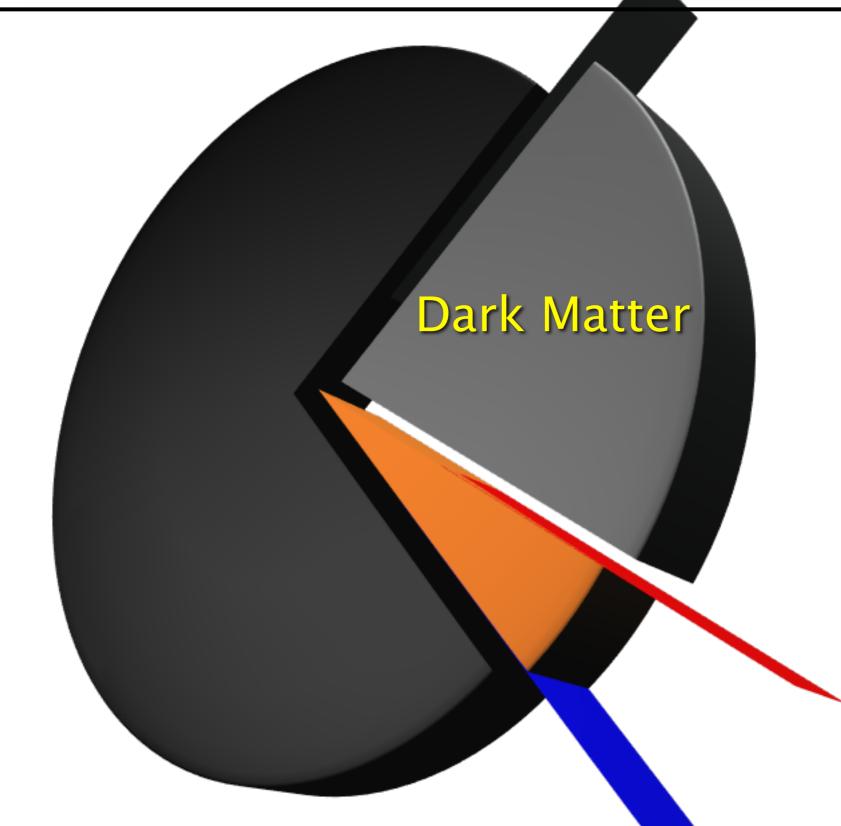
Two unidentified substances make most of it!











Two unidentified substances make most of it!



Two unidentified substances make most of it!

Sunday, June 9, 13

What do we know about Dark Matter particles?

Dark Matter

Basically only what the name suggests:

- Dark in the sense that they interact very weakly with SM particles.

(and among themselves)

- Matter in the sense that are <u>non-relativistic</u>

(most of them)

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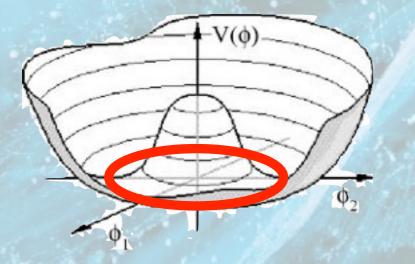
- Hot relics (velocities T/mass ~ 0.23 meV/mass)

 $v \sim \frac{T}{m}$

- WISPs don't thermalize -> initial conditions ?

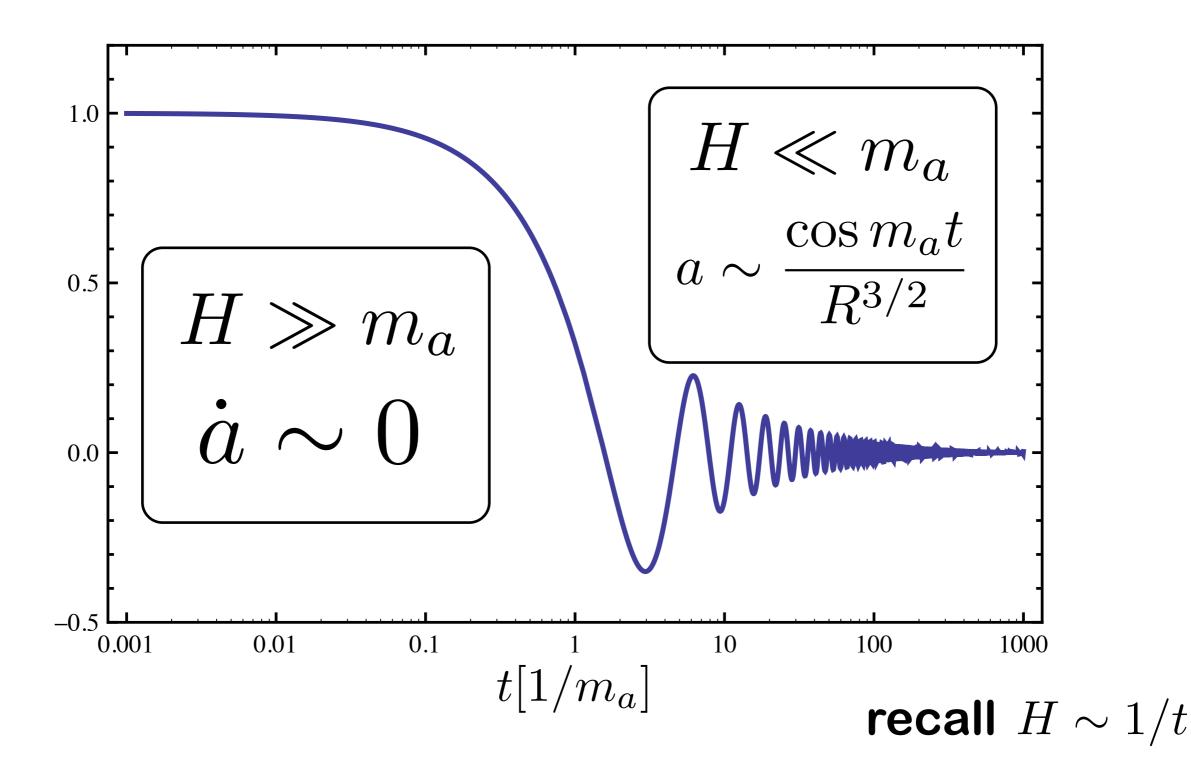
$$v \sim \frac{H}{m}$$
 $H = \frac{\dot{R}}{R} \sim \frac{T^2}{M_{\rm Pl}} \ll T$ (RD)

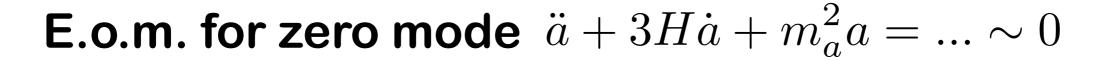
Let's understand it

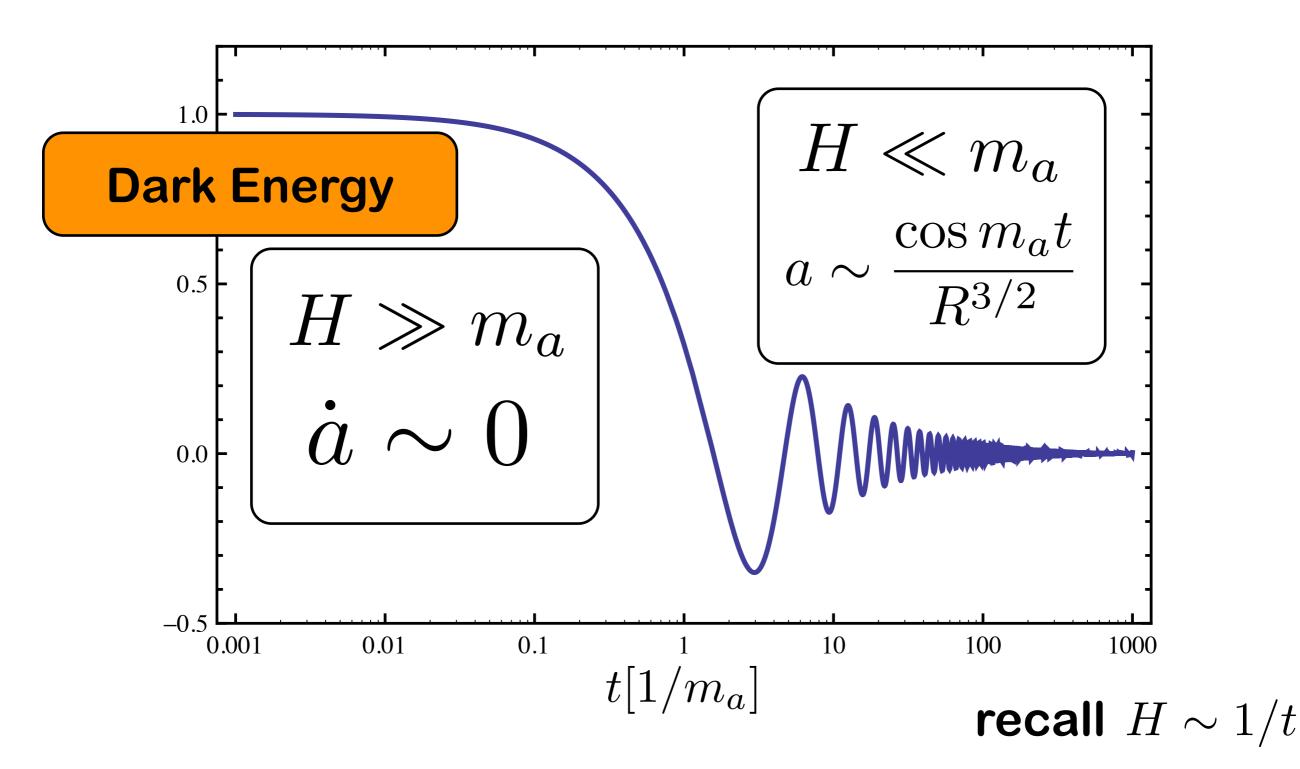


$$a \in \left(-\pi f_a, \pi f_a\right)$$
$$a(x) = \int \frac{d^3 \mathbf{k}}{(2\pi)^3} e^{i\mathbf{k}\cdot\mathbf{x}} a_k$$

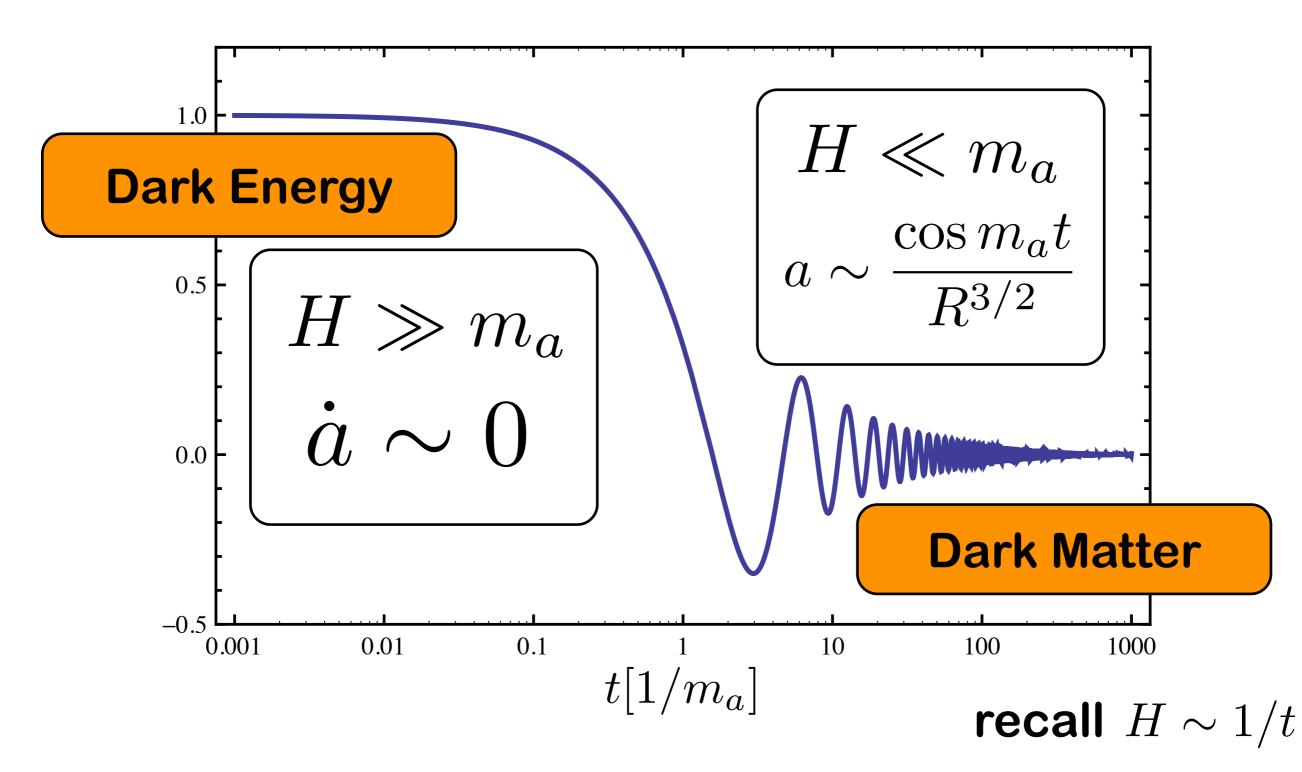
E.o.m. for zero mode $\ddot{a} + 3H\dot{a} + m_a^2 a = ... \sim 0$











$$\rho_a = \frac{1}{2} (\dot{a})^2 + \frac{1}{2} m_a^2 a^2 \longrightarrow N = \frac{\rho_a R^3}{m_a} = \text{ct.} = \frac{1}{2} m_a R_1^3 a_1^2$$
$$\rho_a(t_0) = m_a \frac{N}{R_0^3} = \frac{1}{2} m_a^2 a_1^2 \left(\frac{R_1}{R_0}\right)^3$$

