

jets in heavy ion collisions

:: from theory to phenomenology

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h3QCD workshop, ECT* Trento, 19th June 2013



the study of jets

[reconstructed jets and their high- p_T hadronic content]
in heavy ion collisions aims at their use as probes of
the properties of the hot, dense and coloured matter
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#1 establishing the probe

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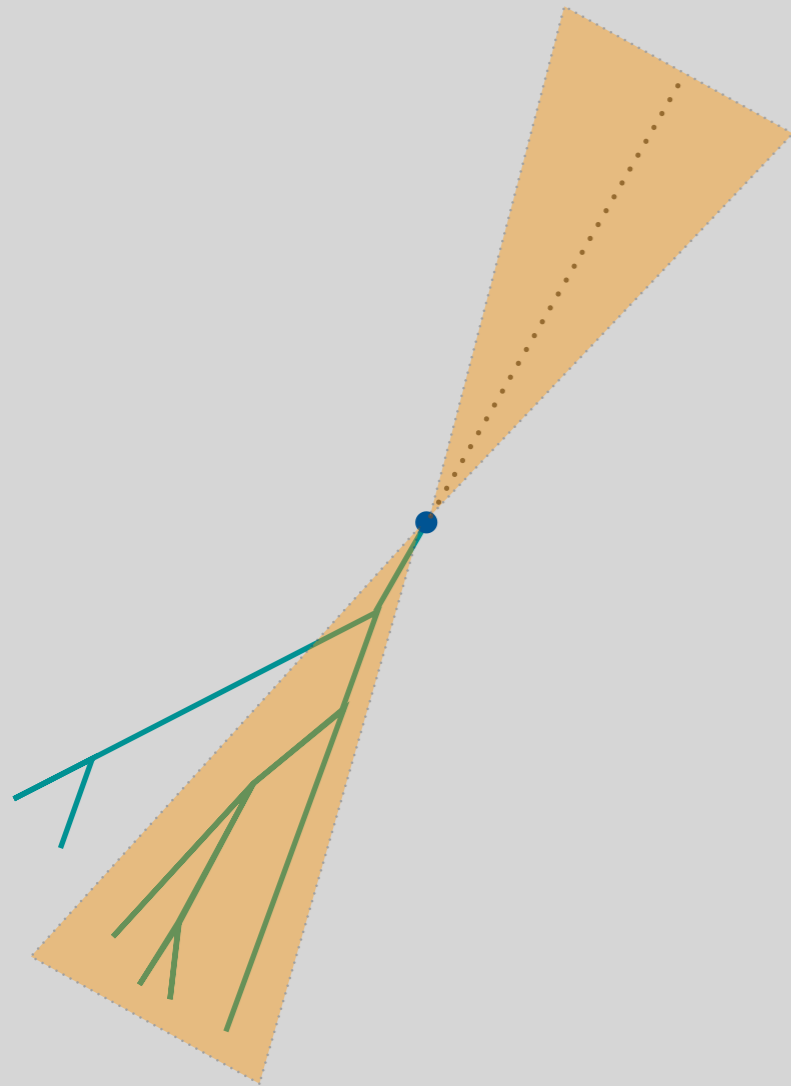


#2 probing the medium



#1 establishing the probe

jets in heavy ion collisions



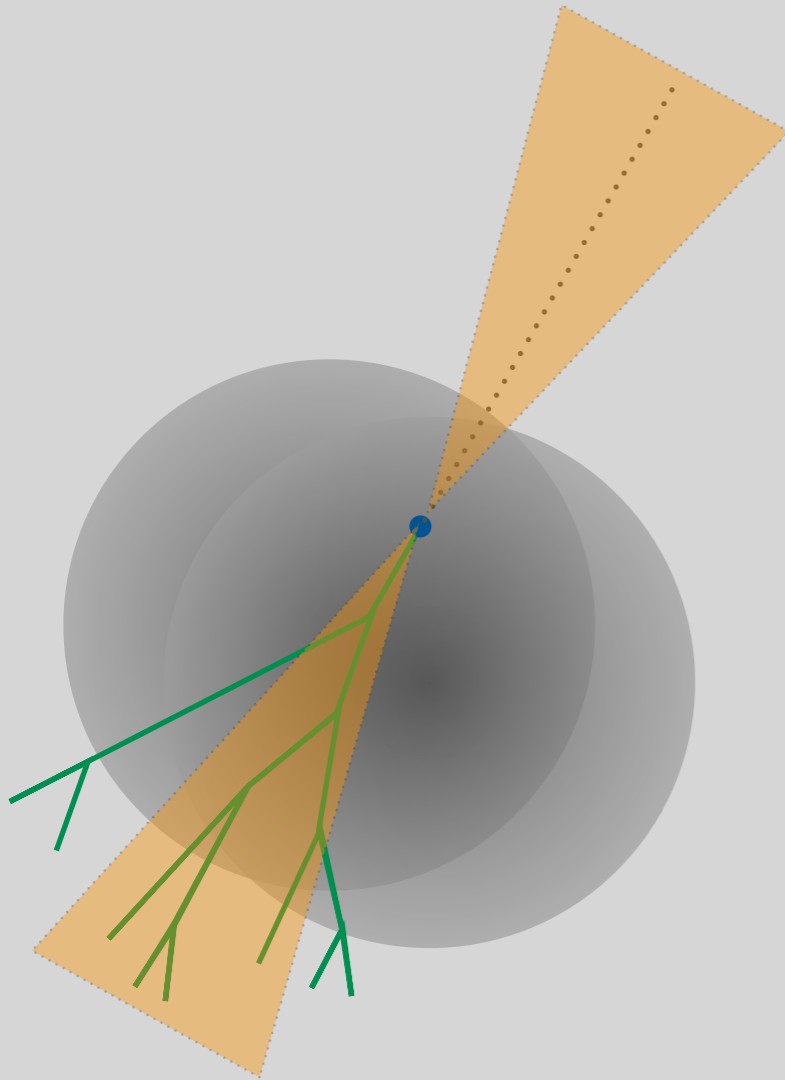
vacuum jets under overall excellent theoretical control

- factorization of initial and final state

jet :: collimated spray of hadrons resulting from the QCD branching of a hard [high- p_t] parton and subsequent hadronization of fragments and grouped according to given procedure [jet algorithm] and for given defining parameters [eg, jet radius]

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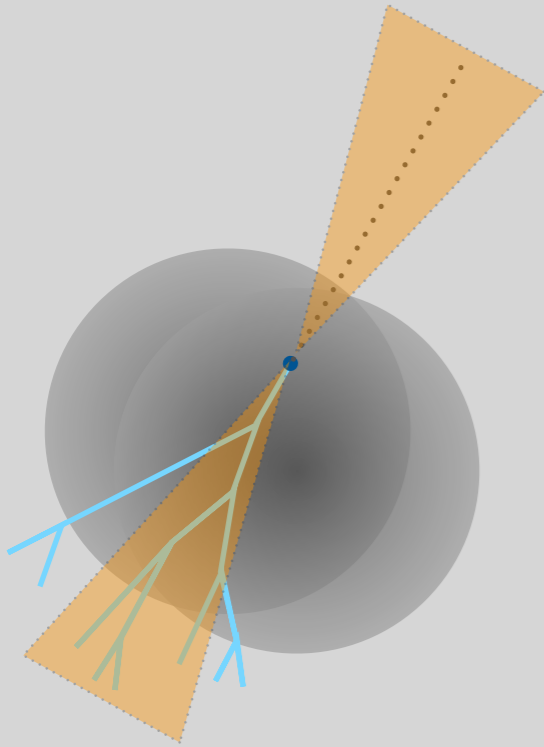
in HIC jets traverse sizable in-medium pathlength



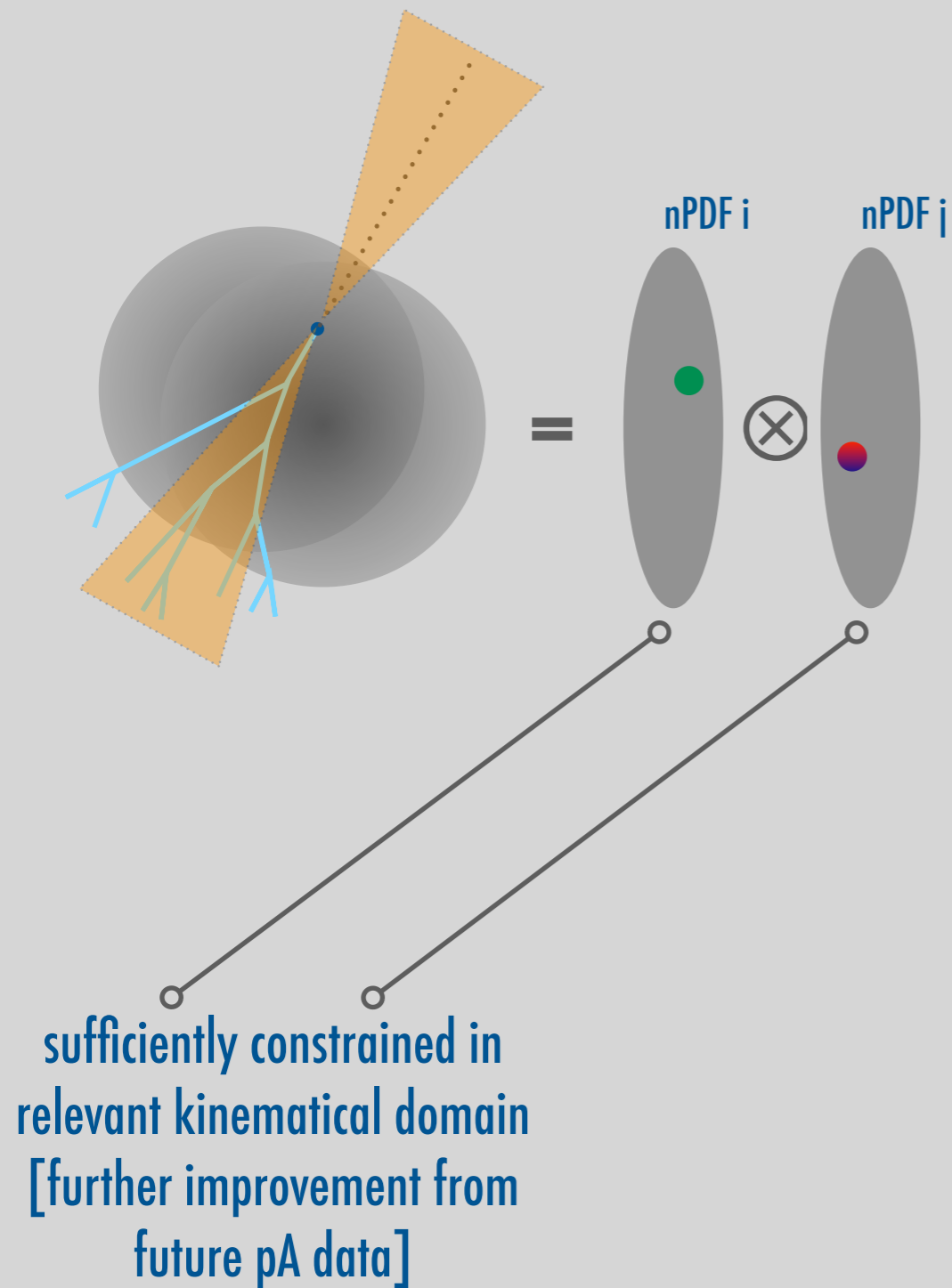
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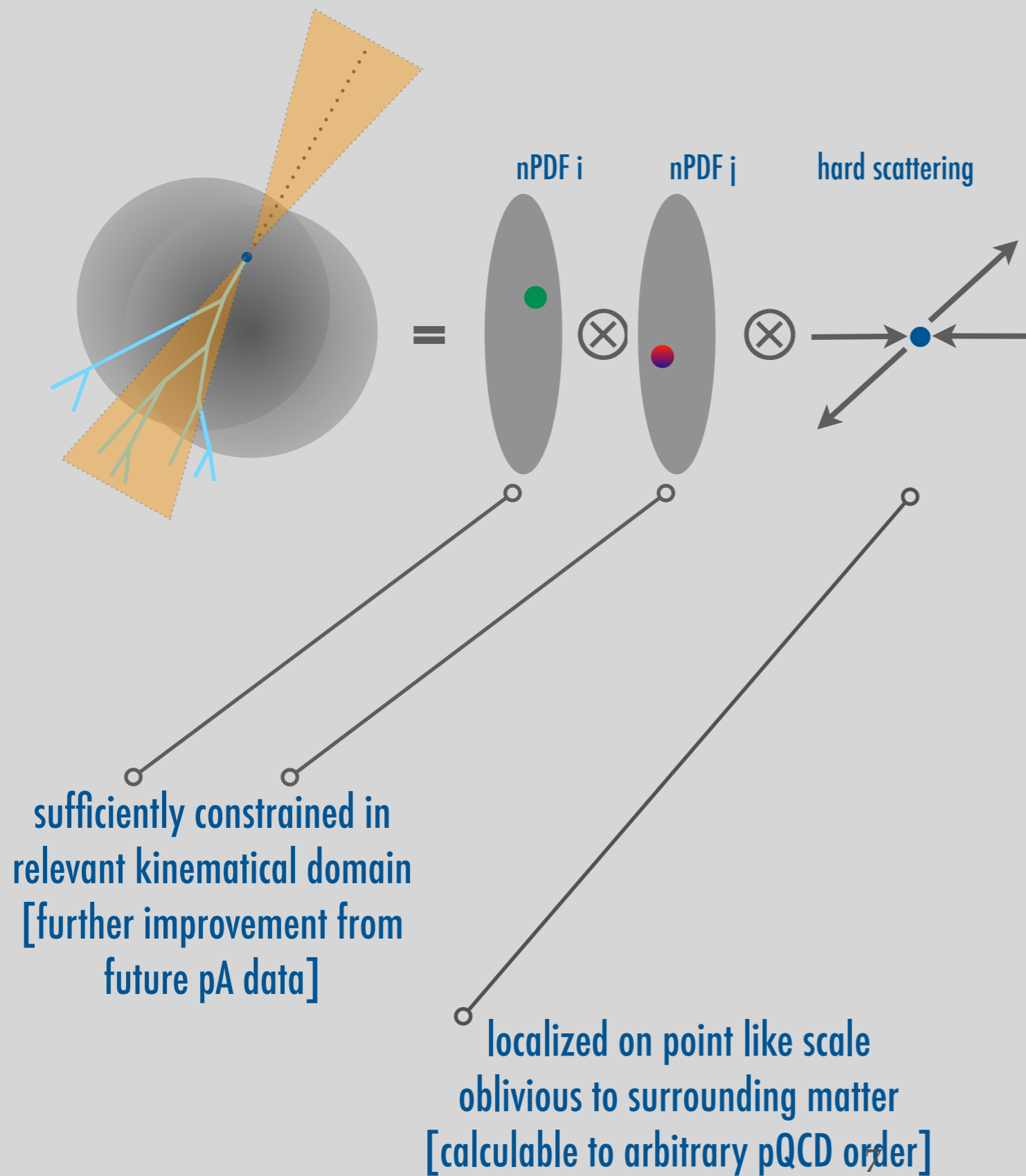
same factorizable structure [challengeable working hypothesis]