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$$\left(\frac{R_1}{R_0}\right)^3 \sim \left(\frac{T_0}{T_1}\right)^3 \sim \left(\frac{T_0}{\sqrt{H_1 m_{\rm Pl}}}\right)^3 \sim \left(\frac{T_0}{\sqrt{M_a m_{\rm Pl}}}\right)^3 \propto m_a^{-3/2}$$

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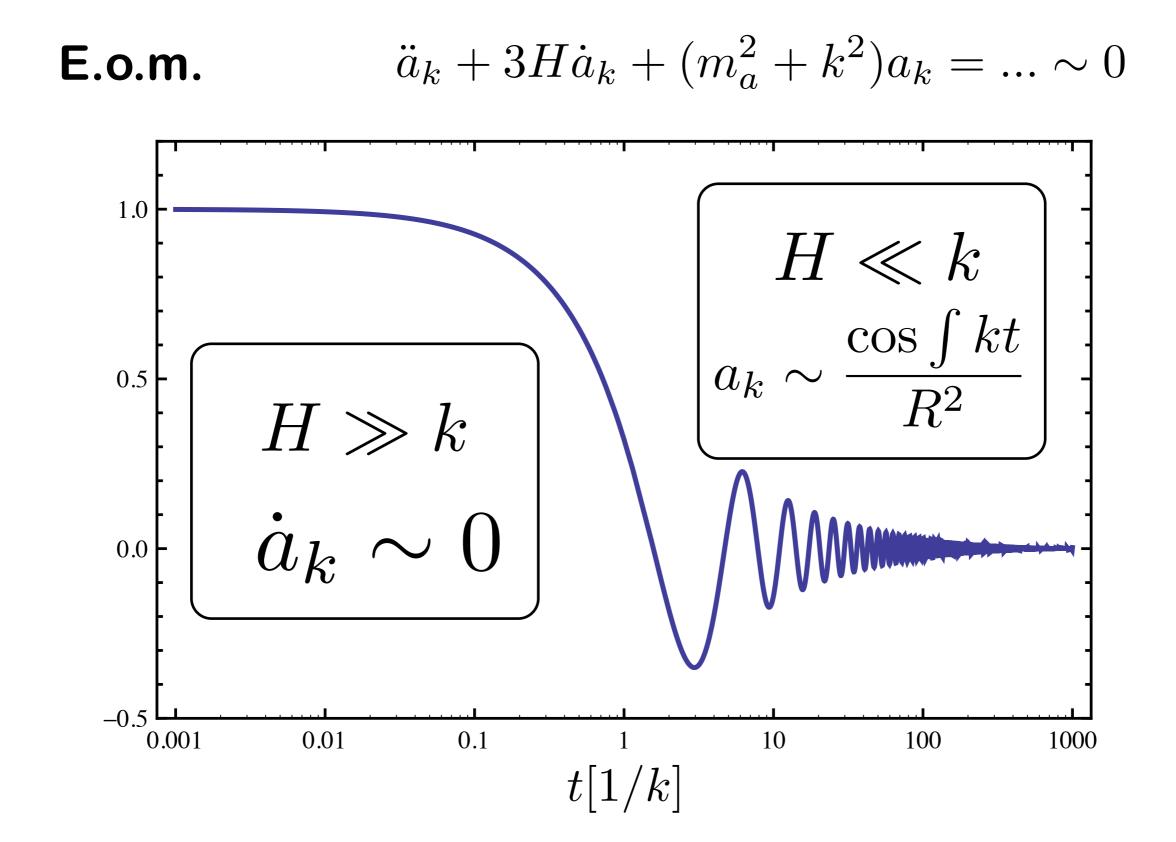
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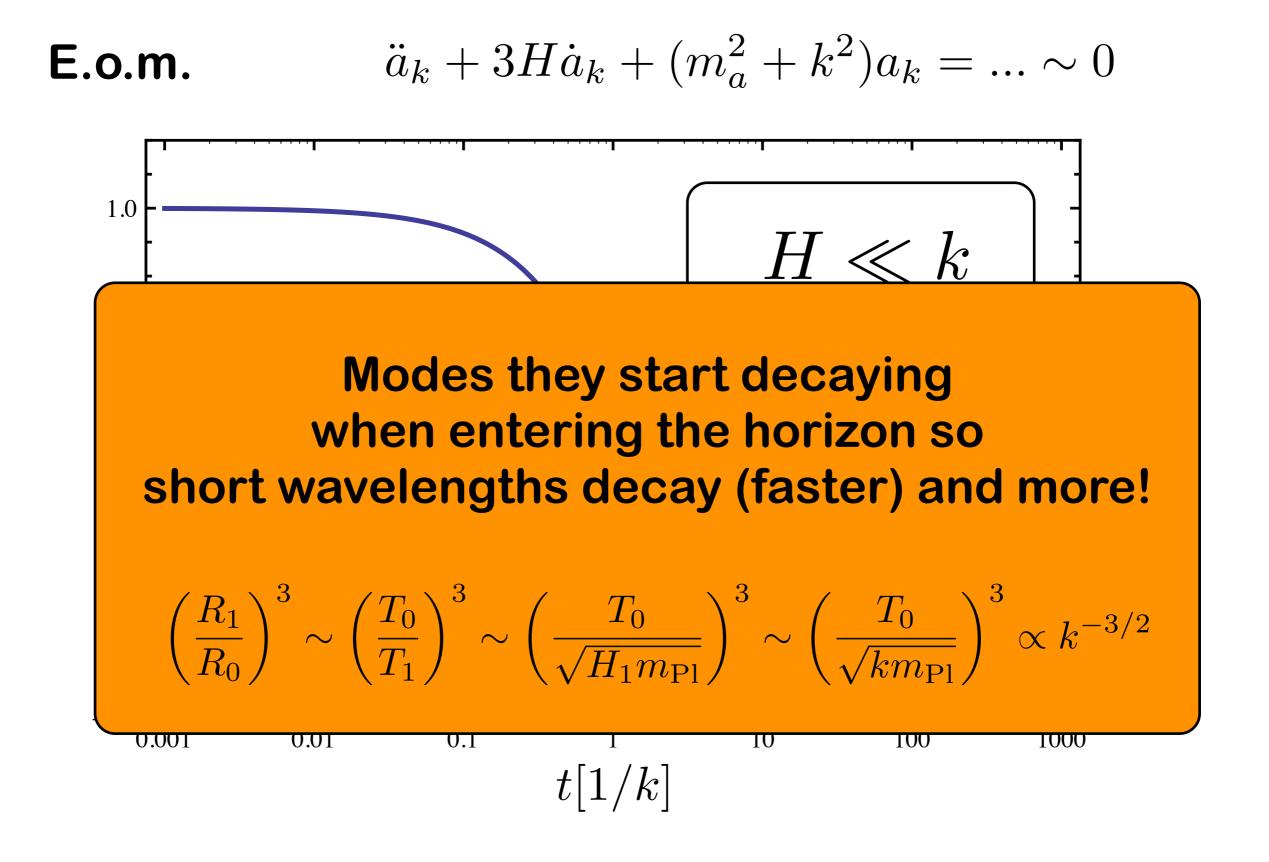
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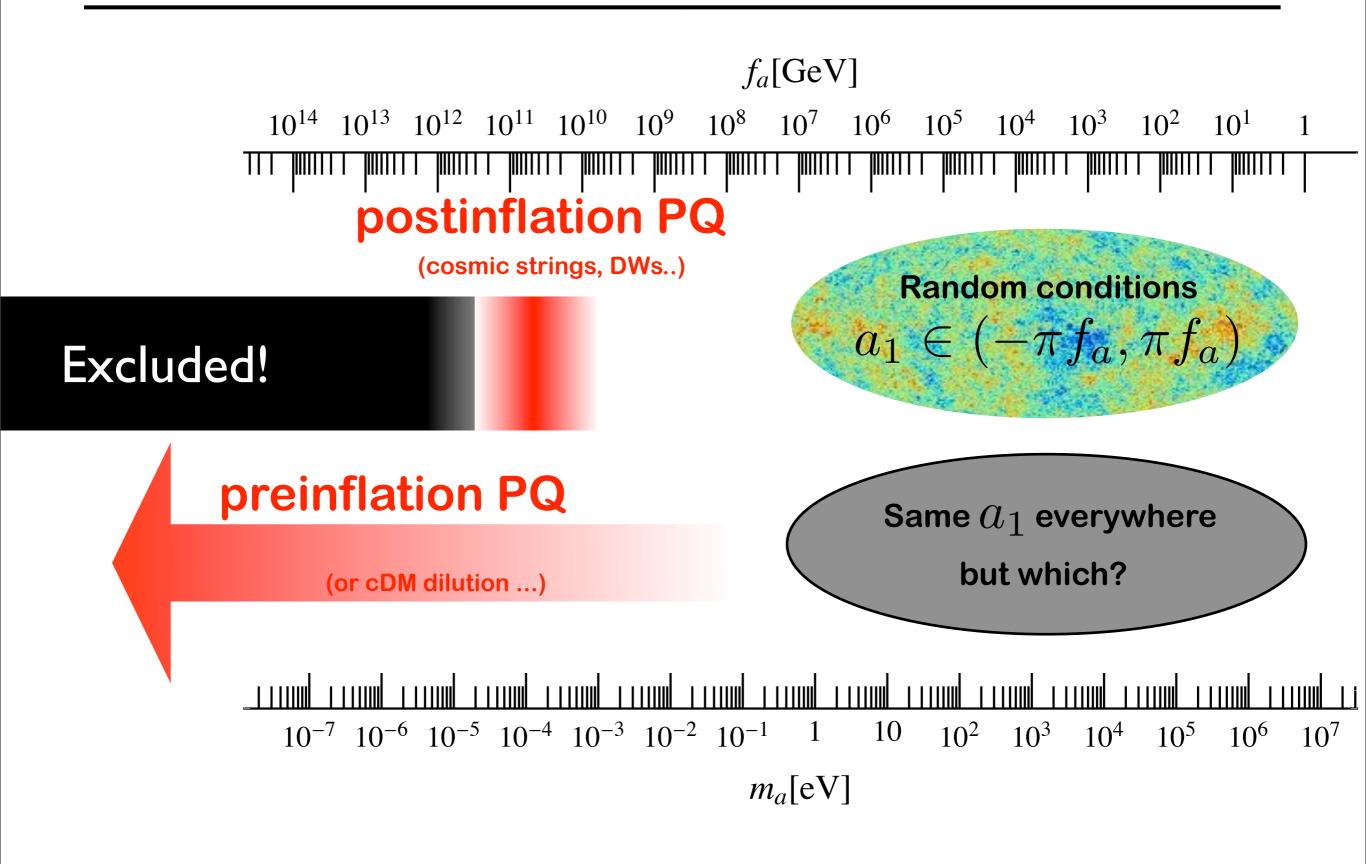
- Simplest scenario:

$$\rho_{a,0} \simeq 1.17 \, \frac{\text{keV}}{\text{cm}^3} \times \sqrt{\frac{m_a}{\text{eV}}} \left(\frac{a_1}{4.8 \times 10^{11} \,\text{GeV}}\right)^2 \mathcal{F},$$