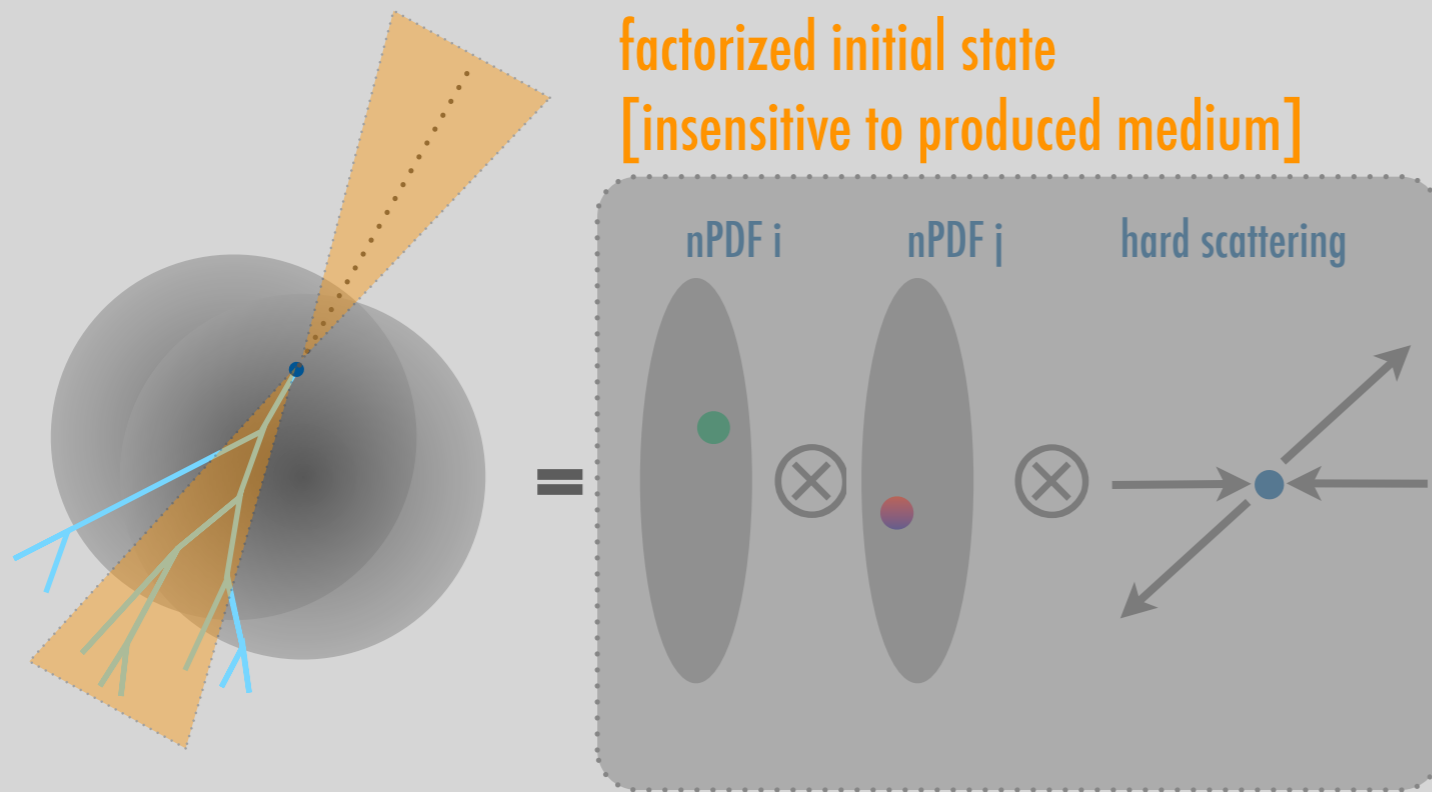
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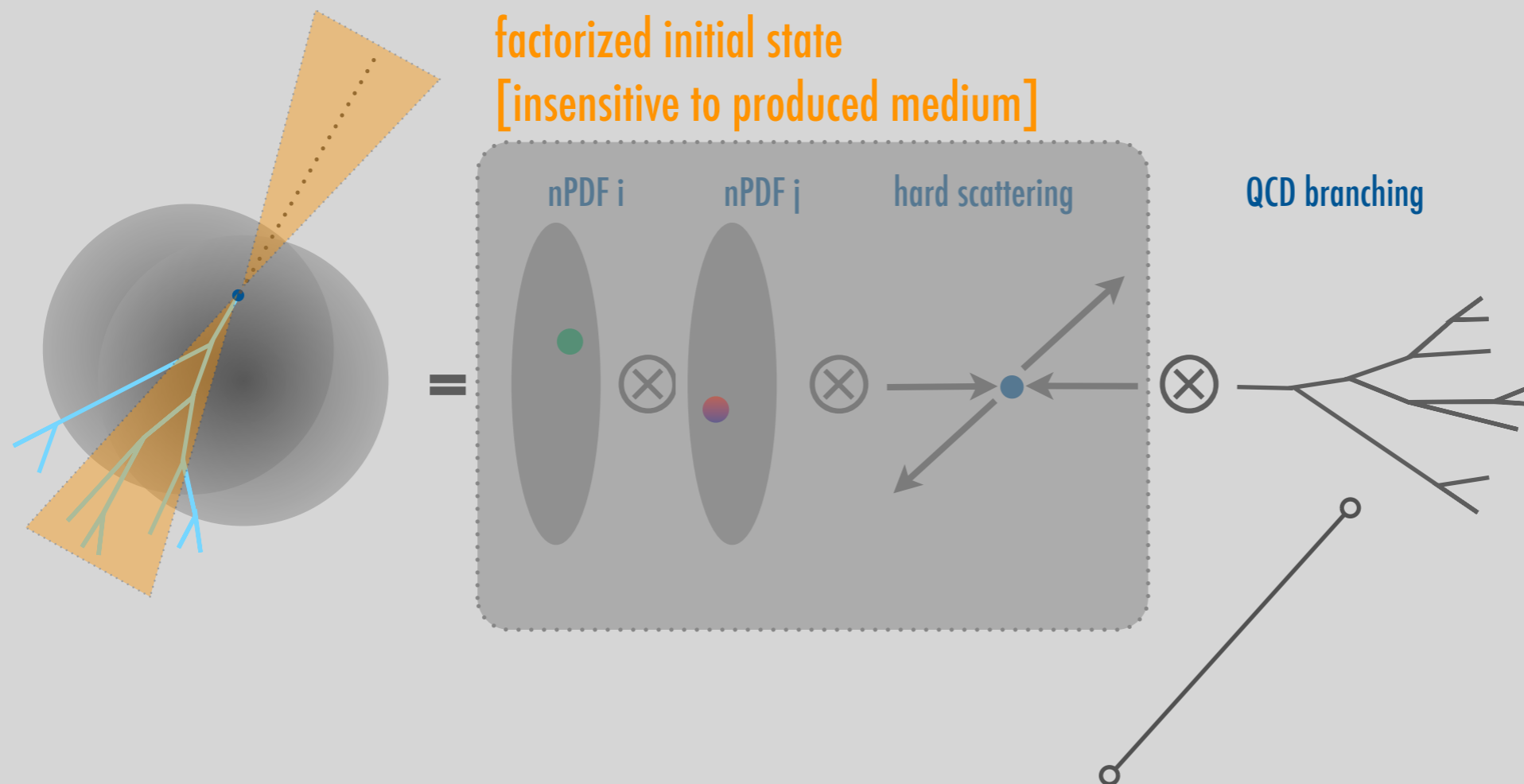
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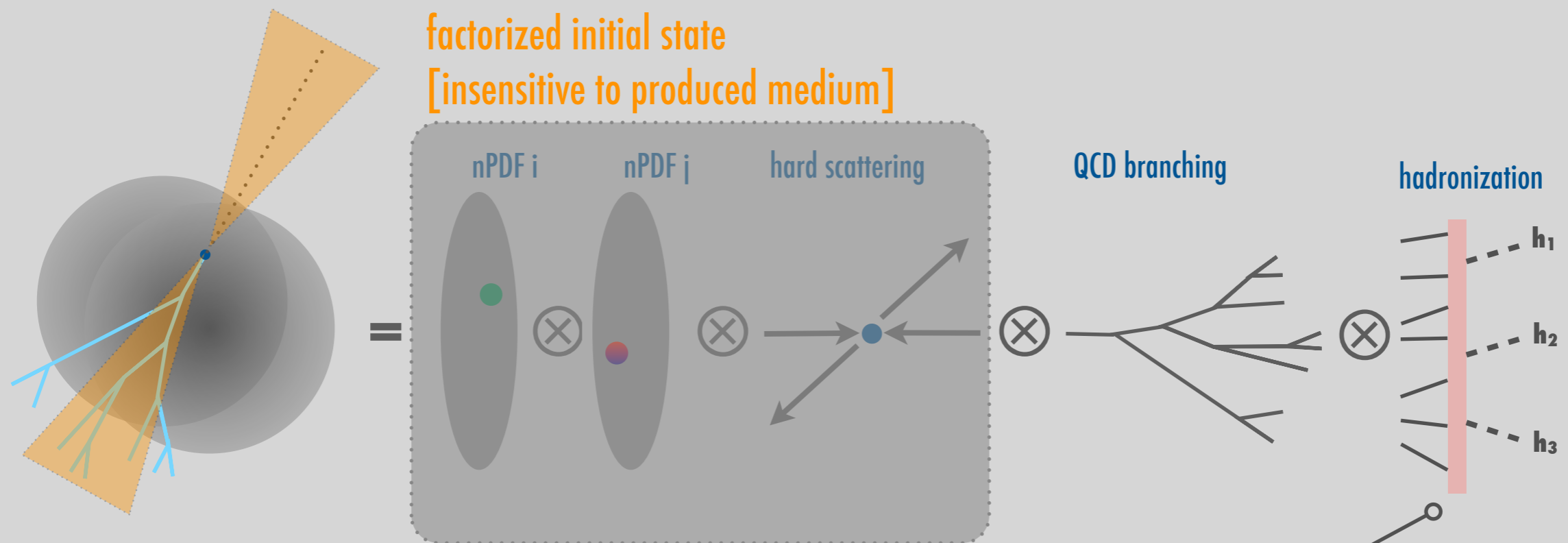
very well [and perturbatively] understood in vacuum

- coherence between successive splittings leads to angular ordering
- faithfully implemented in MC generators

medium modified

- induced radiation [radiative energy loss]
- broadening of all partons traversing medium
- energy/momentum transfer to medium [elastic energy loss]
- strong modification of coherence properties
- modification of colour correlations

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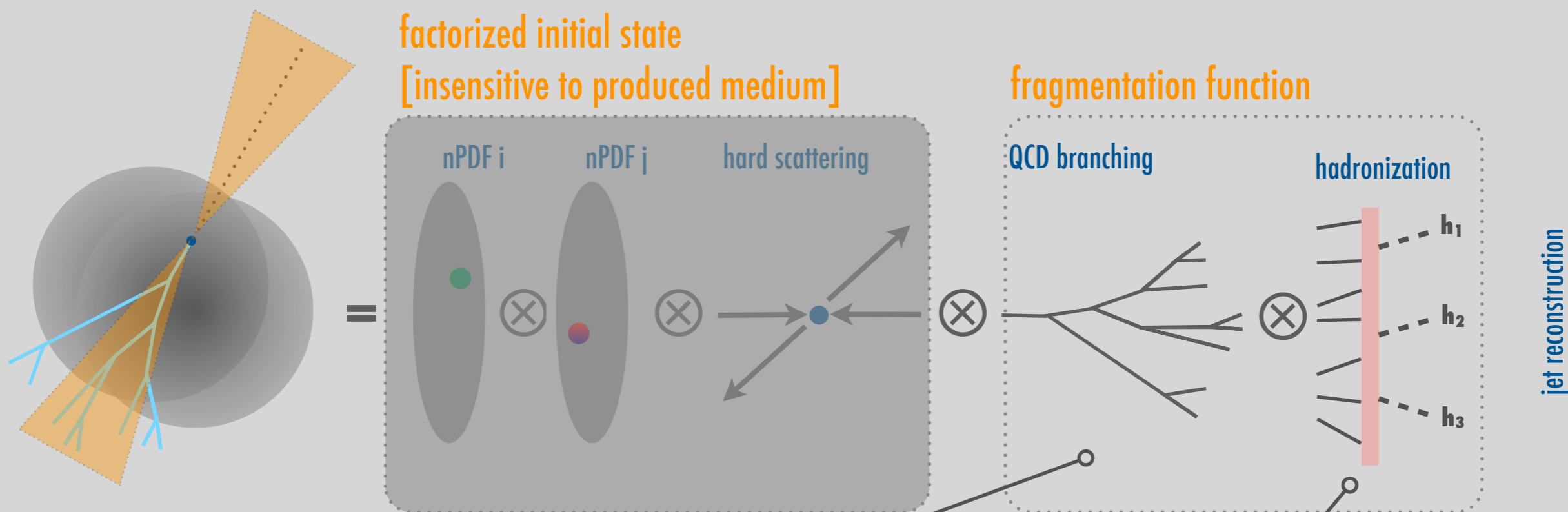
- effective description in MC [Lund strings, clusters, ...]
- FF for specific final state [jet, hadron class/species, ...]