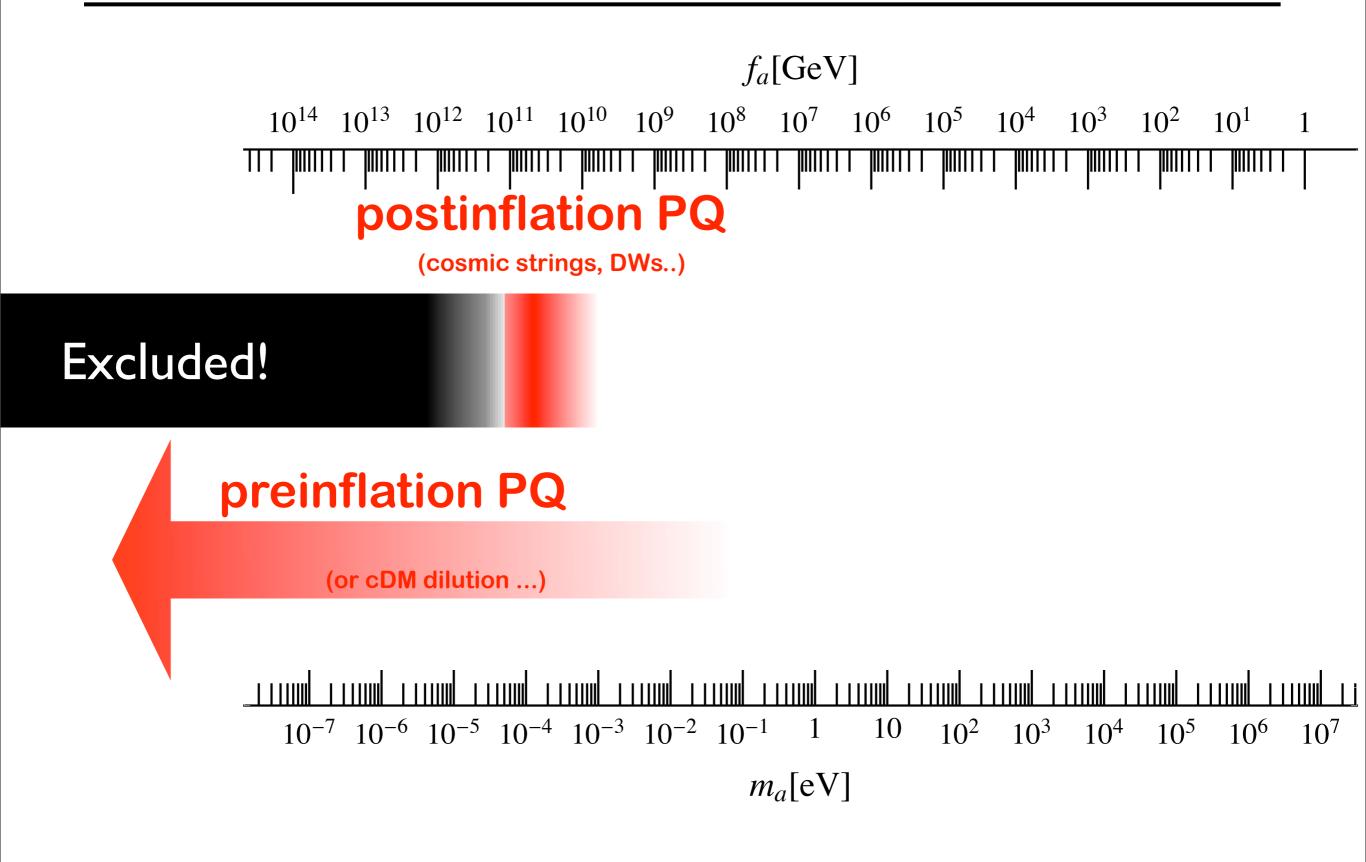
recall $\rho_{\text{CDM}} = 1.17(6) \frac{\text{keV}}{\text{cm}^3}$

Initial amplitude, physics at <u>very high energies</u>
 WISPy DM opens a window to HEP

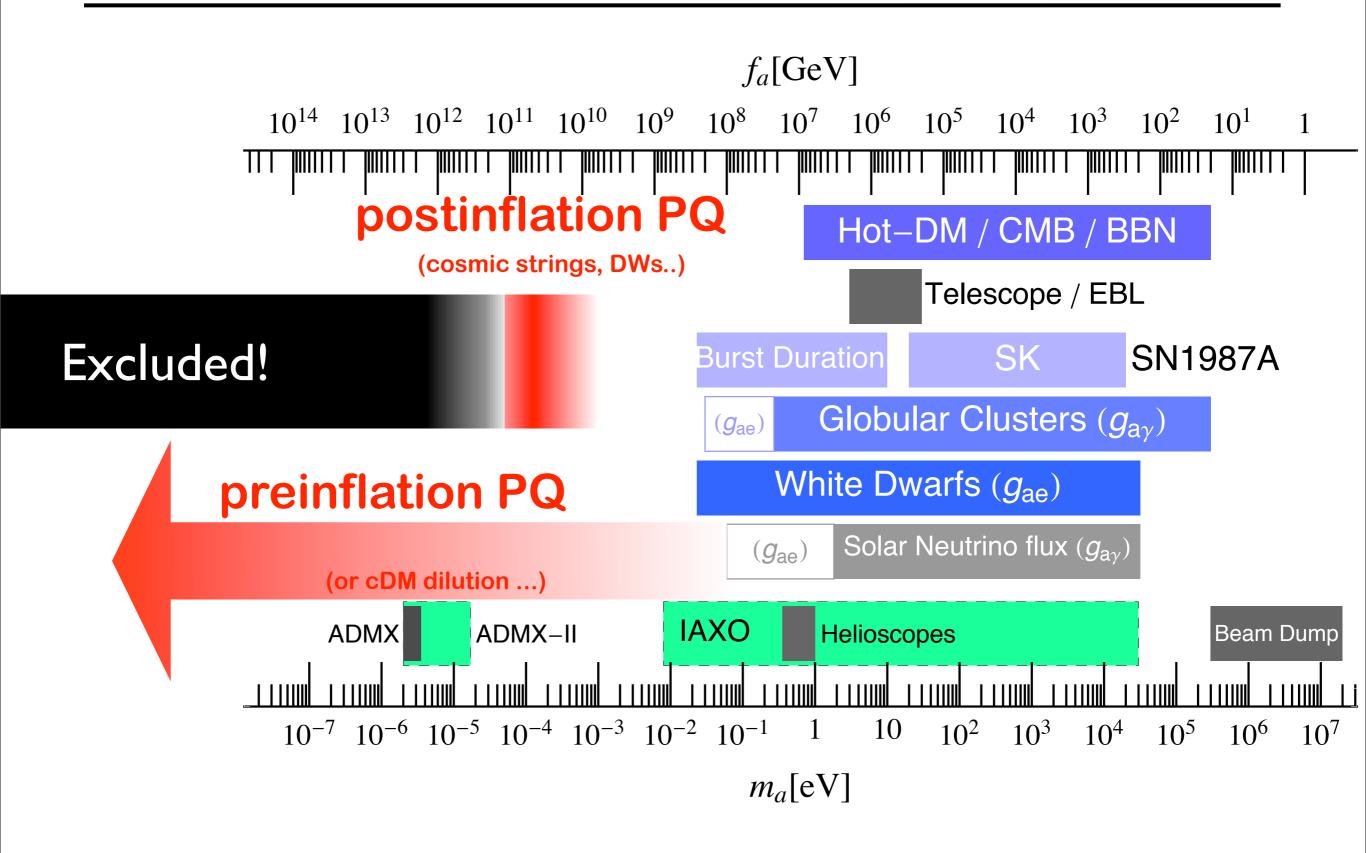
Full axion cold dark matter: two scenarios



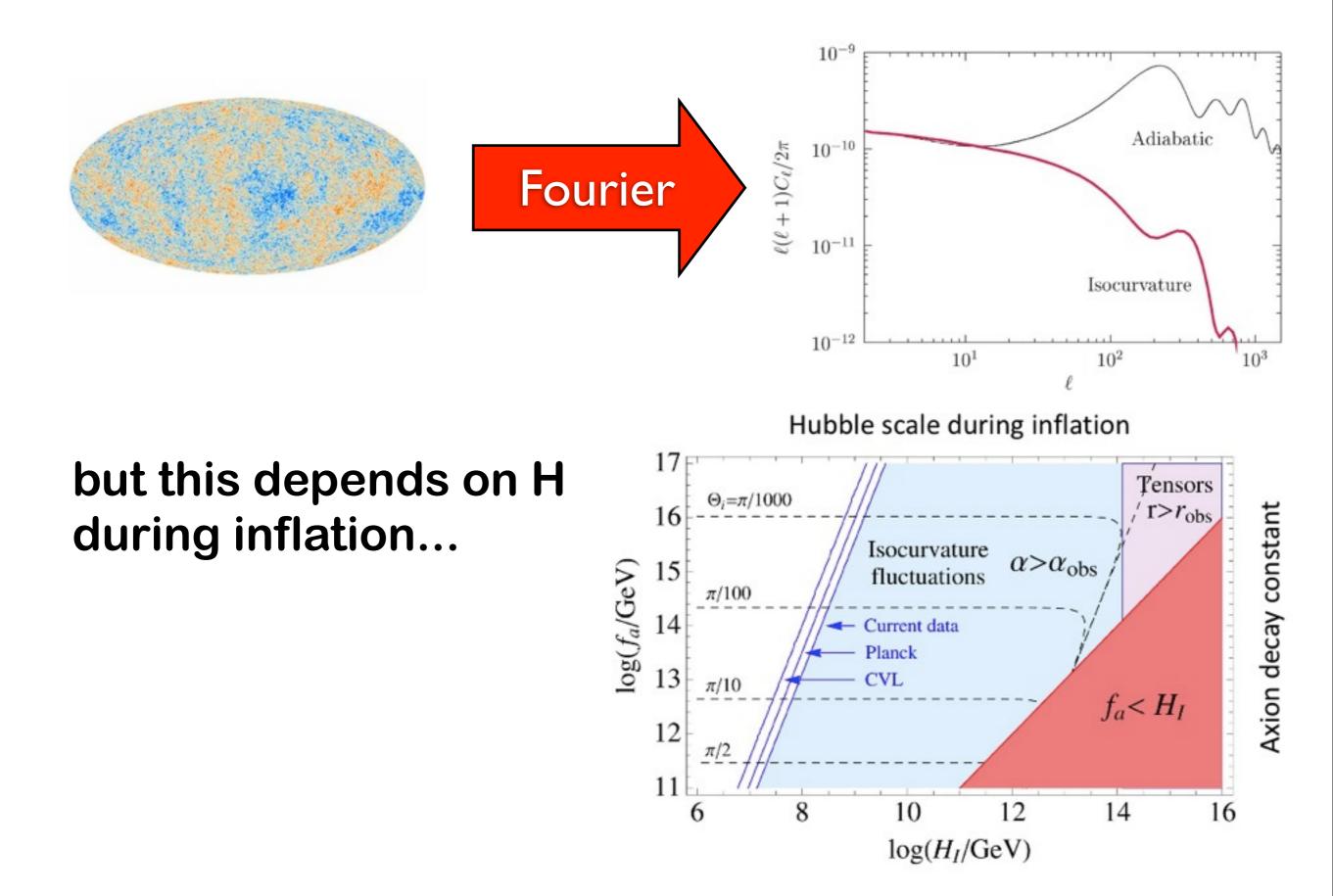
+ Bounds on axions (and prospects)



+ Bounds on axions (and prospects)