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- time delayed [high enough p_t] thus outside medium
- colour correlations of hadronizing system changed

fragmentation outside medium = vacuum FFs ???

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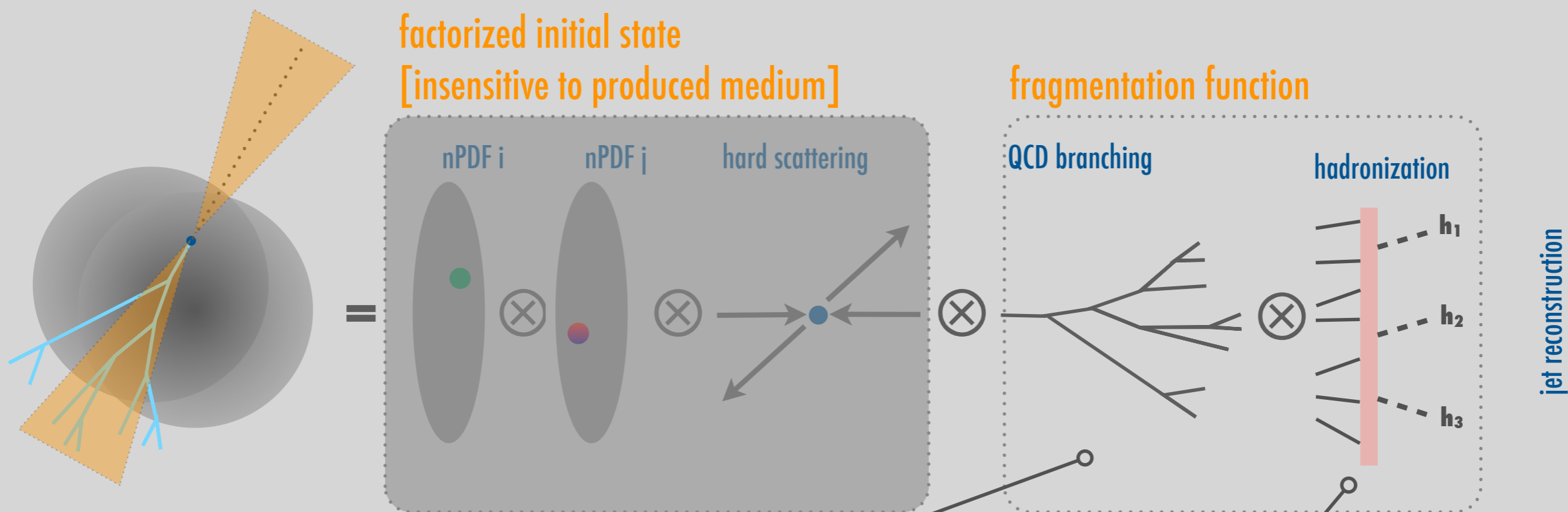
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jet quenching :: observable consequences [in jet and jet-like hadronic observables] of the effect of the medium

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to establish **quenched jets**
[their hadron 'jet-like' and full jet observables]
as **medium probes** requires a full theoretical account of

- QCD *branching*
- *effect on hadronization [if any]*

in the presence of a **generic medium**

and

a detailed assessment of the **sensitivity of observables**
to specific medium effects

:: probe ::

physical object/process under strict theoretical control for which a definite relationship between its observable properties and those of the probed system can be established

life story of an in-medium jet

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 - *hard skeleton defined [3-jet rates, hard frag, ...]*
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- *after medium escape*
 - *vacuum branching*
 - *hadronization of colour modified system*

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soft components at large angles
[double counting ?]

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most [all?] questions asked, many [most?] being answered

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Apolinário, Armesto, Salgado [1204.2929]

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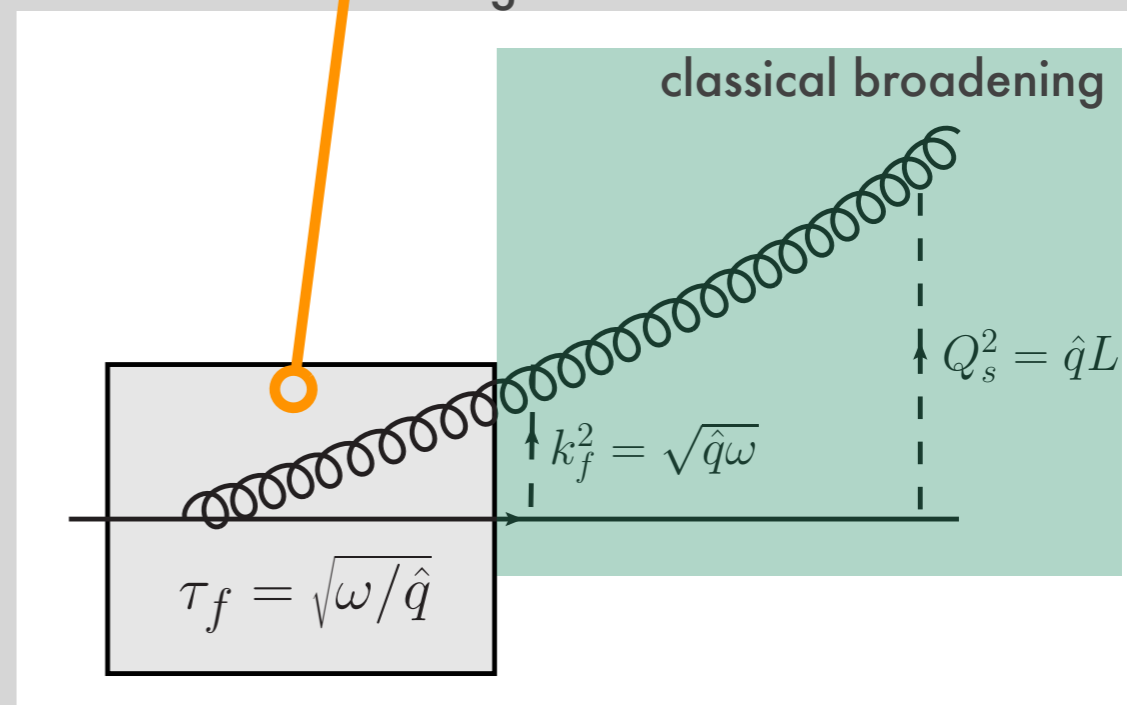
[Apolinário, Armesto, Milhano, Salgado \[1306.xxxx\]](#)

broadening

- medium induced radiation off a single quark in a dense medium **BDMPS-Z** revisited

$$\mathcal{R}_q^{\text{med}} \approx 4\omega \int_0^L dt' \int \frac{d^2\mathbf{k}'}{(2\pi)^2} \mathcal{P}(\mathbf{k} - \mathbf{k}', L - t') \sin\left(\frac{k'^2}{2k_f^2}\right) e^{-\frac{k'^2}{2k_f^2}}$$

quantum emission/broadening during formation time



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 - soft radiation decorrelated from jet direction/transported to large angles
 - enhancement of soft fragments outside the jet

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broadening [jet collimation]

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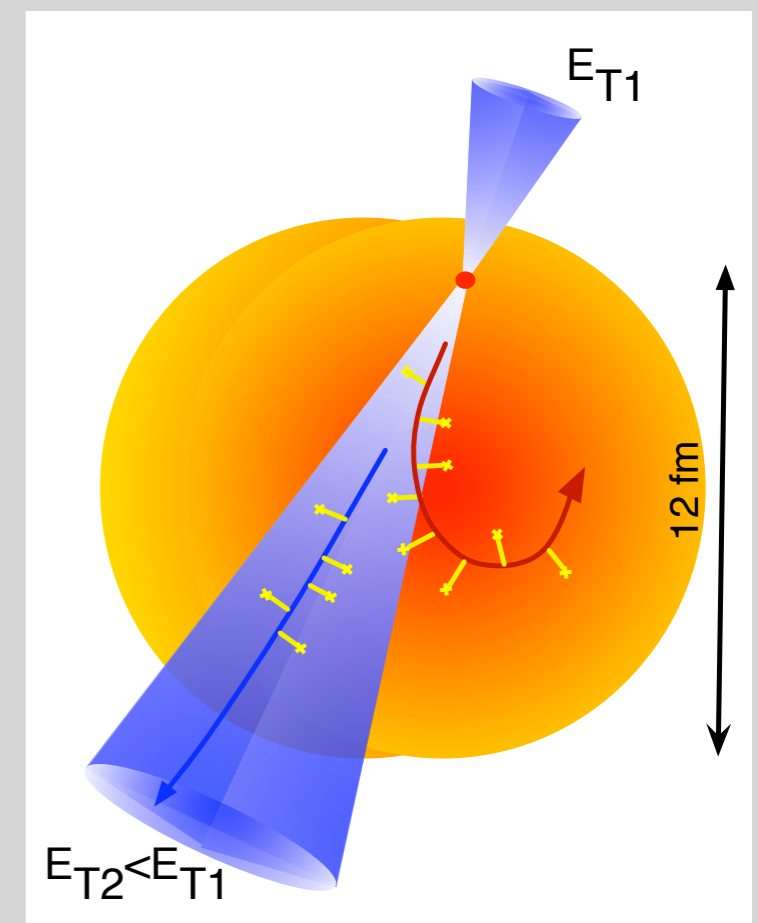
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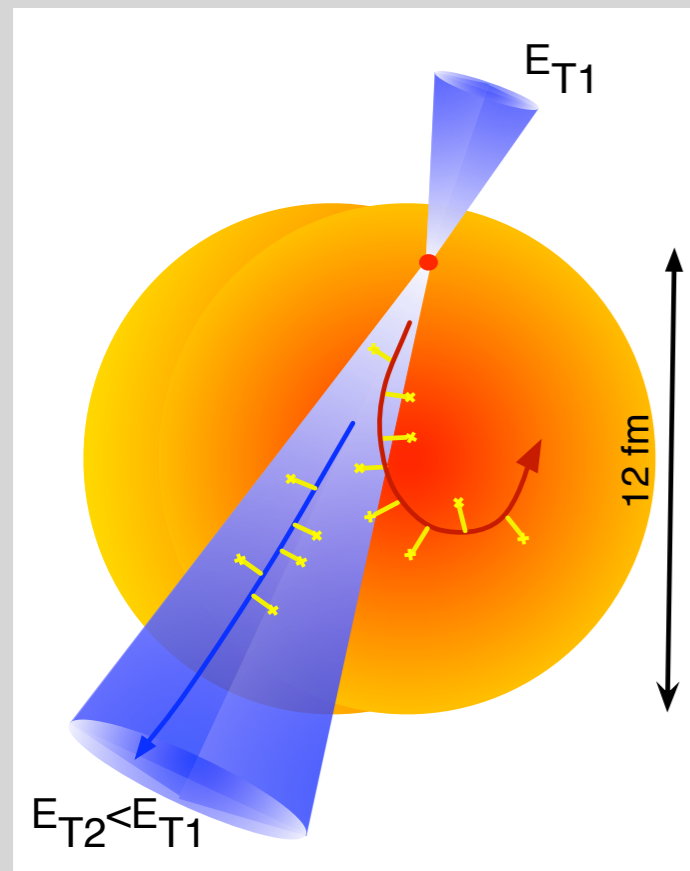
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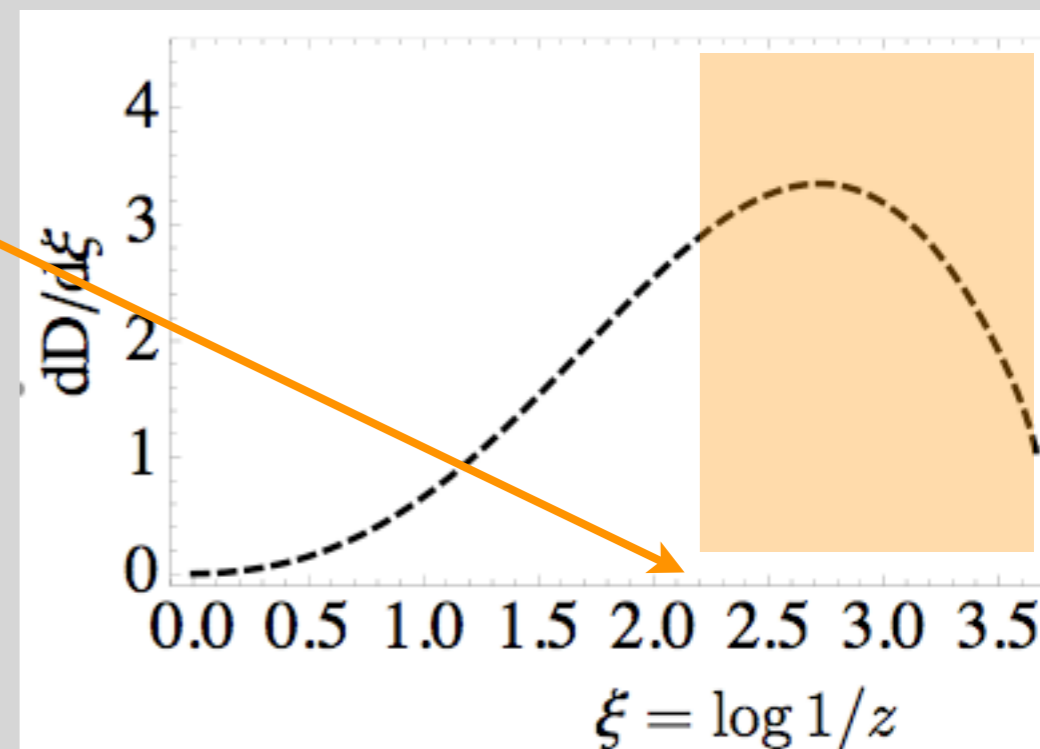