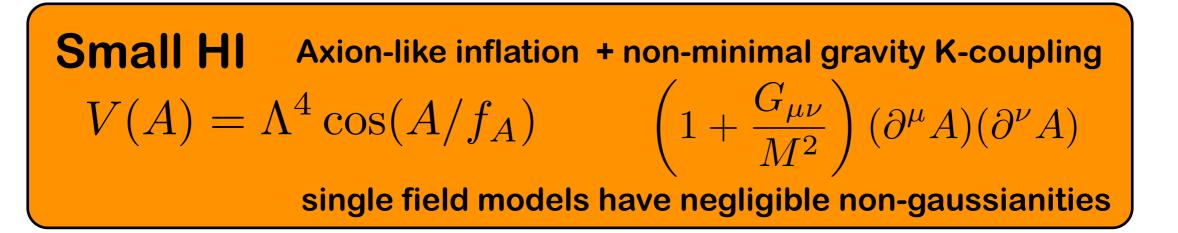


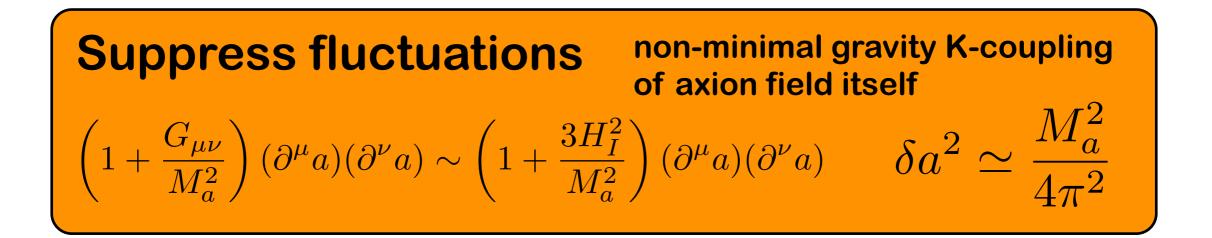
ISOCURVATURE perturbations in the CMB



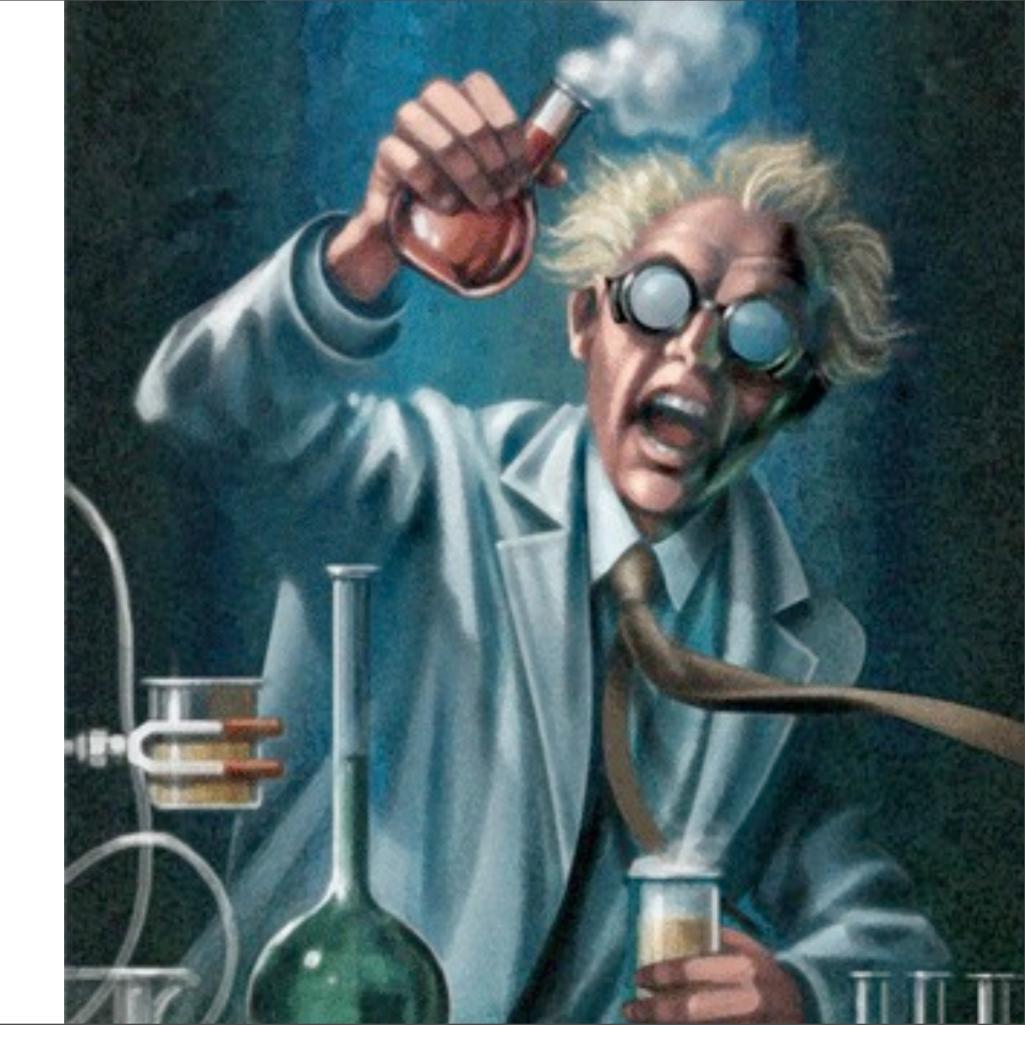
massless field fluctuations (canonically normalised field) are huge !! $\delta a^2 \simeq \frac{H_I^2}{4\pi^2}$

Two solutions (C. Germani et al arXiv:1304.7270)





Laboratory



Raffelt, PRD'88

$$\mathcal{L}_I = \frac{g_{a\gamma}}{4} F_{\mu\nu} \widetilde{F}^{\mu\nu} a = -g_{a\gamma} \mathbf{B} \cdot \mathbf{E} a$$

Raffelt, PRD'88

- In a magnetic field one photon polarization Q-mixes with the axion

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Not axions, nor photons are propagation eigenstates!

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$$\begin{bmatrix} (\omega^2 - k^2) \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} + \begin{pmatrix} 0 & -g_{a\gamma} |\mathbf{B}| \omega \\ -g_{a\gamma} |\mathbf{B}| \omega & m_a^2 \end{bmatrix} \begin{bmatrix} \mathbf{A}_{||} \\ a \end{bmatrix} = \begin{pmatrix} 0 \\ 0 \end{bmatrix}.$$

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- Dark matter solution $v = \frac{k}{\omega}$; $\omega \simeq m_a (1 + v^2/2 + ...)$

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$$\left[\begin{pmatrix} \omega^2 - k^2 \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} + \begin{pmatrix} 0 & -g_{a\gamma} |\mathbf{B}| \omega \\ -g_{a\gamma} |\mathbf{B}| \omega & m_a^2 \end{pmatrix} \right] \begin{pmatrix} \mathbf{A}_{||} \\ a \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \end{pmatrix}.$$

- Dark matter solution $v = \frac{k}{\omega}$; $\omega \simeq m_a (1 + v^2/2 + ...)$

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- In a magnetic field one photon polarization Q-mixes with the axion $\mathcal{L}_I = \frac{g_{a\gamma}}{4} F_{\mu\nu} \widetilde{F}^{\mu\nu} a = -g_{a\gamma} \mathbf{B} \cdot \mathbf{E} a$

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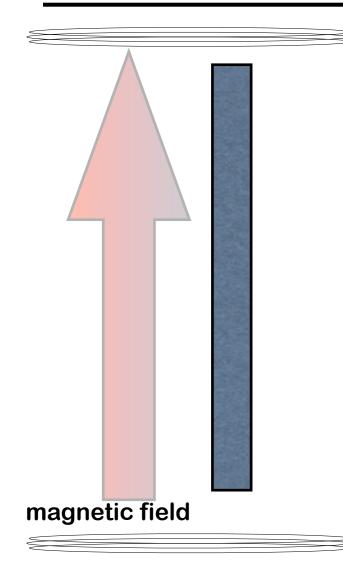
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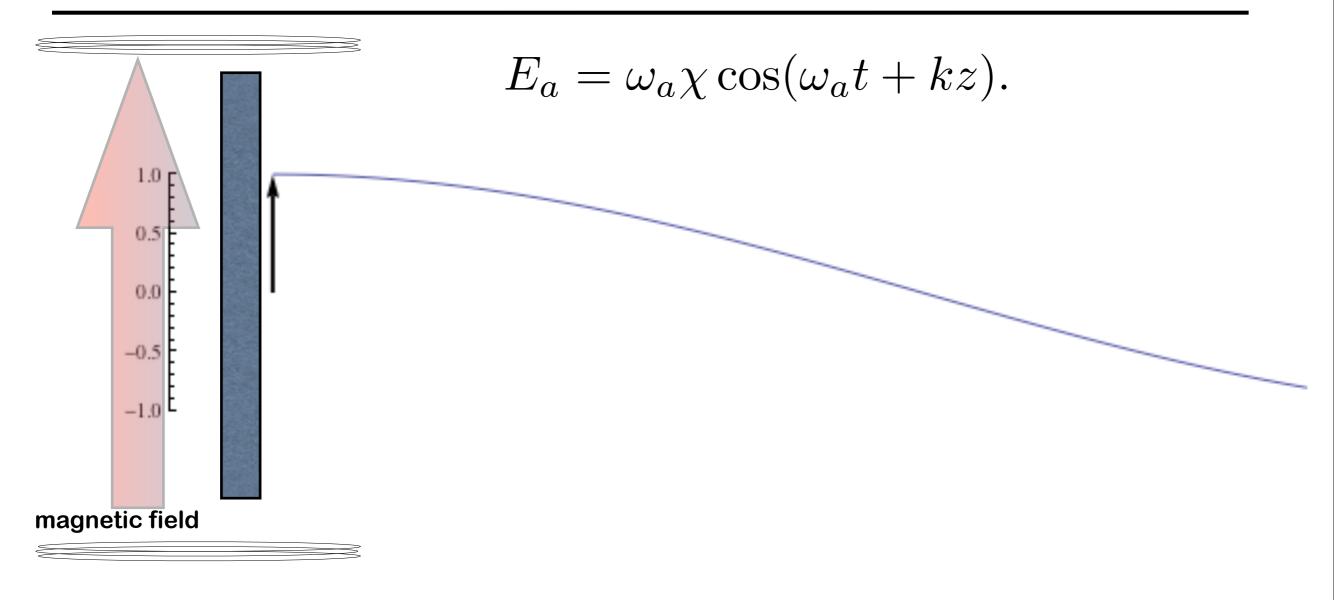
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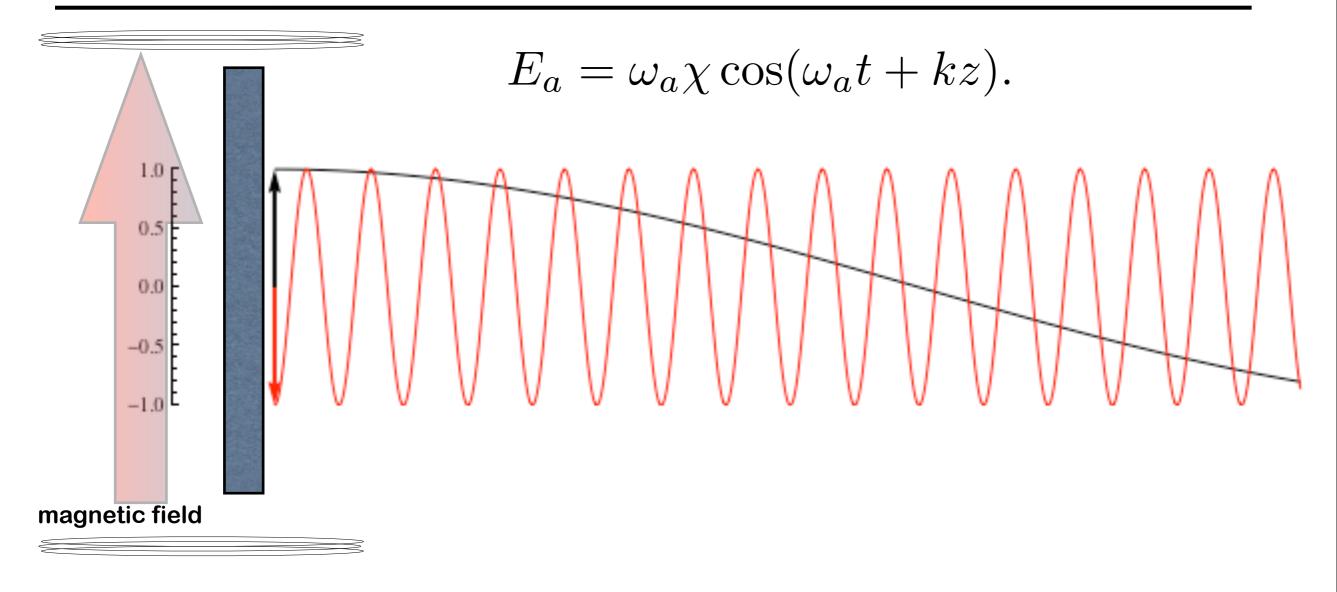
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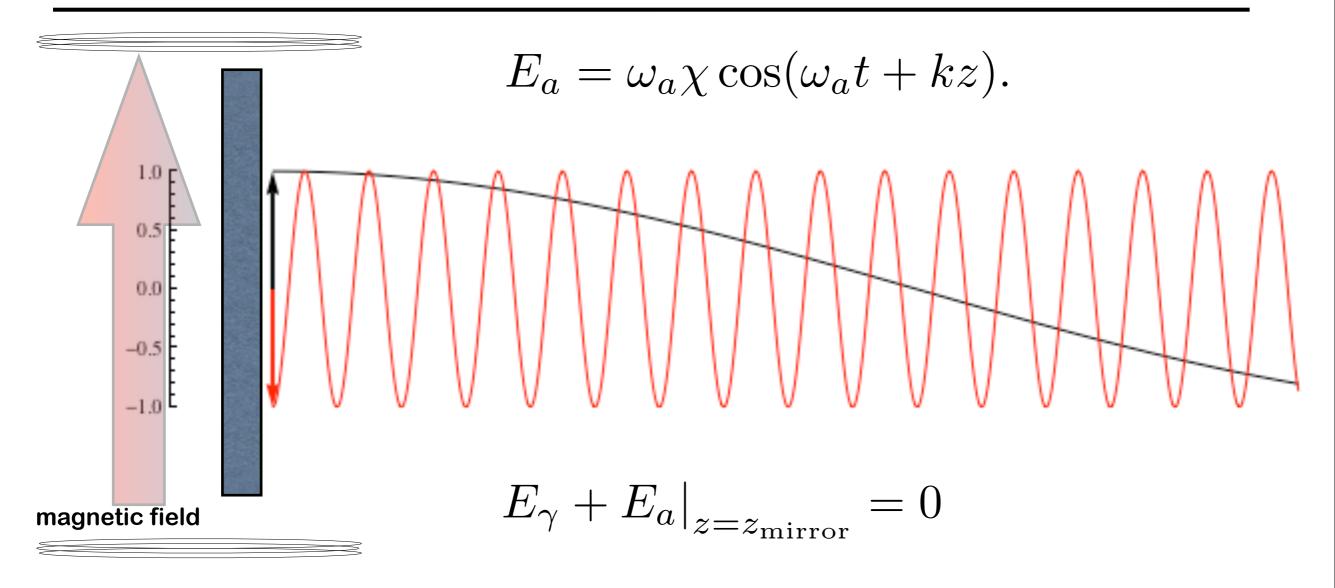
$$\text{It has a small E field!} \qquad \chi \sim \frac{g_{a\gamma} |\mathbf{B}|}{m_a}$$