jet collimation

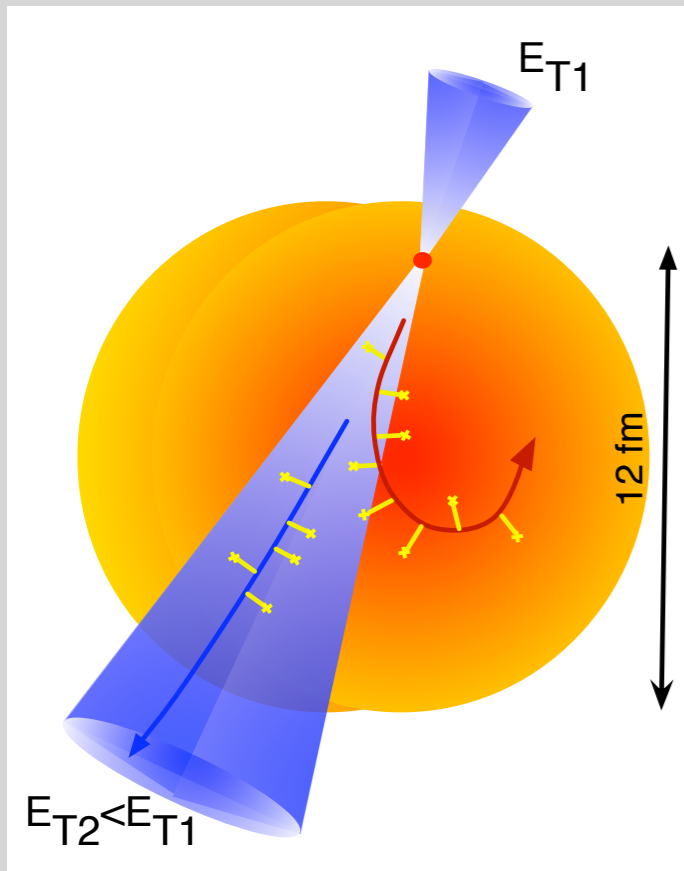


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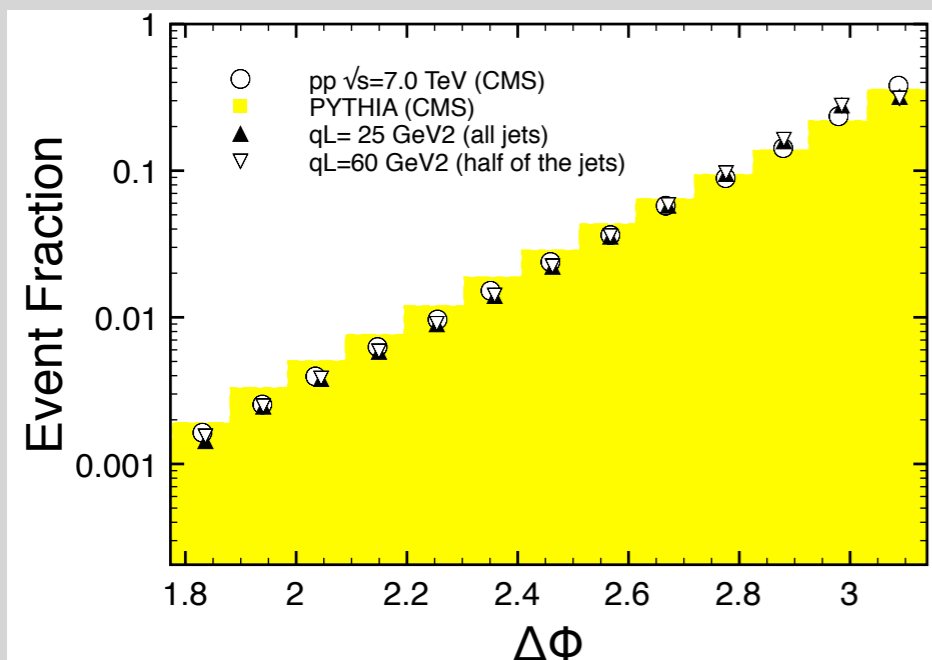
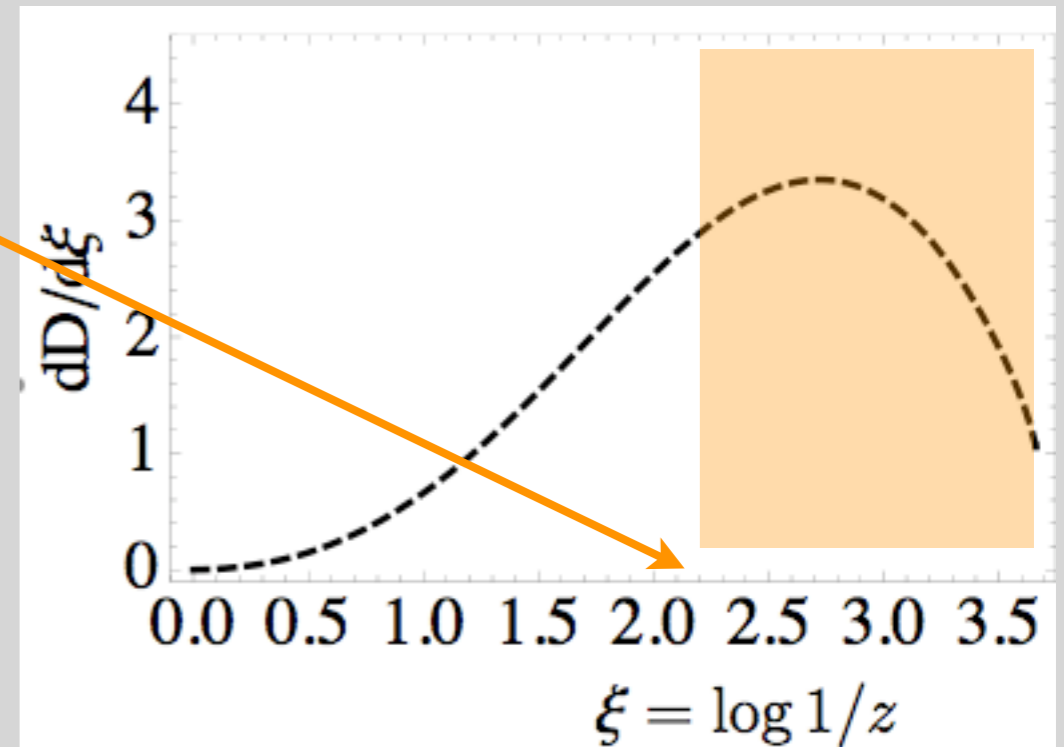


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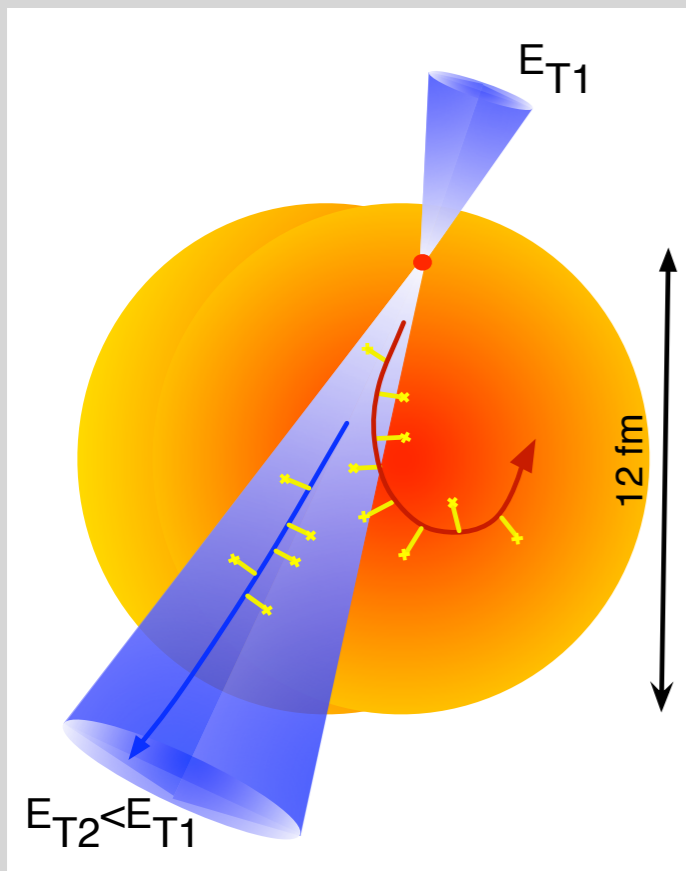
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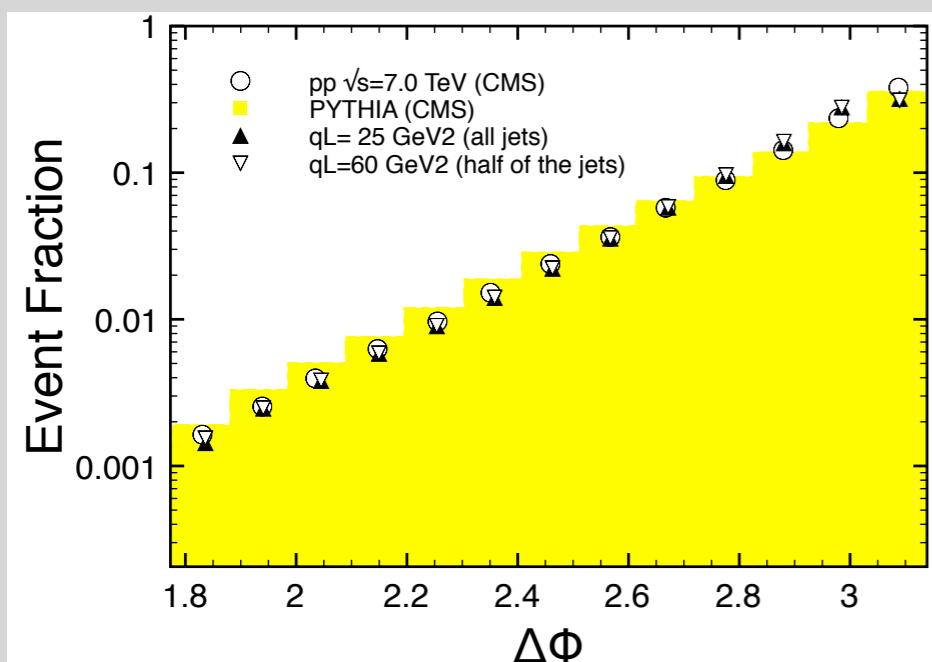
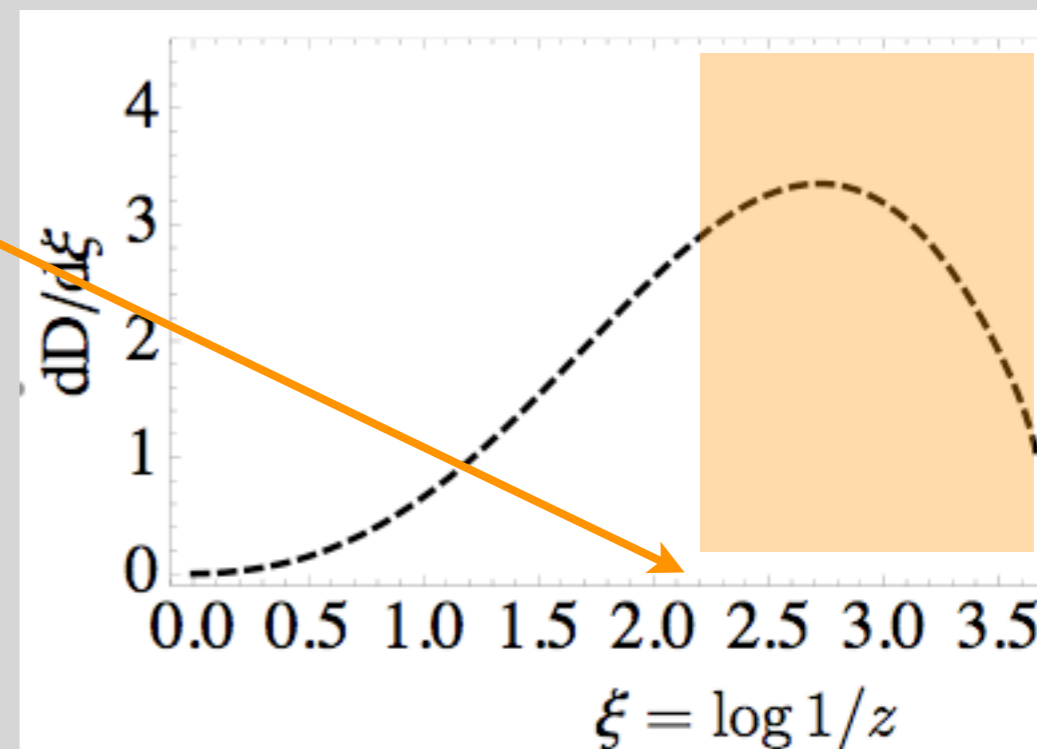
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jet collimation