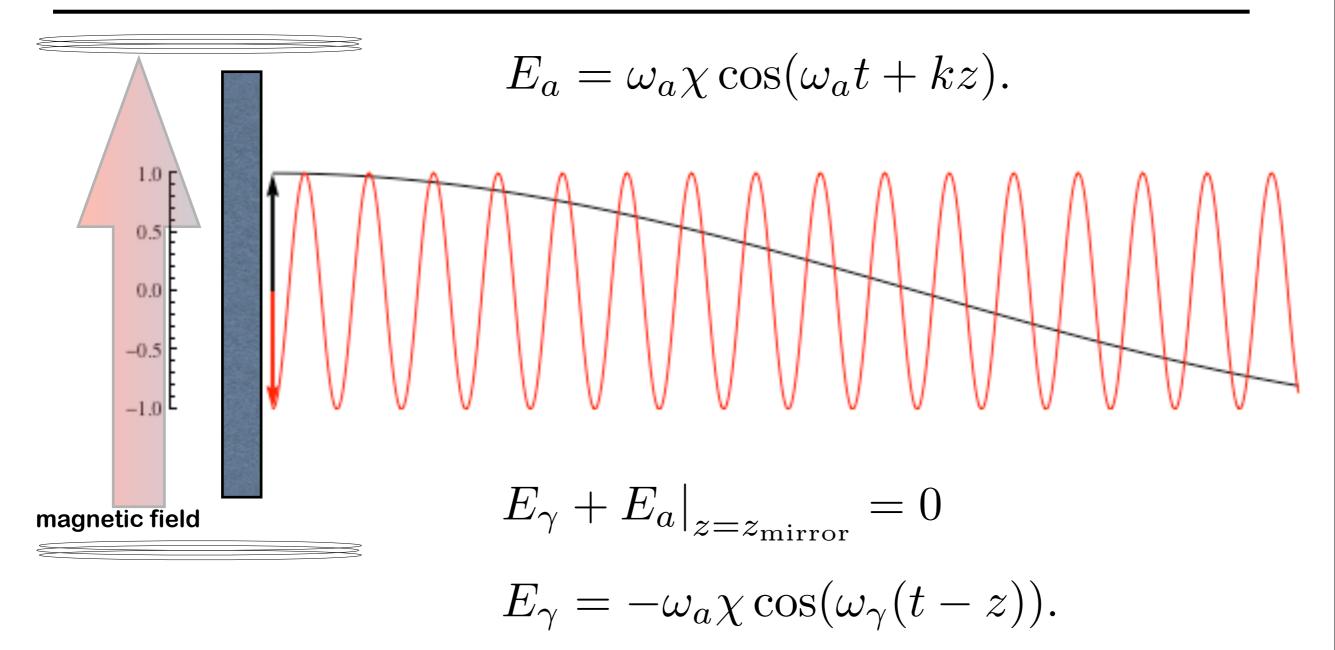


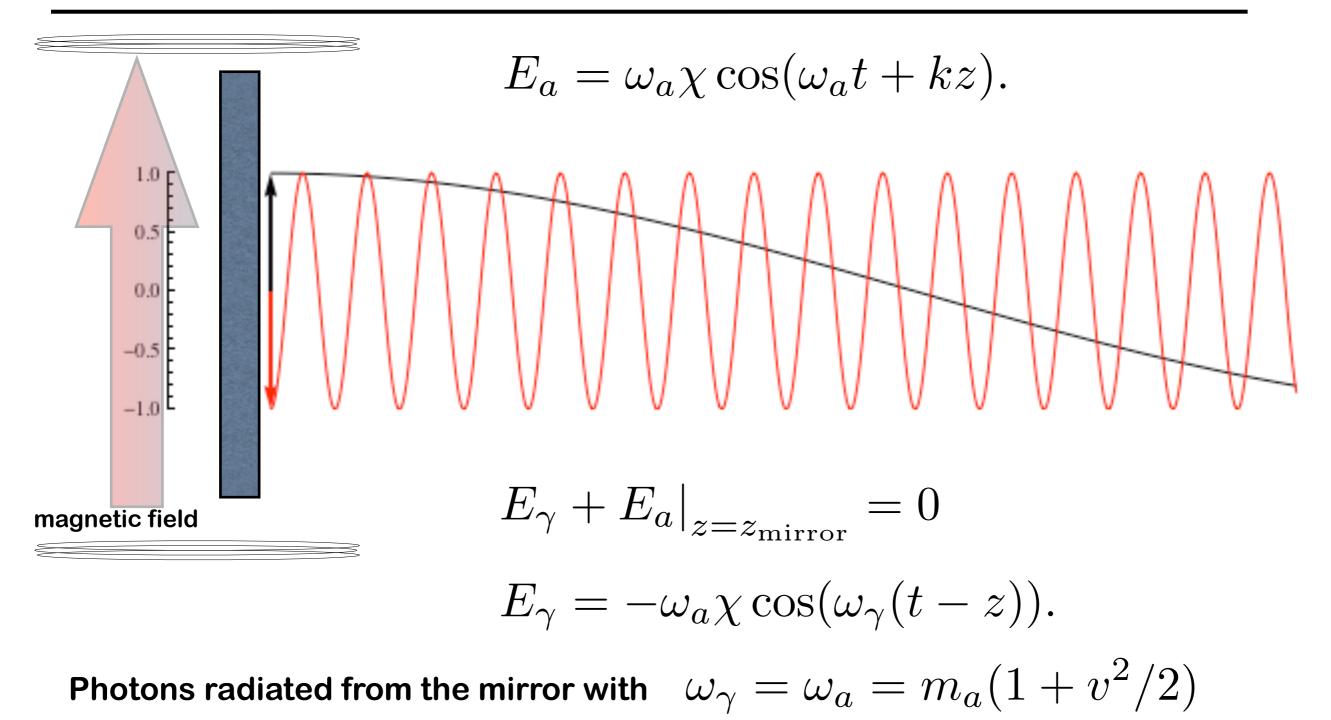
 $E_a = \omega_a \chi \cos(\omega_a t + kz).$



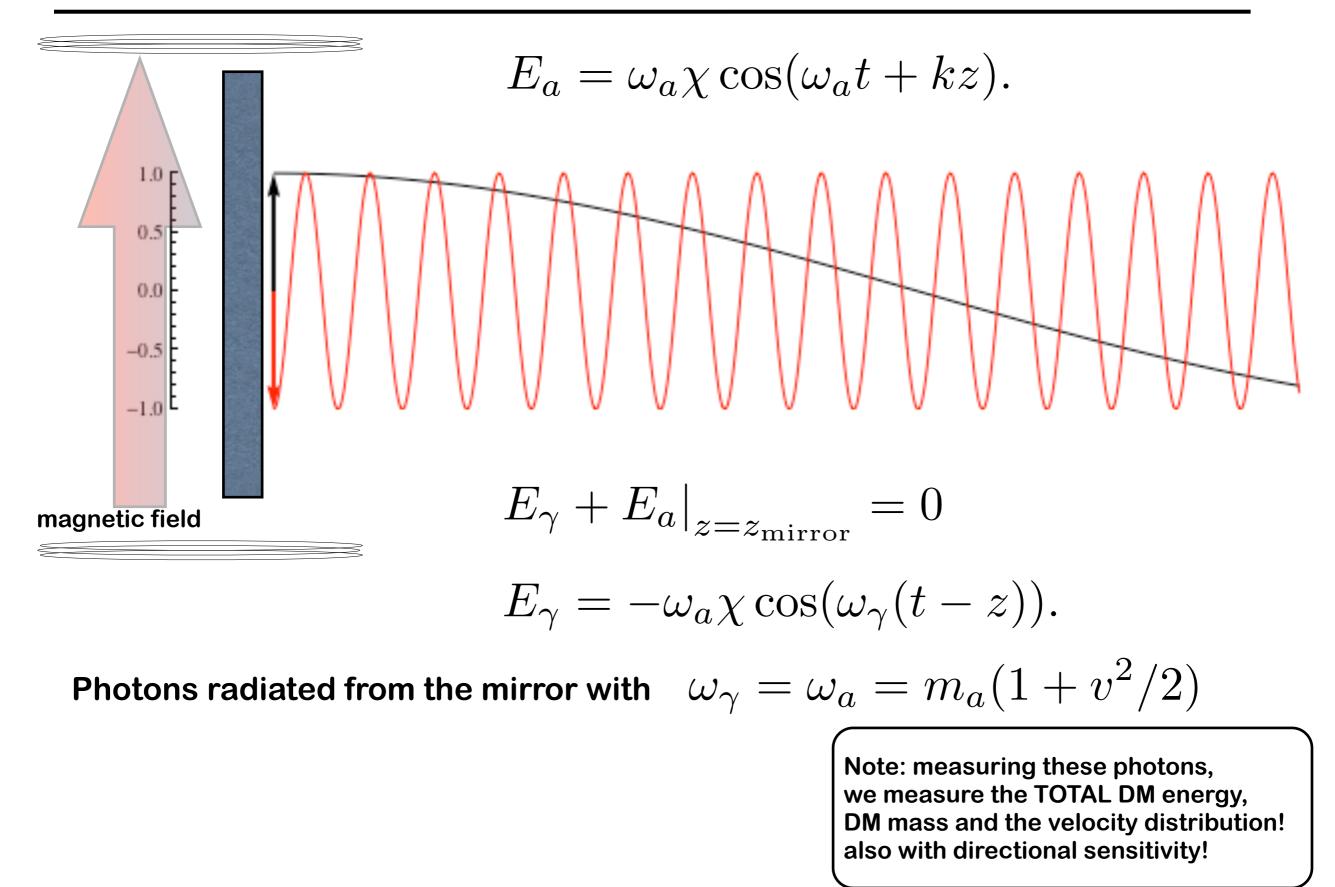




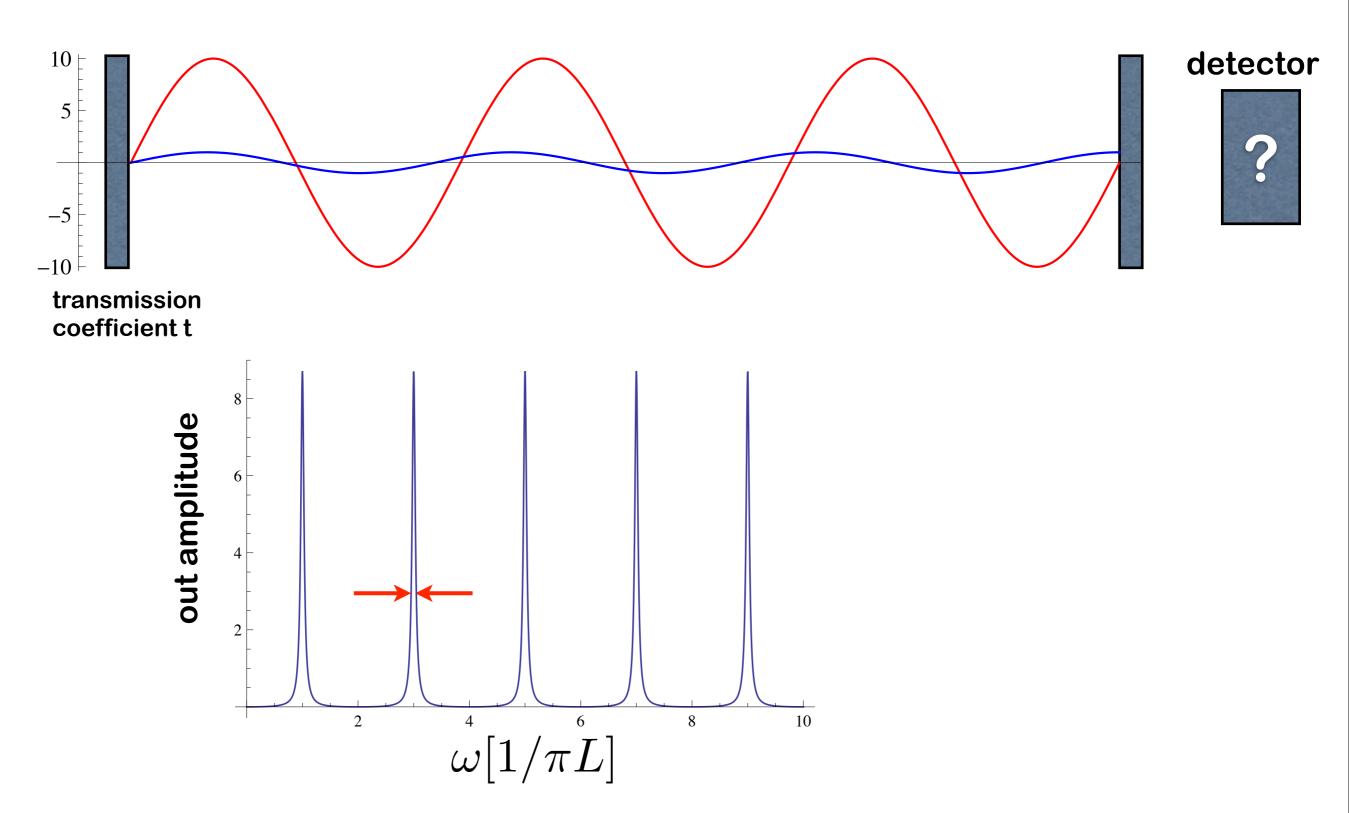


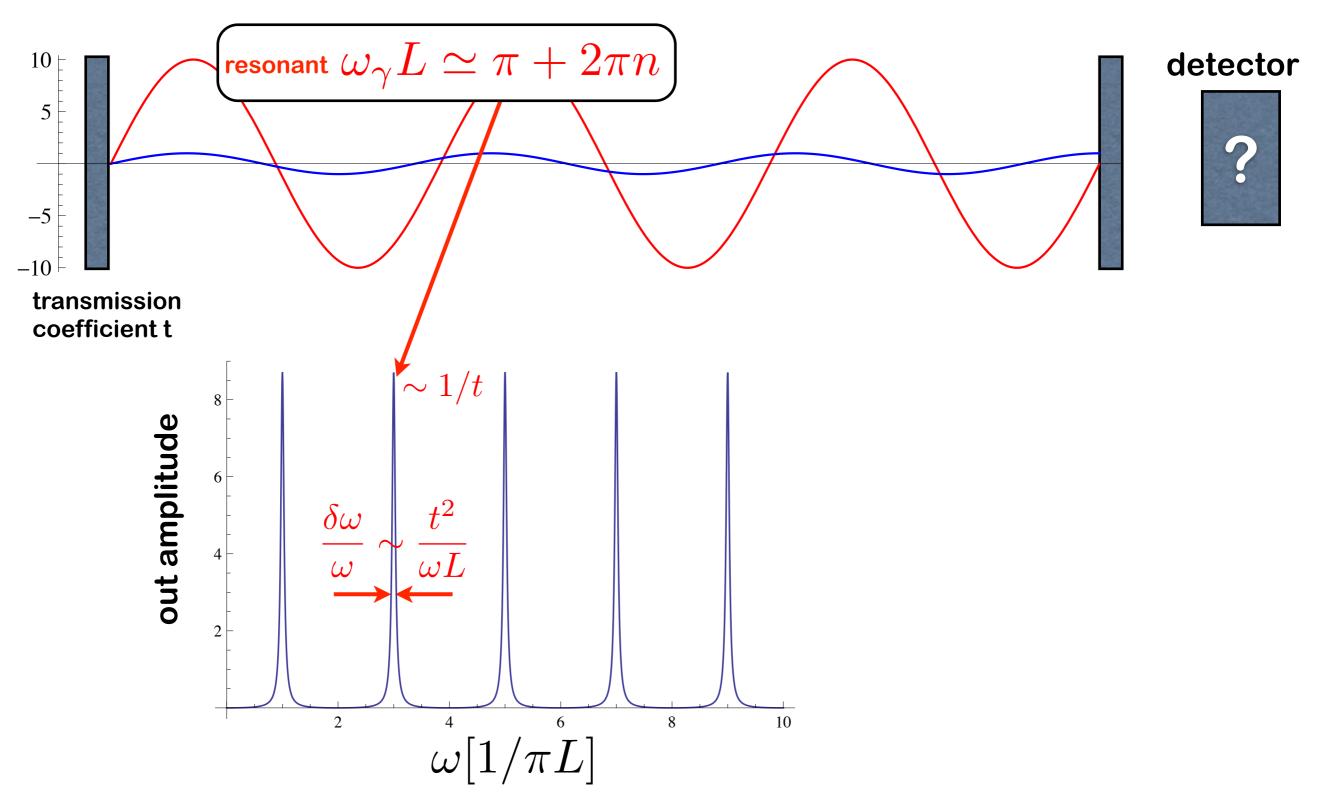


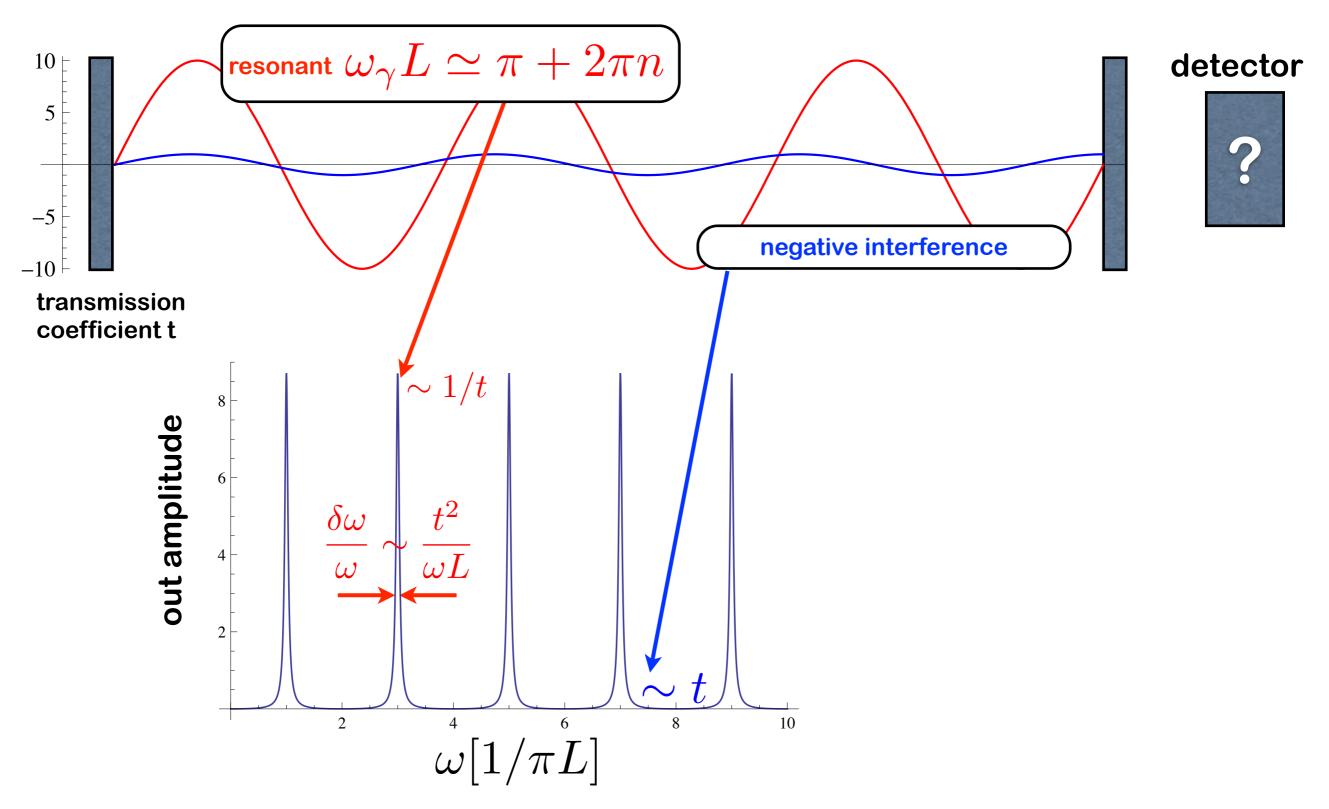
Radiation from a magnetised mirror

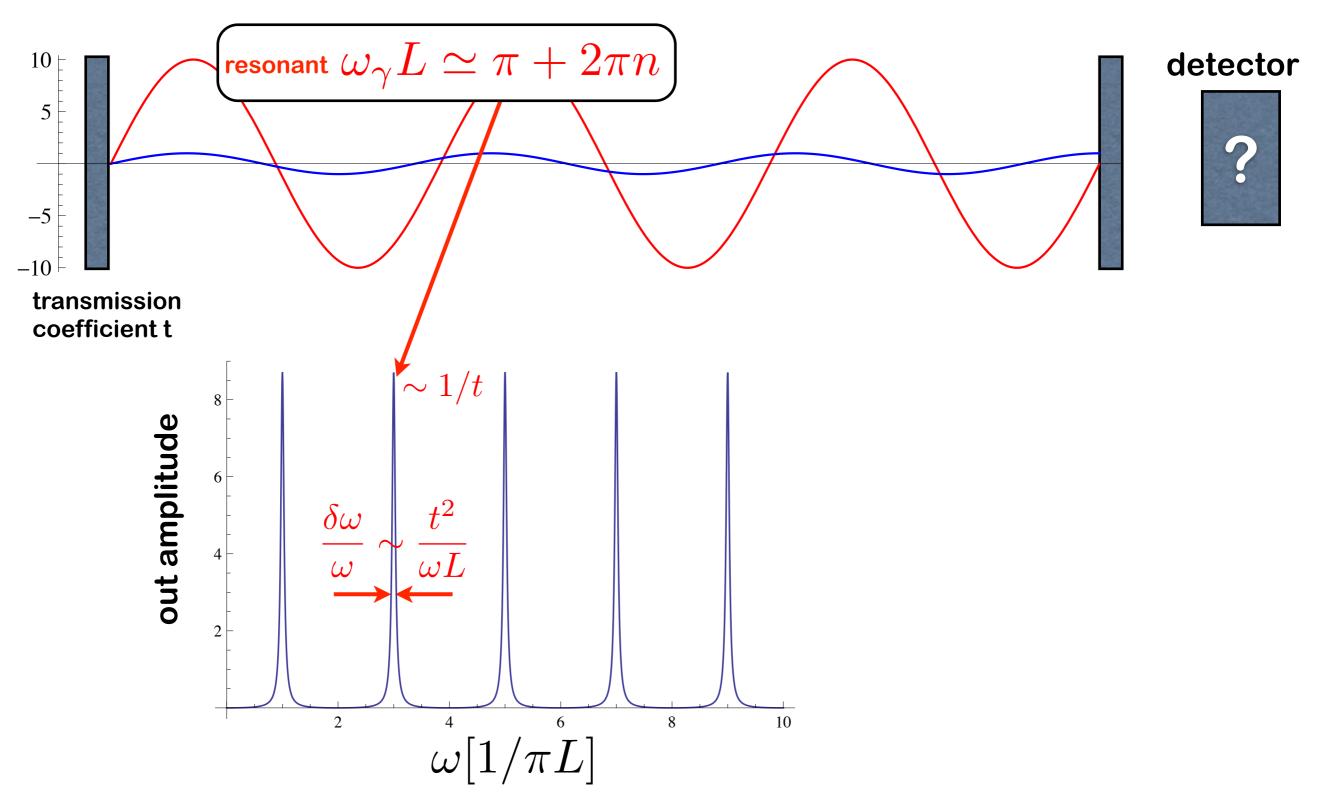


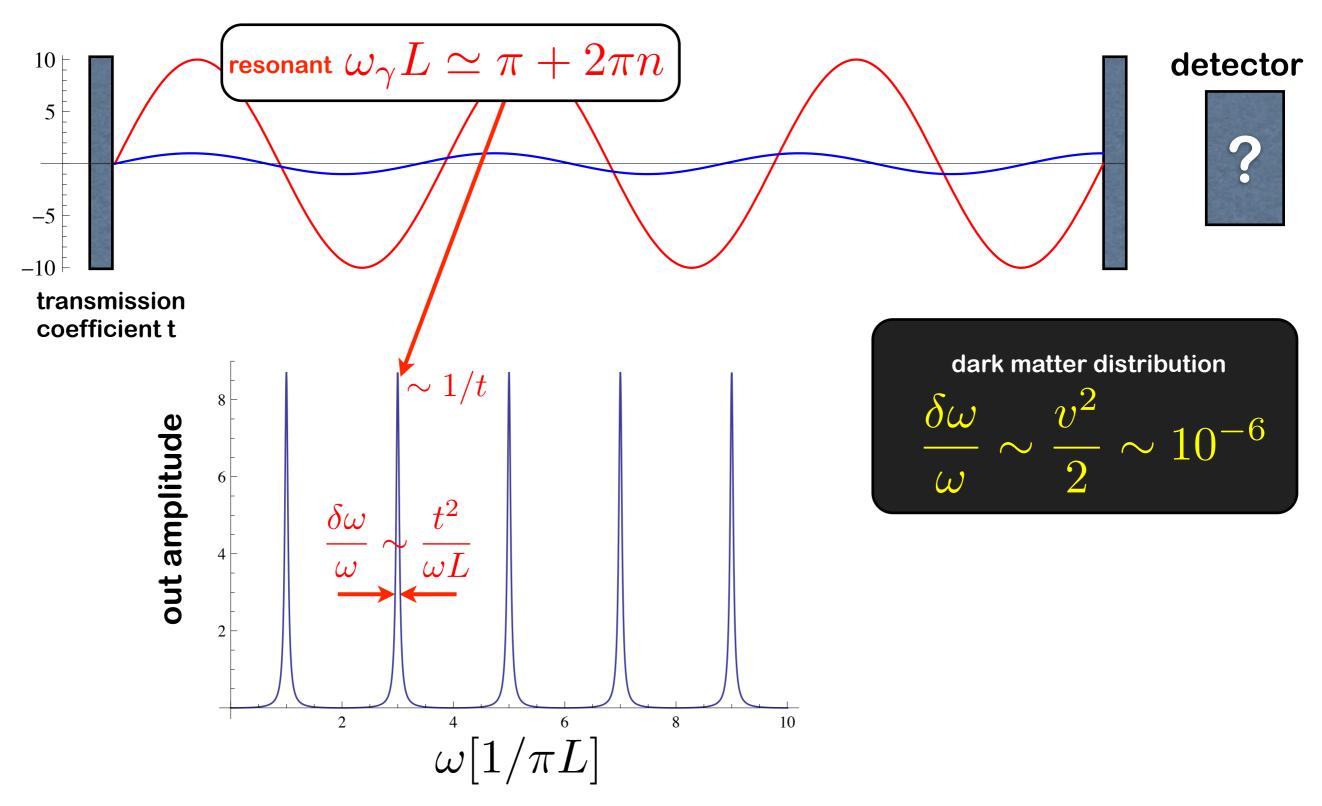
Cavity searches (haloscopes)