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good qualitative description
of average medium induced
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[= 0.3]

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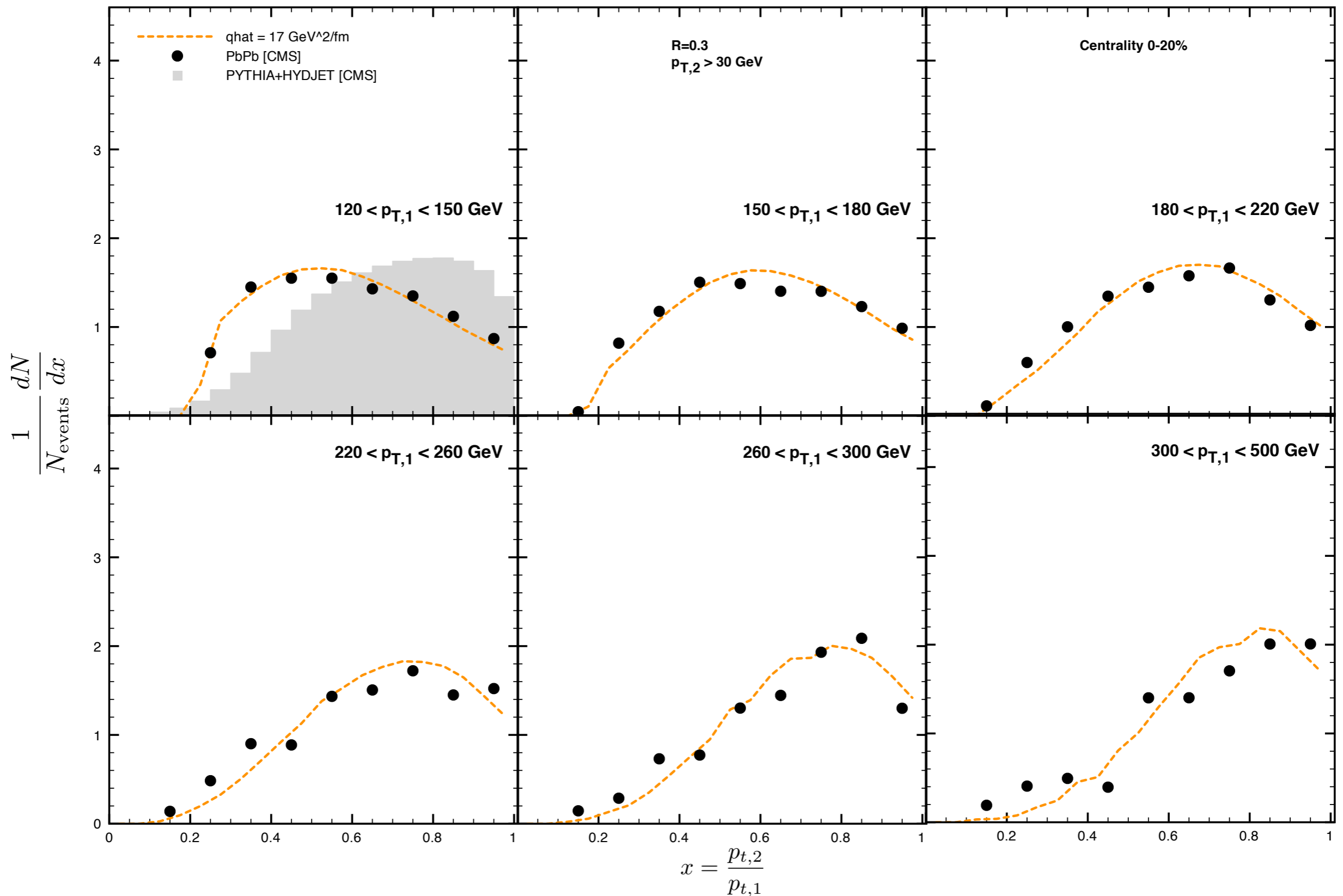
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- ↪ vacuum baseline from data [CMS]

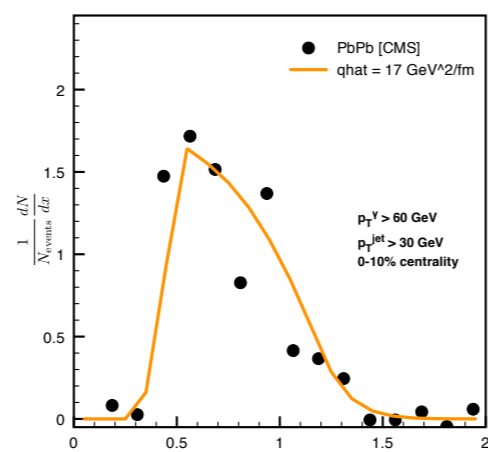
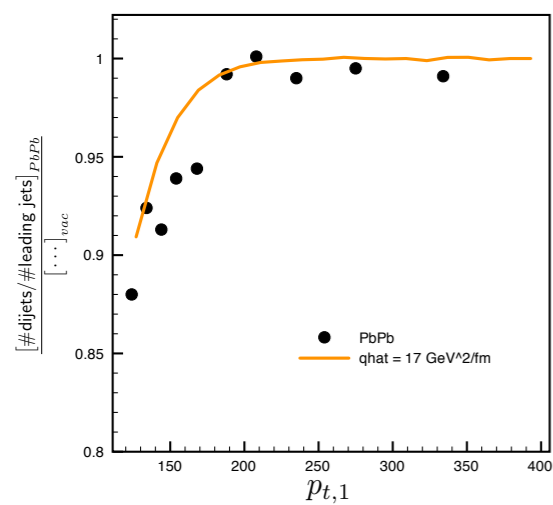
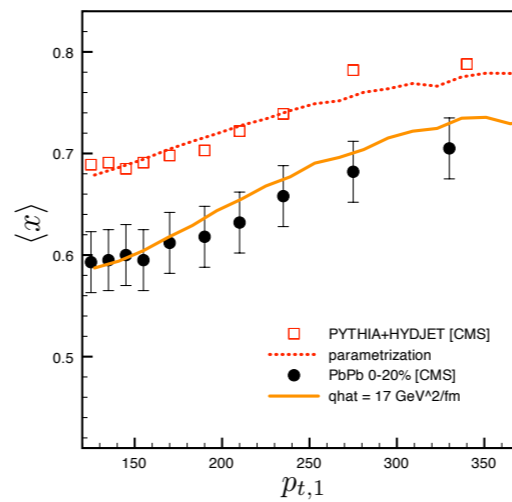
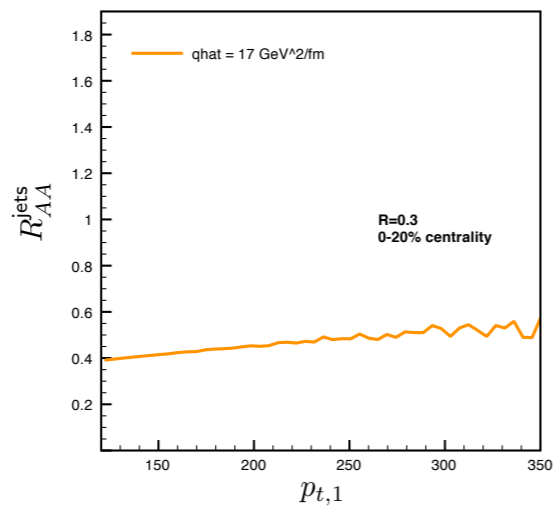
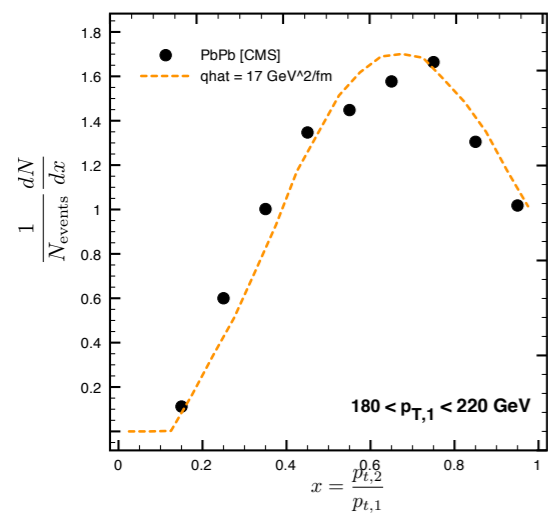
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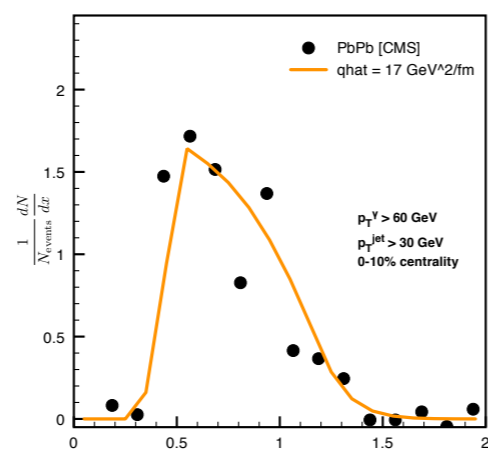
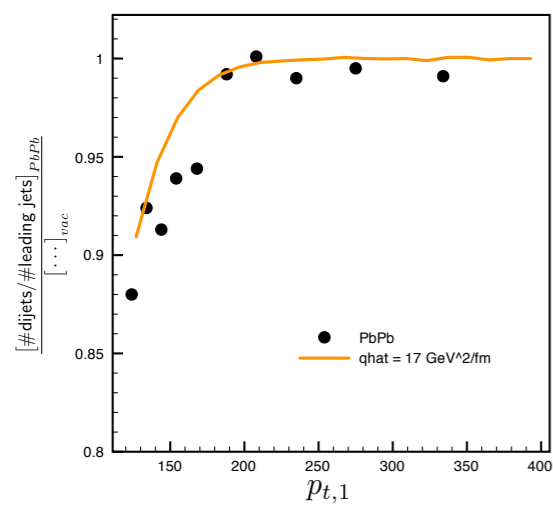
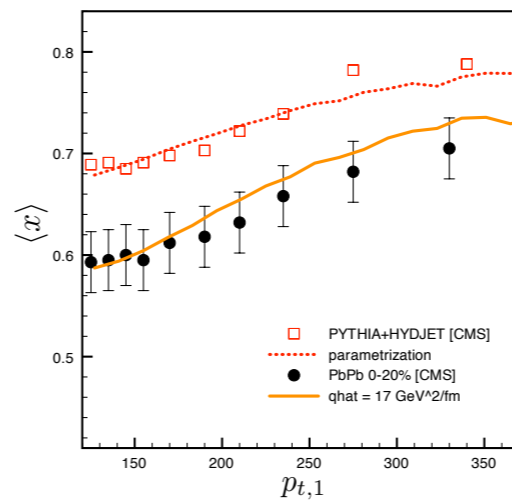
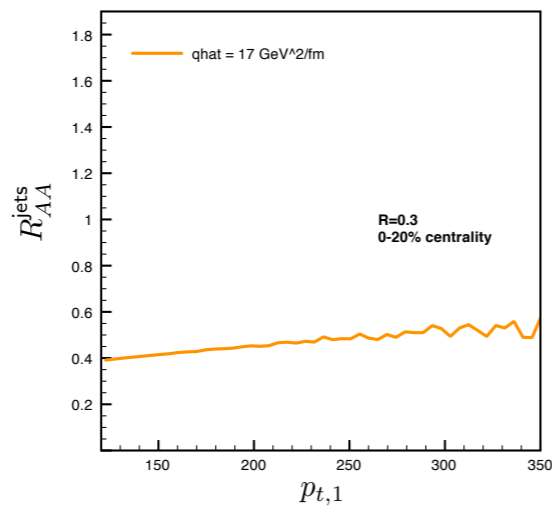
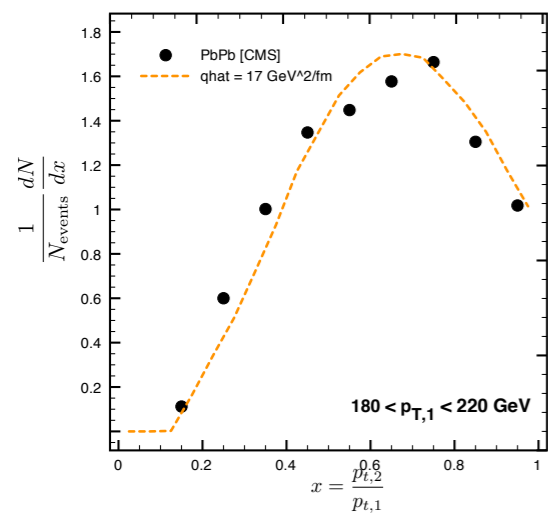
energy dependence of dijet imbalance