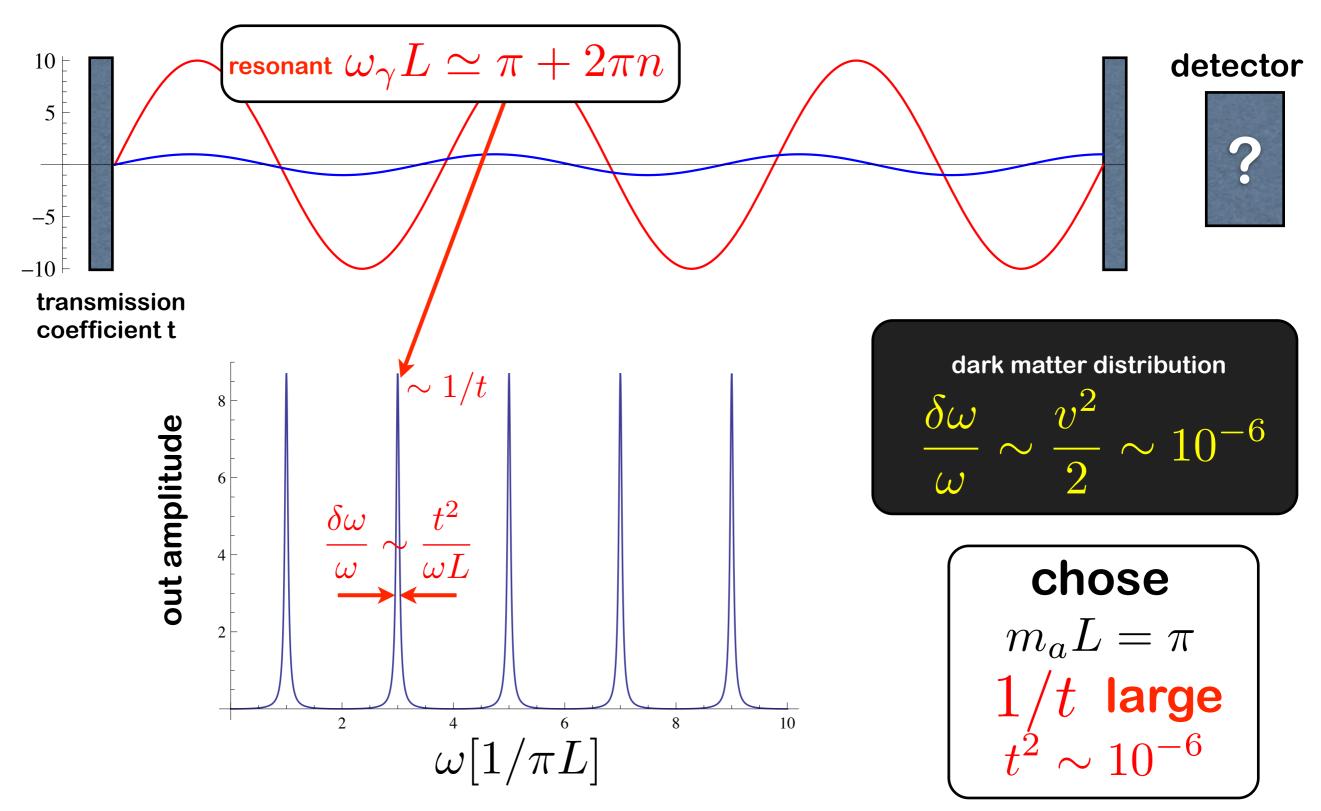












- Understanding the out Power

$$P_{\text{out}} = \text{Area} |E_{\gamma}^{out}|^{2} = \text{Area} |\frac{1}{t}E_{\gamma}^{in}|^{2} = \text{Area} |\frac{1}{t}E_{a}^{in}|^{2} = \text{Area} \frac{1}{t^{2}}\chi^{2}|\omega_{a}a|^{2} = \text{Area} \frac{1}{t^{2}}\frac{g^{2}B^{2}}{m_{a}^{2}}\rho_{\text{CDM}}$$
$$m_{a}L = \pi \rightarrow \text{Area} = \frac{m_{a}\text{Volume}}{\pi}$$
$$P_{\text{out}} = \frac{\text{Volume} \times m_{a}}{\pi} \times \frac{1}{[t^{2} \sim \delta v^{2}]} \times \left[\chi \sim \frac{gB}{m_{a}}\right]^{2} \times \rho_{\text{CDM}}$$

http://www.phys.washington.edu/groups/admx/home.html

- Problem! We don't know the axion mass!!!!!!!! $L = \pi/m_a$?

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 $L_0,$

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 - $L_0, L_0 + \delta,$

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 $L_0, L_0 + \delta, L_0 + 2\delta, etc...$

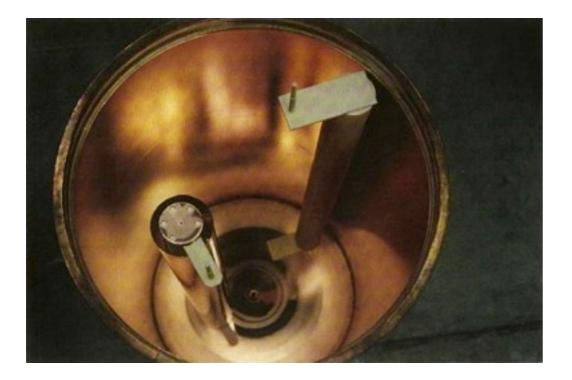
slow scan, adjusting the length!

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 $L_0, L_0 + \delta, L_0 + 2\delta, etc...$ slow scan, adjusting the length!

- Axion DM eXperiment ADMX (Washington U.) ... (the 3D version is more complex)



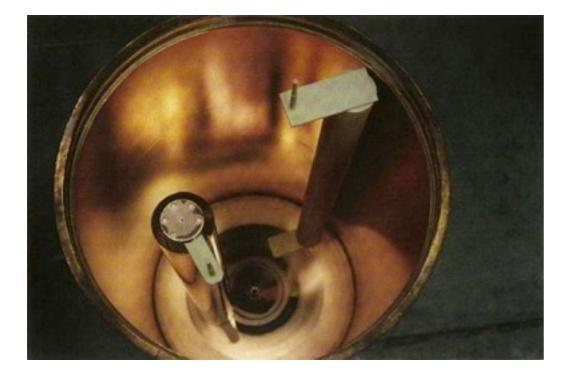
8T field, 1mL,0.5mD $m_a \sim 1/L \sim \mu eV$

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8T field, 1mL,0.5mD $m_a \sim 1/L \sim \mu { m eV}$

Once you have the right cavity ... the only problem is signal/noise

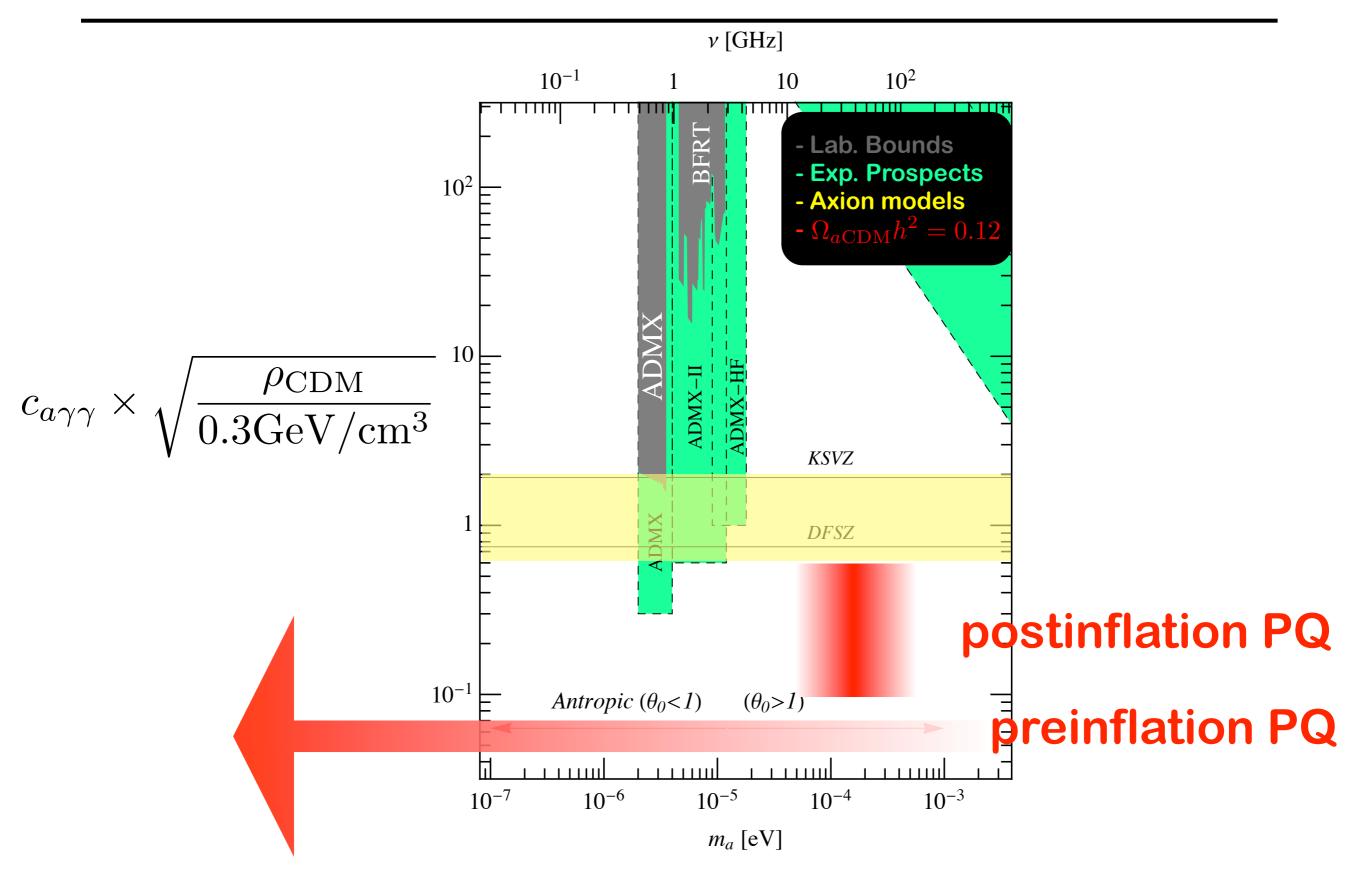
$$\frac{S}{N} = \frac{P_{\text{out}}}{P_{noise}} = \frac{P_{\text{out}}}{T_S} \sqrt{\frac{\text{time}}{\text{Bandwidth}}}$$

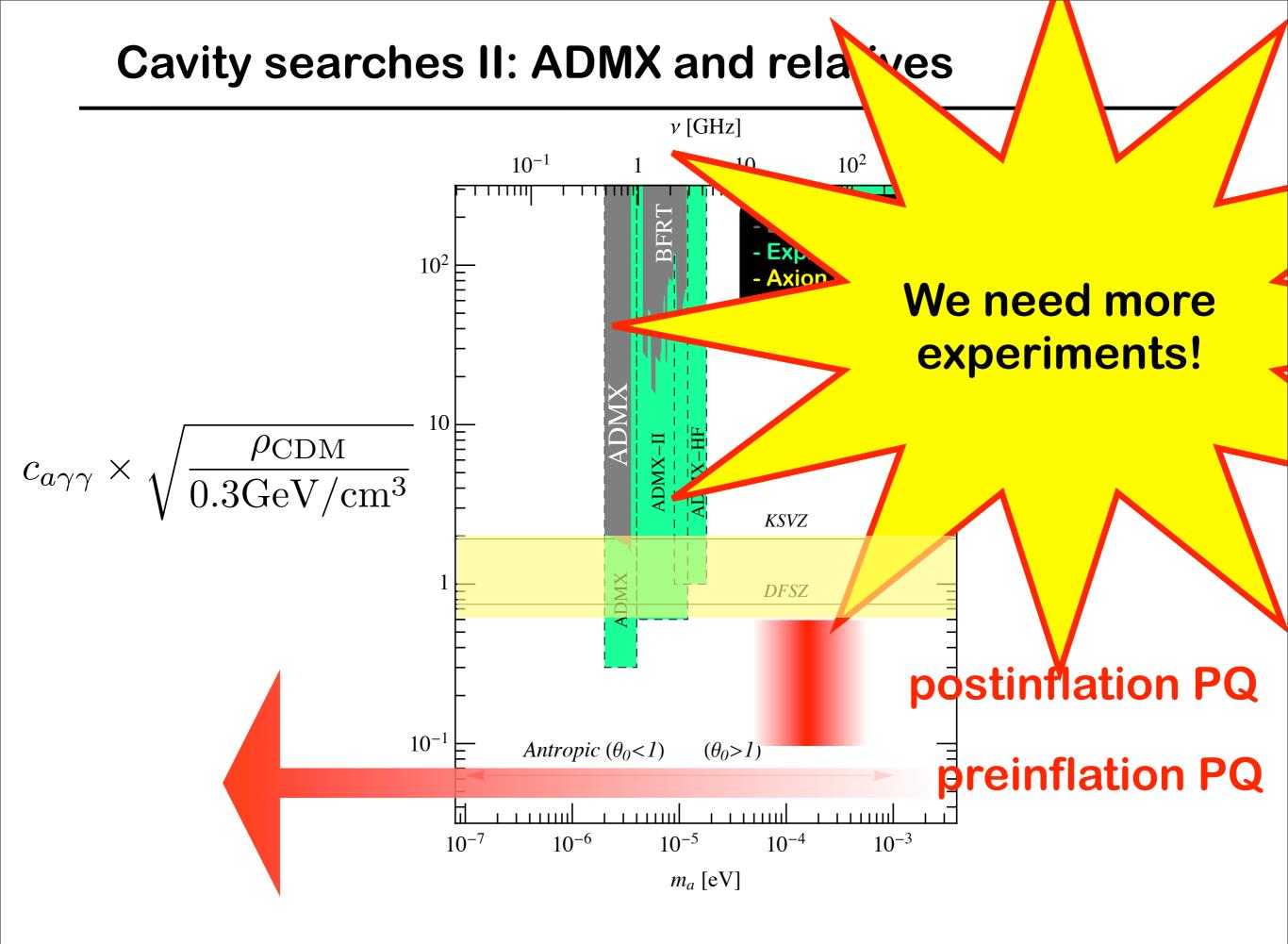
measurement time vs. different measurements