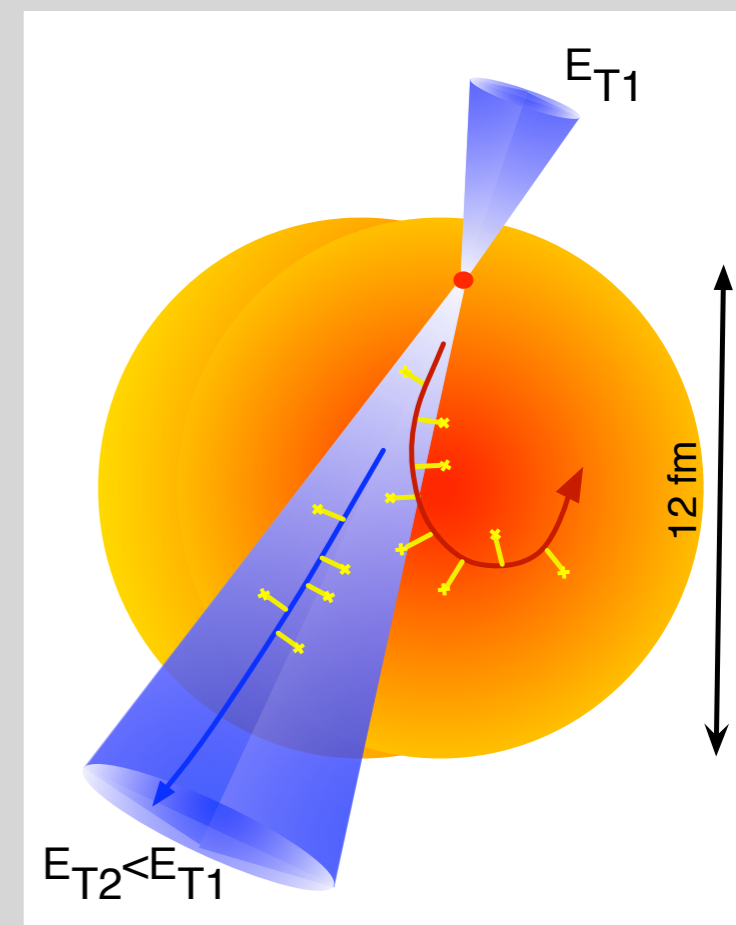
broadening [jet collimation]



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HP 2012



color flow and hadronization

- hadronization is effectively accounted for by
 - ↪ [analytically] defining universal fragmentation functions [the probability of a given final state – hadron, jet – to arise from the showering and subsequent hadronization of fragments]
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- [PYTHIA] Lund strings
- phenomenologically successful for elementary collisions

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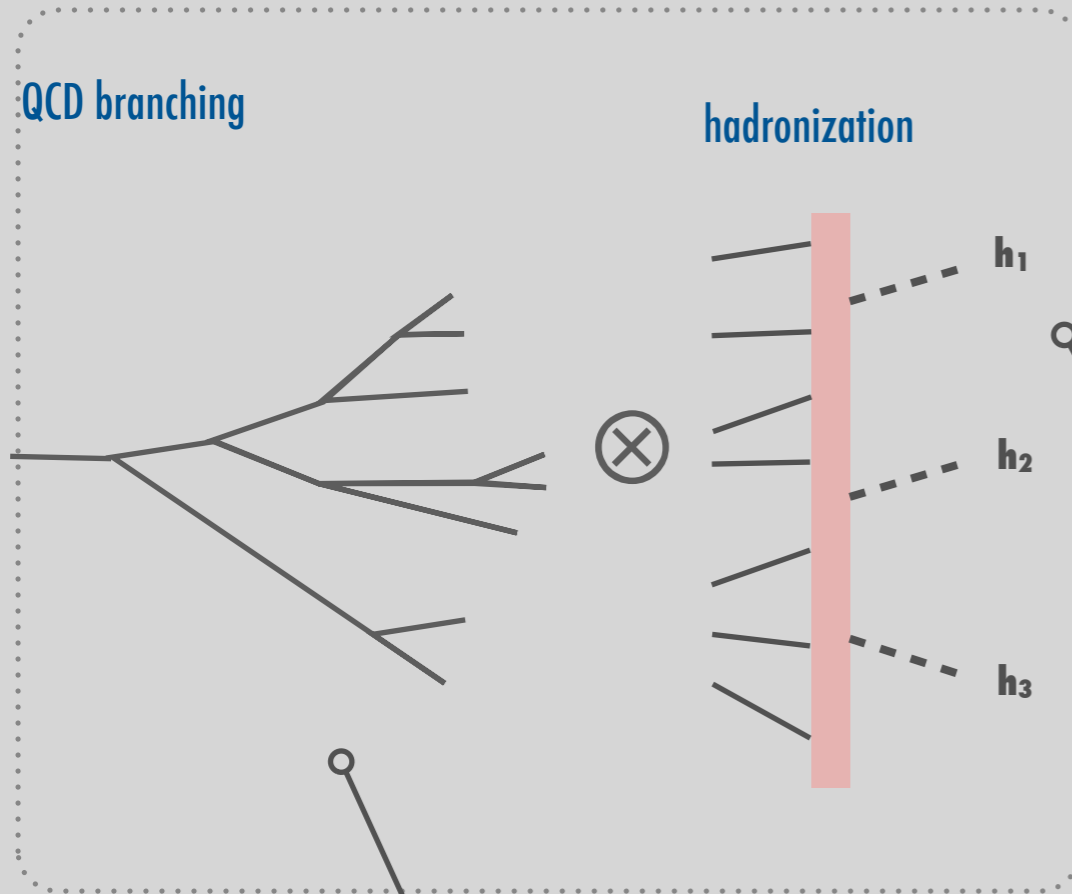
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color correlations between final state partons [+ kinematics] determine hadronic output

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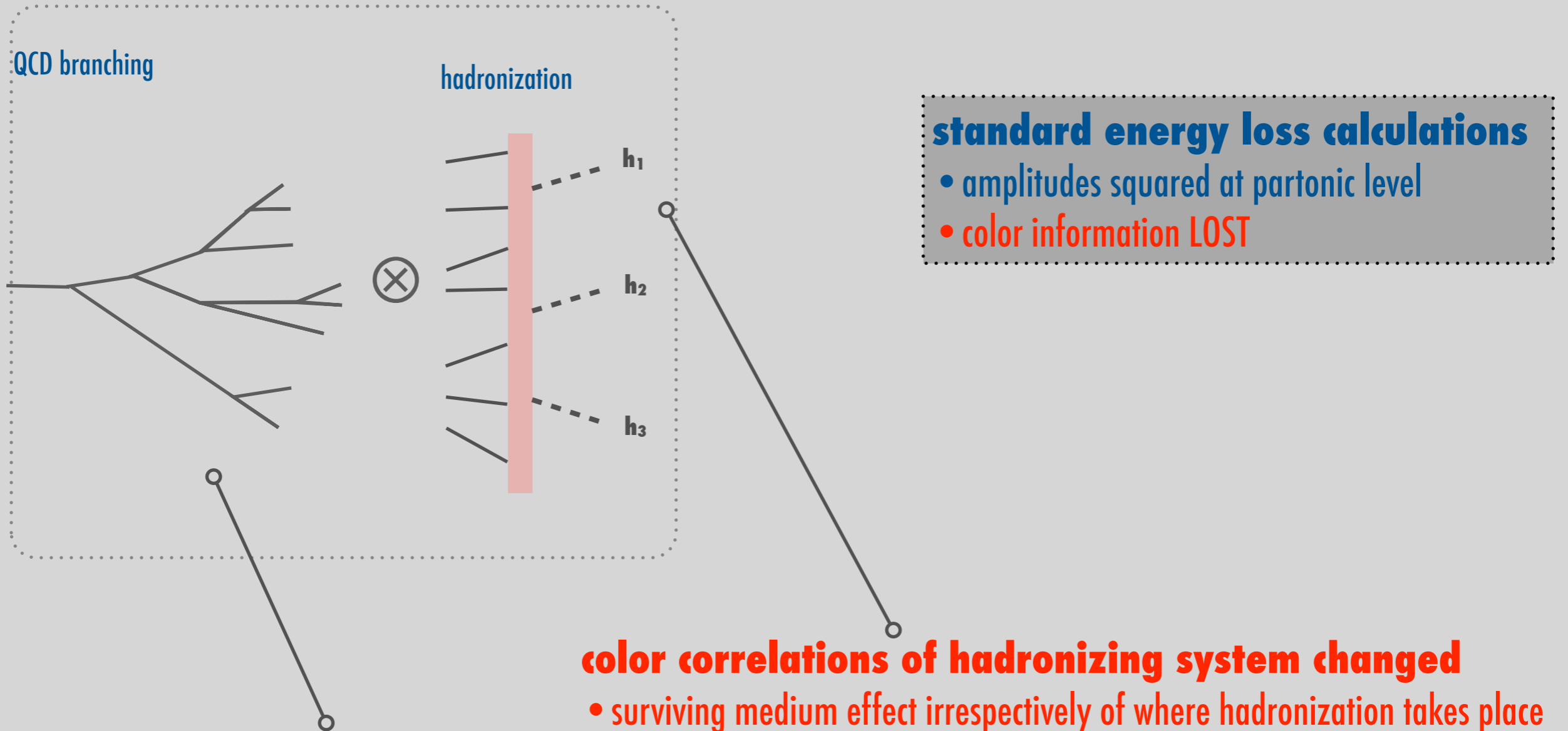
color correlations of hadronizing system changed

- surviving medium effect irrespectively of where hadronization takes place

interactions with medium

- energy/momentum exchanges
- modification of color correlations

color flow and hadronization



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- revisit in-medium $q \rightarrow qg$ and $g \rightarrow gg$ 'colour-differentially'

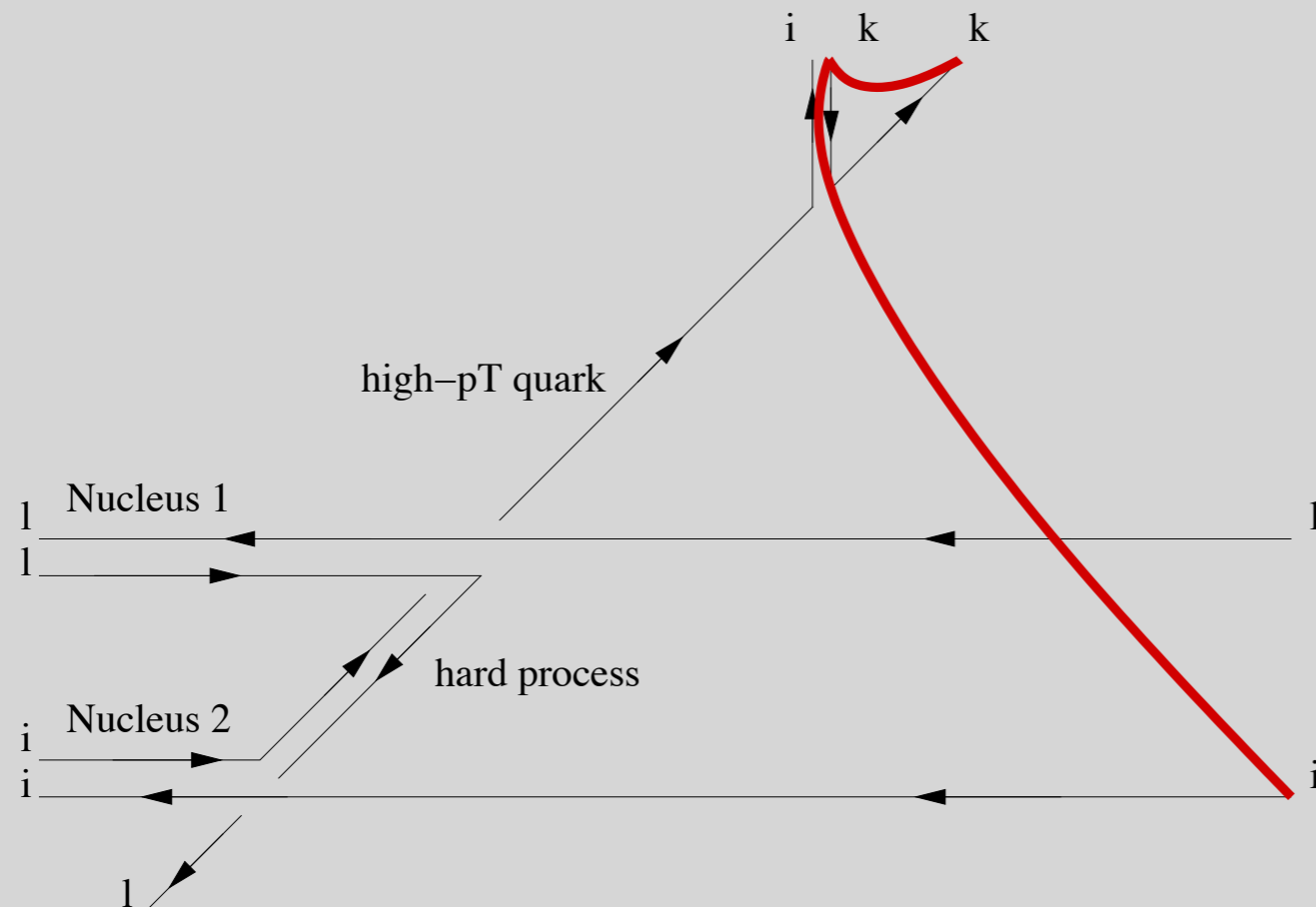
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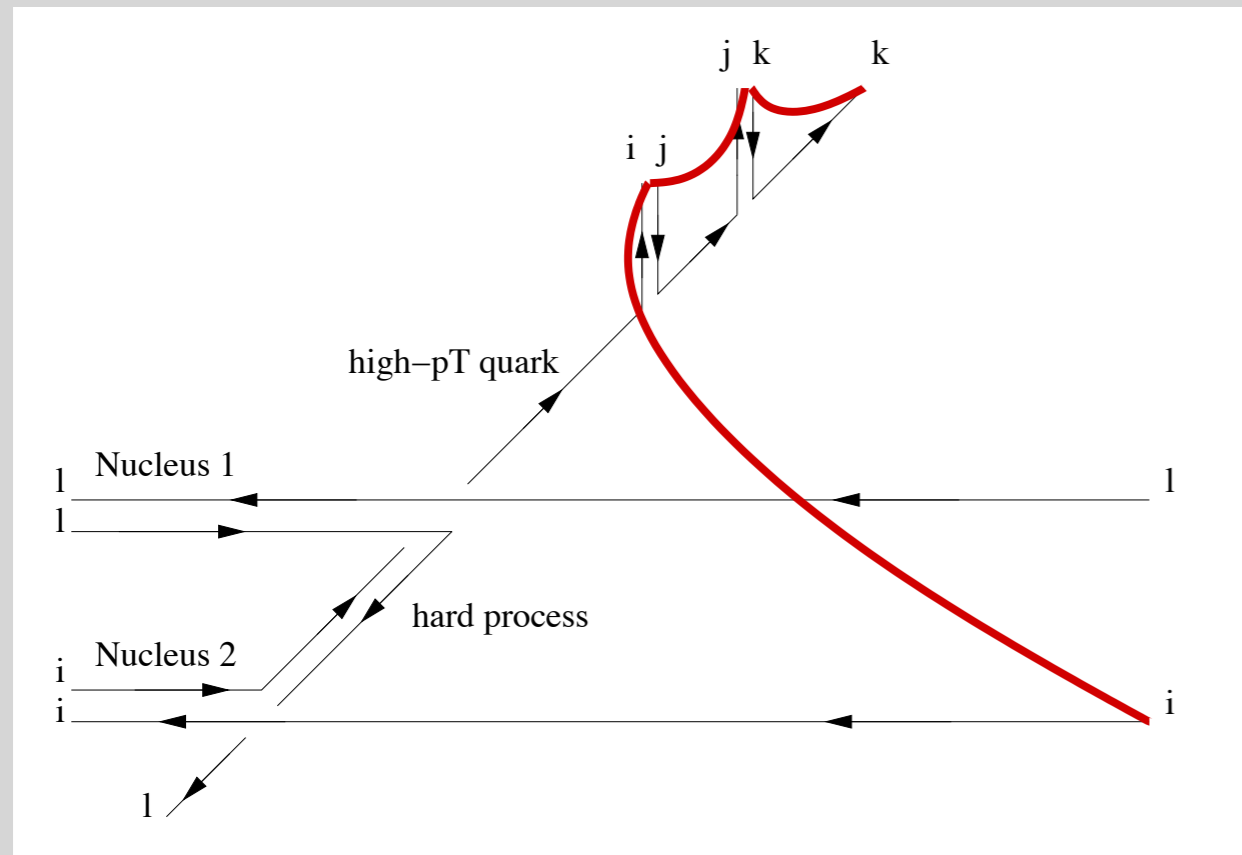
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- Lund [PYTHIA] strings in the following
 - ↪ same conclusions from clustering [HERWIG]