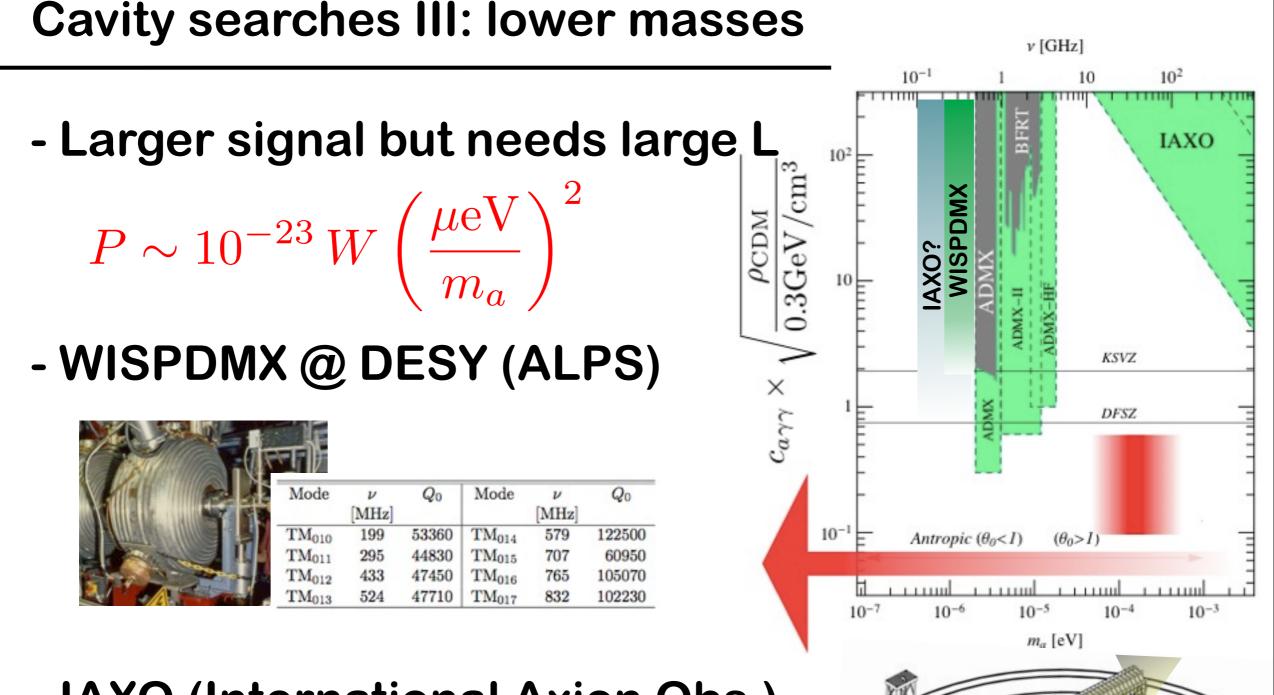
ADMX is now fighting to cool down the cavity/amplifier to liquid 3He

the definitive experiment! ... ???

Cavity searches II: ADMX and relatives







- IAXO (International Axion Obs.) main focus on solar axions
 - B~ 5 T,
 - L~ 20 m
 - A~ 6 m²

Cavity searches III: much lower masses

$$\begin{split} \frac{\alpha_s}{8\pi} G \widetilde{G} \theta &\to d_n \sim 10^{-15} \theta \text{ ecm} \\ \frac{\alpha_s}{8\pi} G \widetilde{G} \left(\frac{a}{f_a}\right) &\to 10^{-15} \frac{a(t)}{f_a} \text{ e cm} \\ &\sim 10^{-15} \frac{\sqrt{\rho_{\text{CDM}} \cos(m_a t)}}{m_a f_a} \text{ e cm} \sim 10^{-15} \frac{\sqrt{\rho_{\text{CDM}} \cos(m_a t)}}{m_\pi f_\pi} \text{ e cm} \\ &\sim 10^{-34} \cos(m_a t) \text{ e cm} \end{split}$$

oscillating EDM of the neutron!! NOOOOOO

The state coupling to GG is $~\eta_{
m ph}^{\prime}$

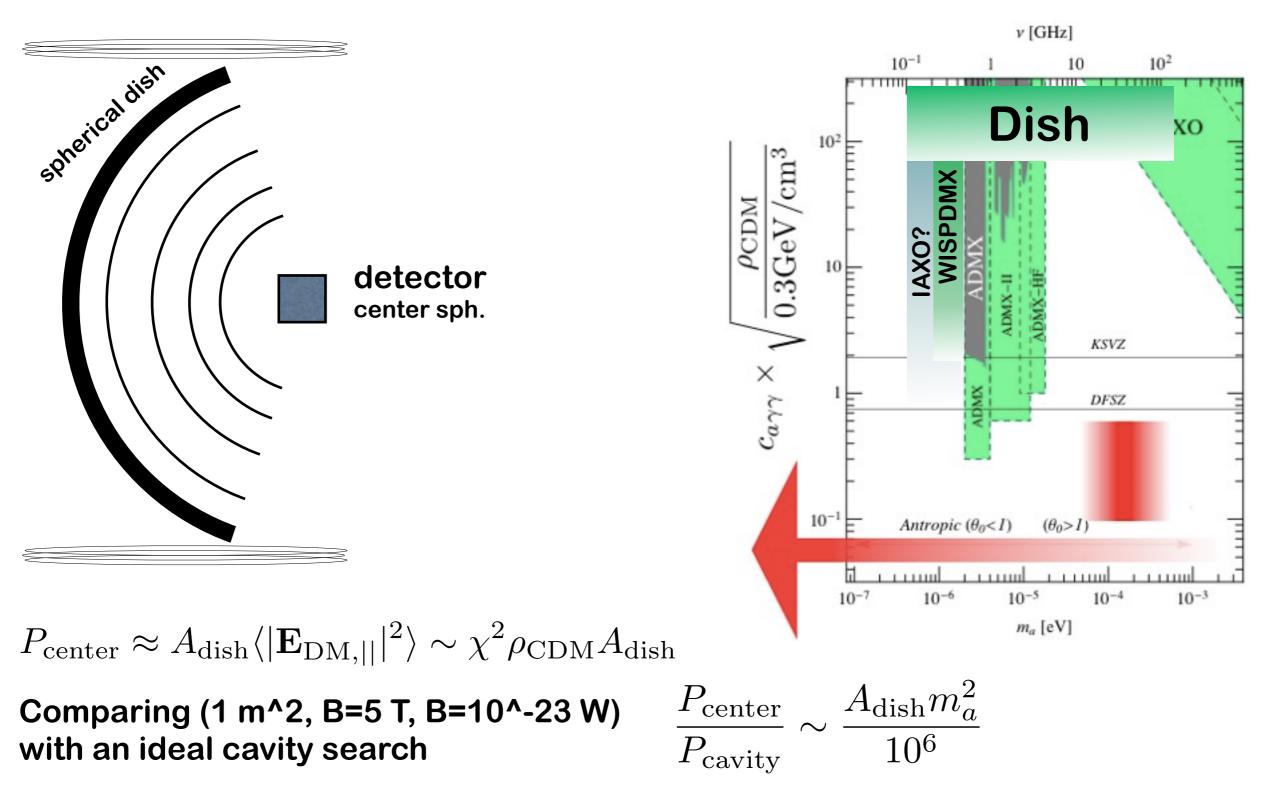
$$_{\rm nys} = \eta' + \phi \frac{f_{\eta}}{f_a}$$

and the DM is
$$a = \phi - \eta' \frac{f_{\eta}}{f_a}$$

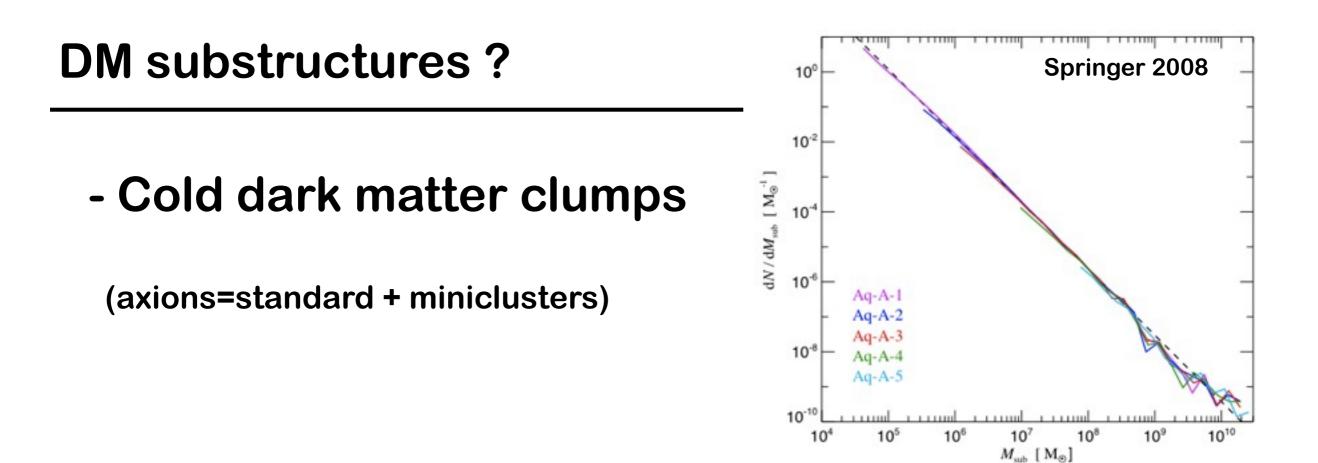
and is decoupled from GG (up to small corrections)

Dish antenna searches (broadband!)

JR et al , JCAP04(2013)016



But measuring all range at a time!



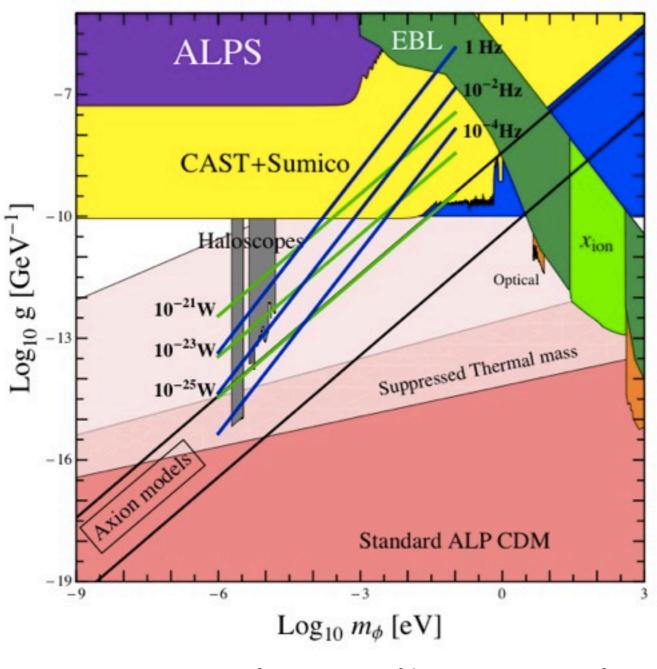
- Cavity experiments miss encounters

They are likely looking at the wrong freq.

- Broadband Dish search not (10⁴ boost req.)

Work in progress!

much more promising!



1 m² dish 5T magnet



mass and coupling unrelated

- Extensions of the SM might well accommodate WISPs

The Strong CP problem cries for an axion

- The mysteries of cosmology can be solved by WISPs

Dark Matter, (Dark Radiation, Dark Energy)

- WISPs can be searched experimentally

<u>New Axion/ALP/HP cold dark matter experiments !!!</u> <u>Next generation experiments (ALPS-II, IAXO?)</u>