color flow in the vacuum



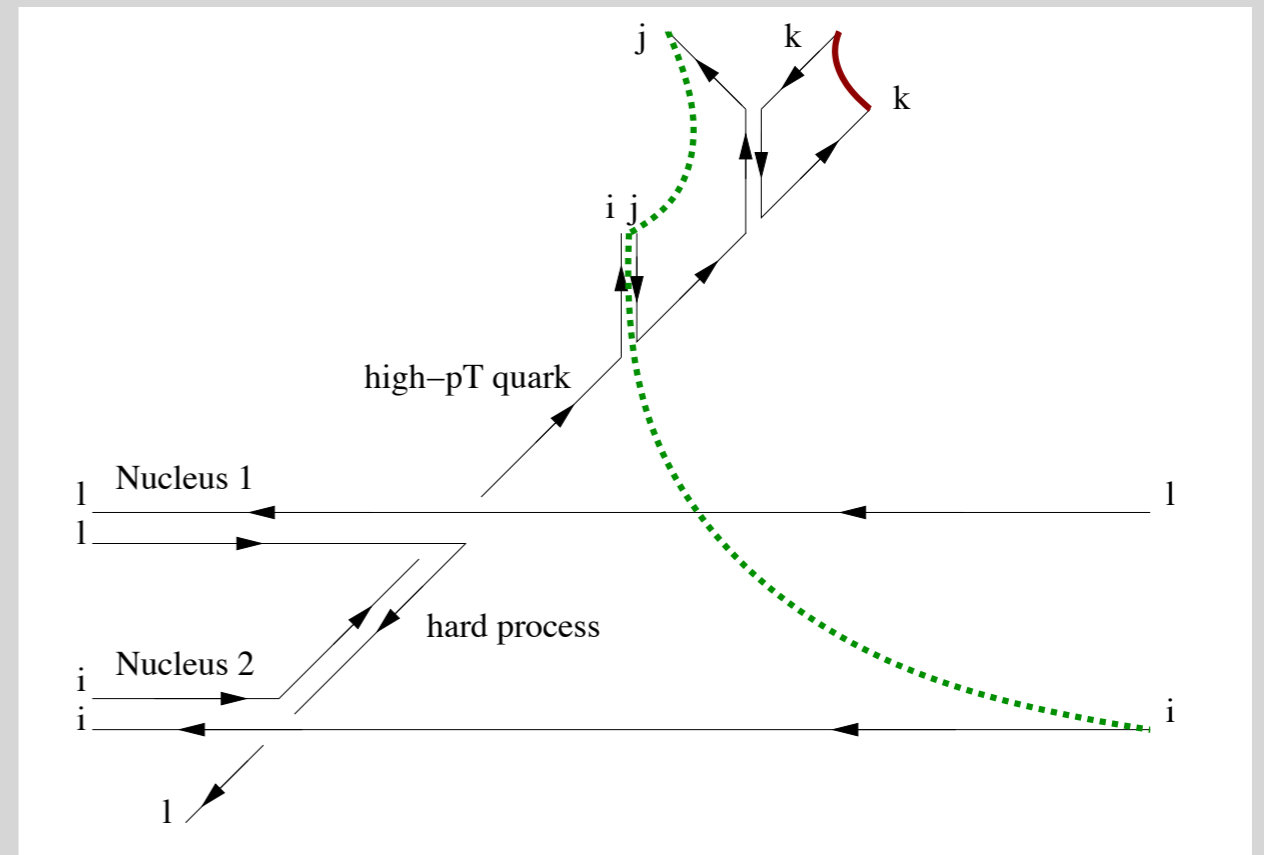
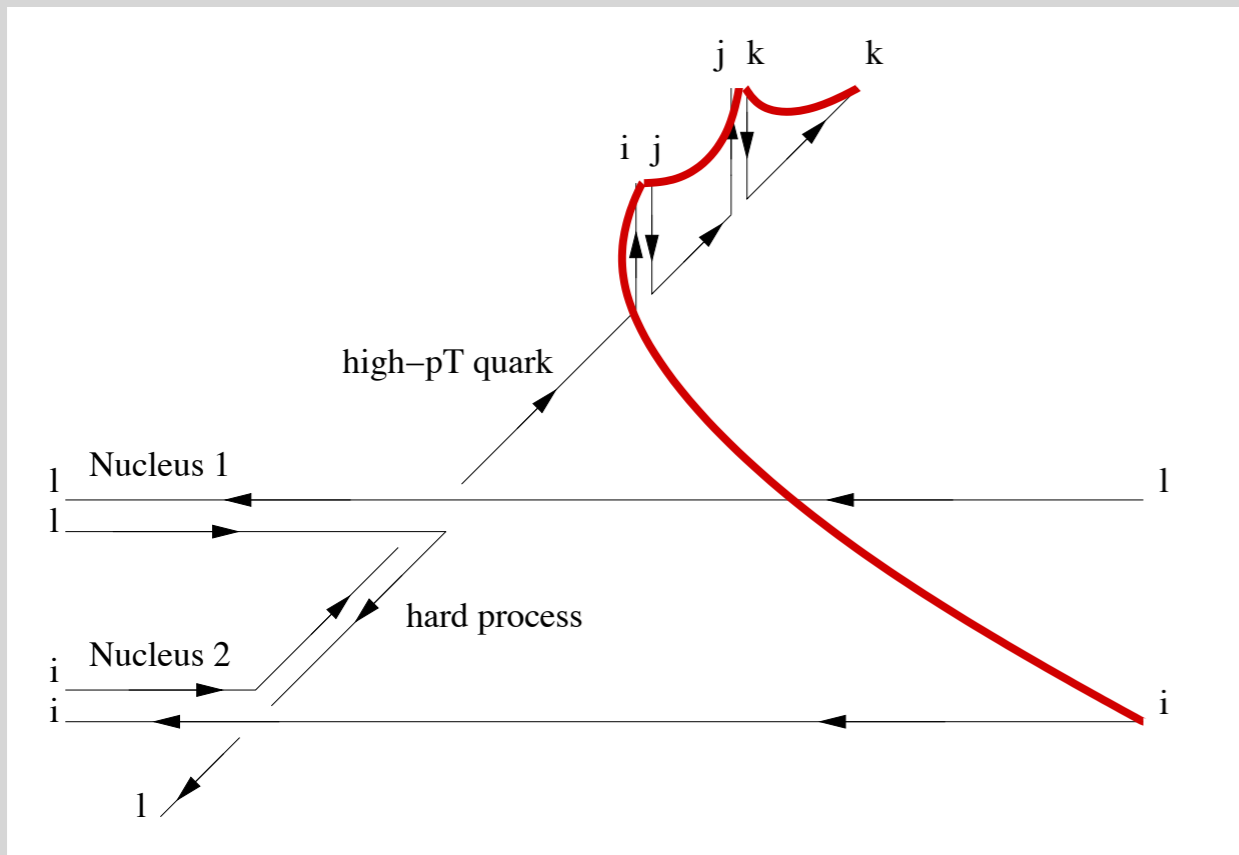
- 'string' extends from high- p_t , through gluon 'kink', to low- p_t beam remnant
- multiplicity and distribution of hadrons resulting from 'string' depends essentially on the 'string length' [separation of endpoints in momentum space]
- final-state quark and radiated gluon always part of same string
- only correlation is between primary parton and 'beam remnant'

color flow in the vacuum



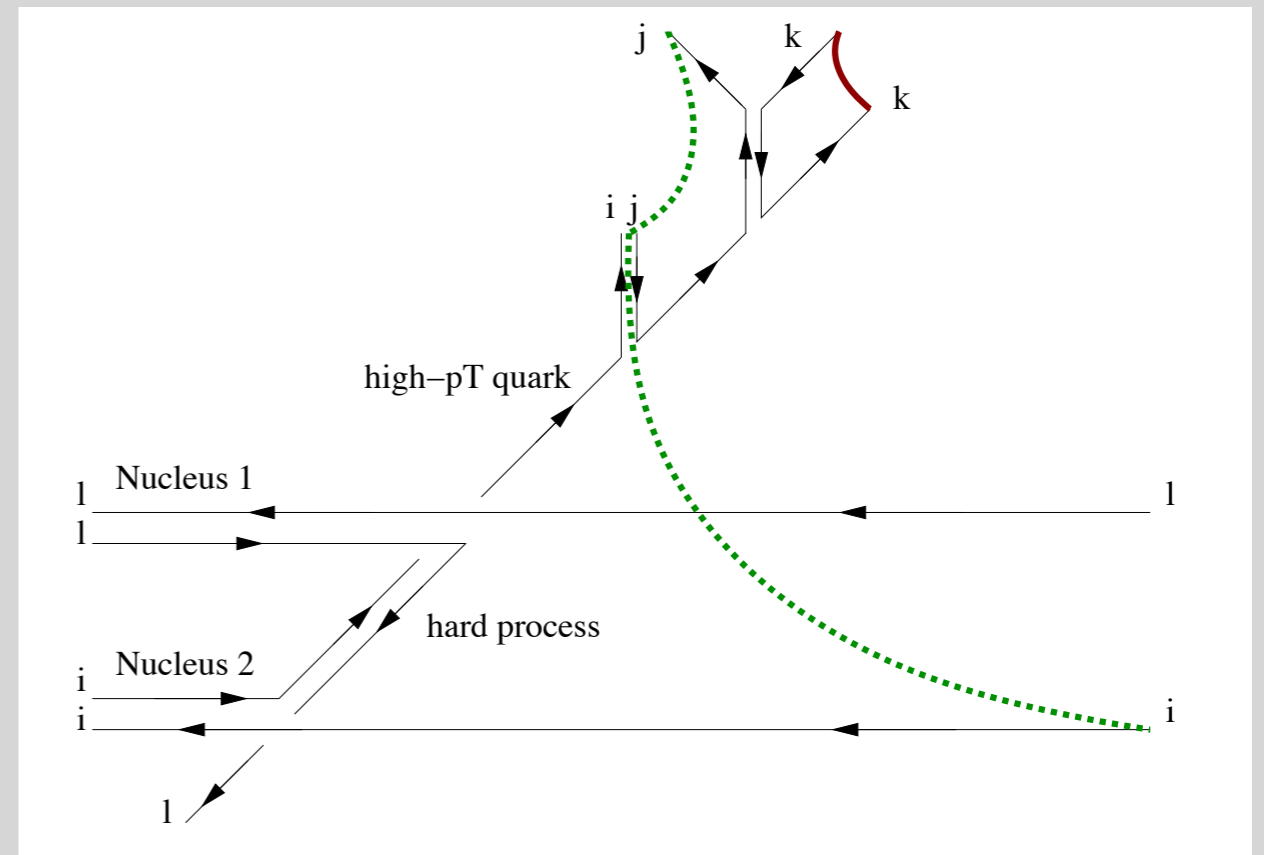
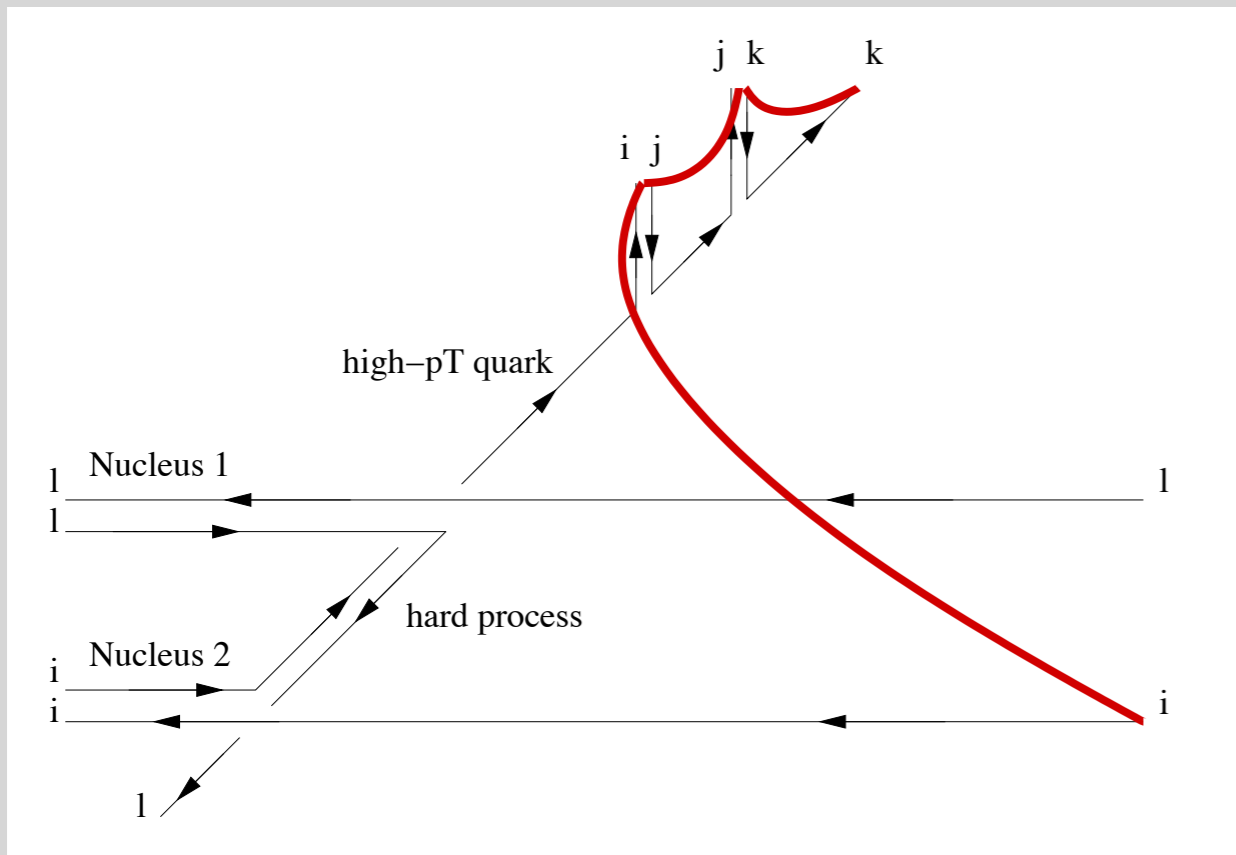
—○ most radiated gluons color-connected with projectile fragment

color flow in the vacuum



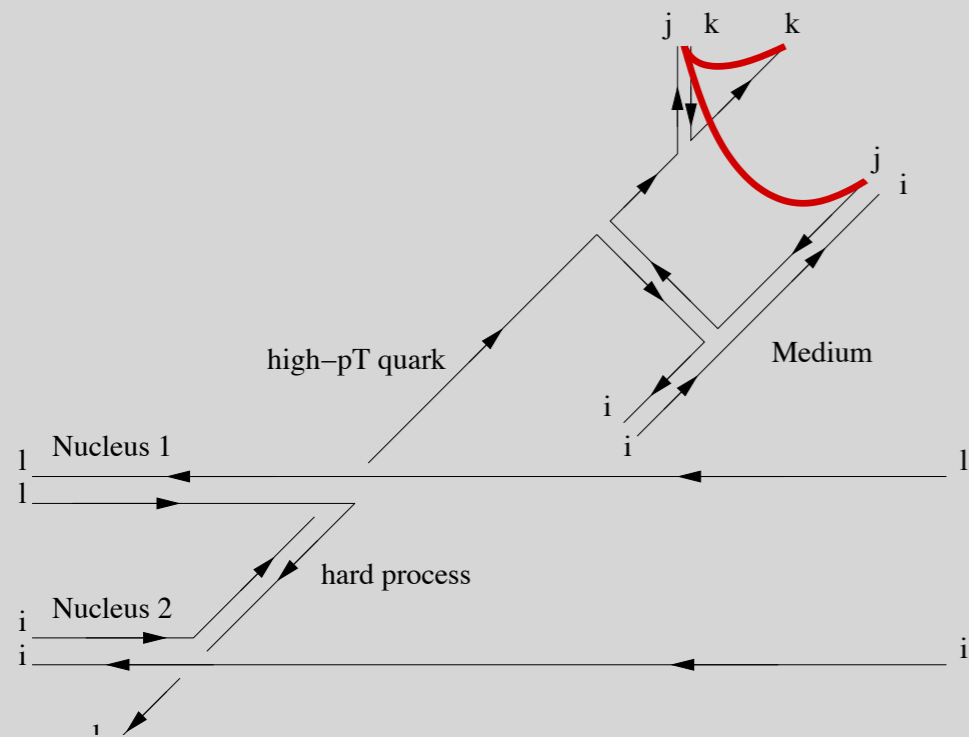
- most radiated gluons color-connected with projectile fragment
- only $g \rightarrow q\bar{q}$ can break color connection
 - ↪ splitting with no soft enhancement [$\sim z^2 + (1-z)^2$]

color flow in the vacuum



- most radiated gluons color-connected with projectile fragment
- only $g \rightarrow q\bar{q}$ can break color connection
 - ↪ splitting with no soft enhancement [$\sim z^2 + (1-z)^2$]
 - compare with $g \rightarrow gg$ [$\sim (1-z)/z + z/(1-z) + z(1-z)$]

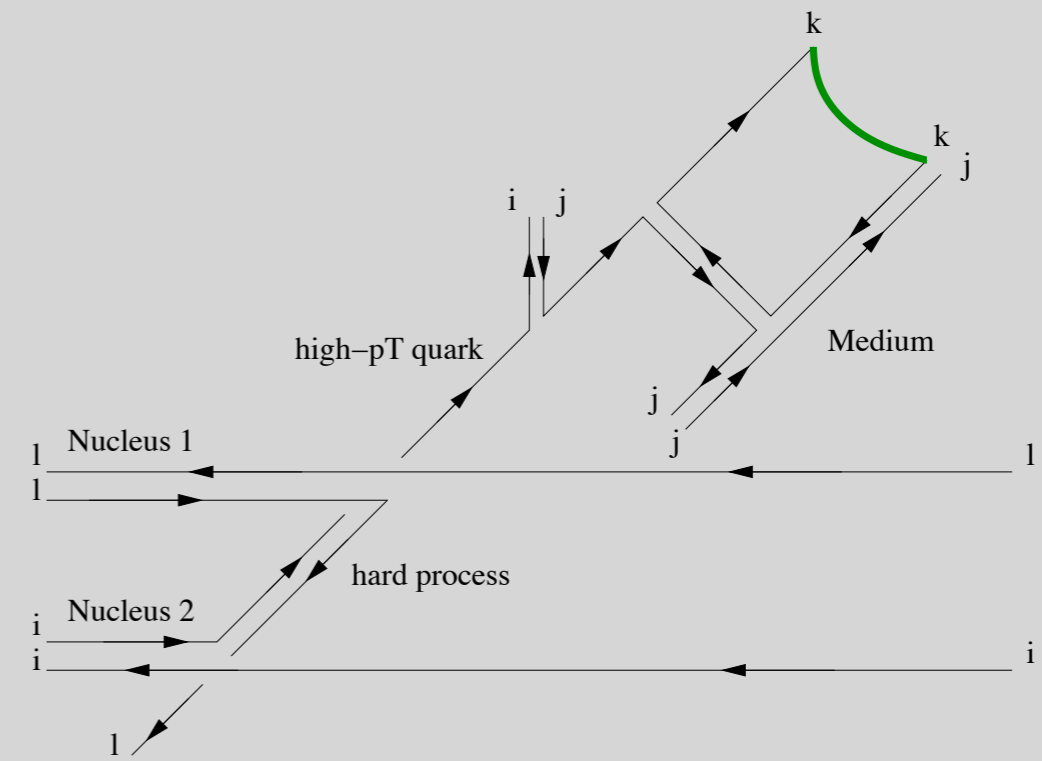
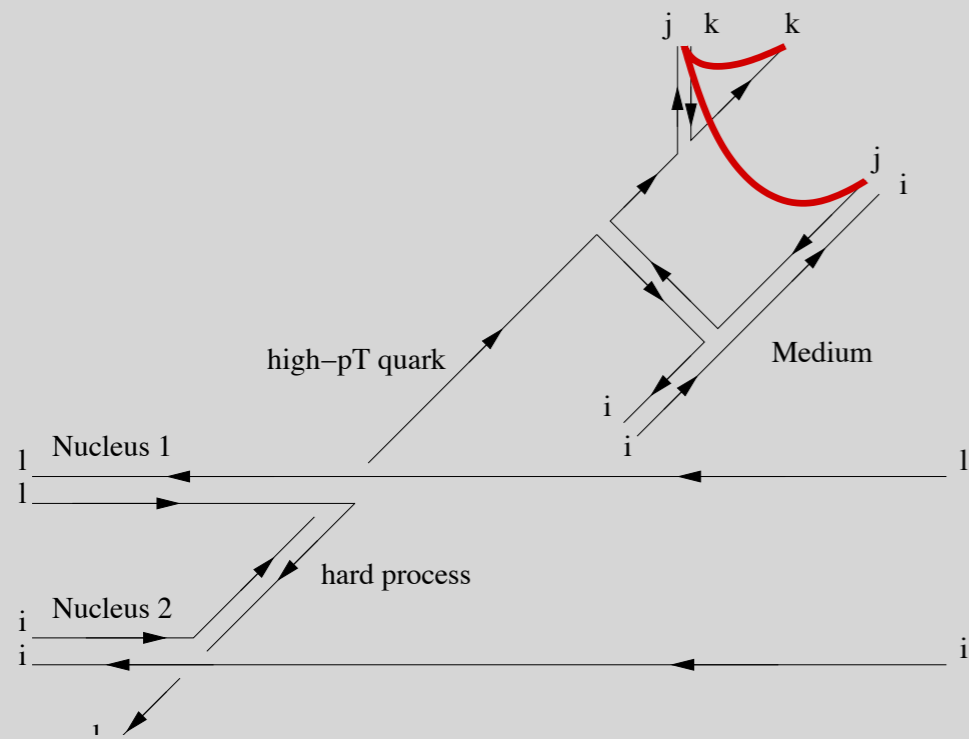
color flow in the medium



—○ medium interaction prior to gluon emission

↪ 'vacuum like' string from high to low [thermal] p_T and including the gluon

color flow in the medium



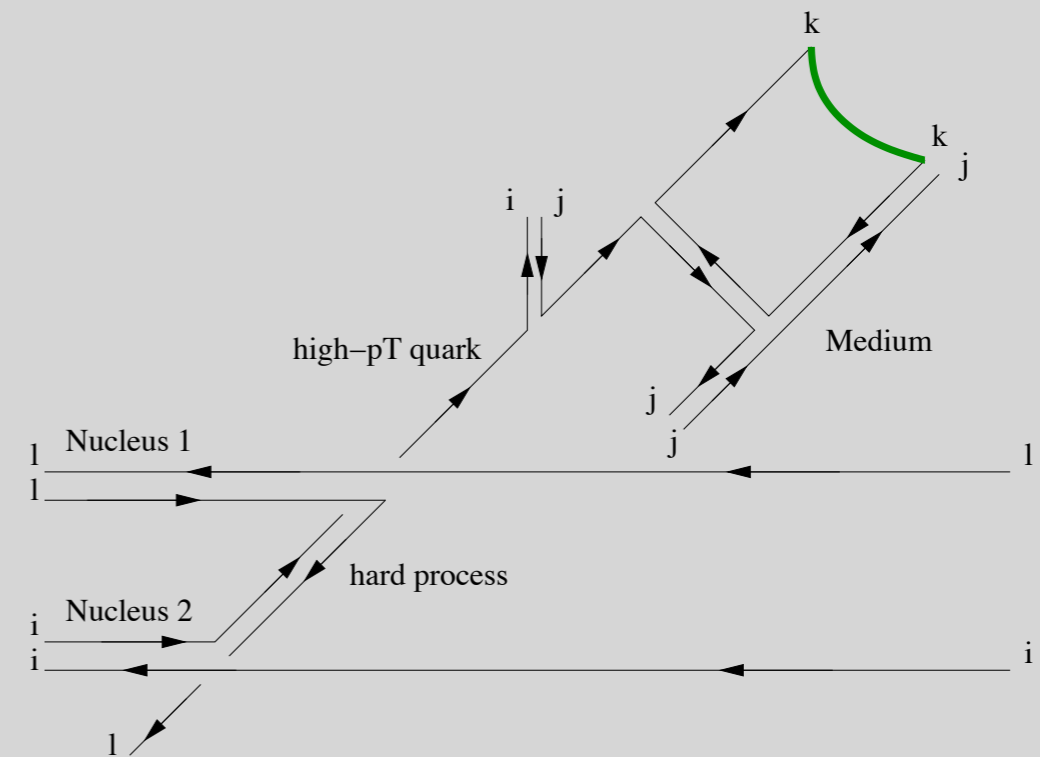
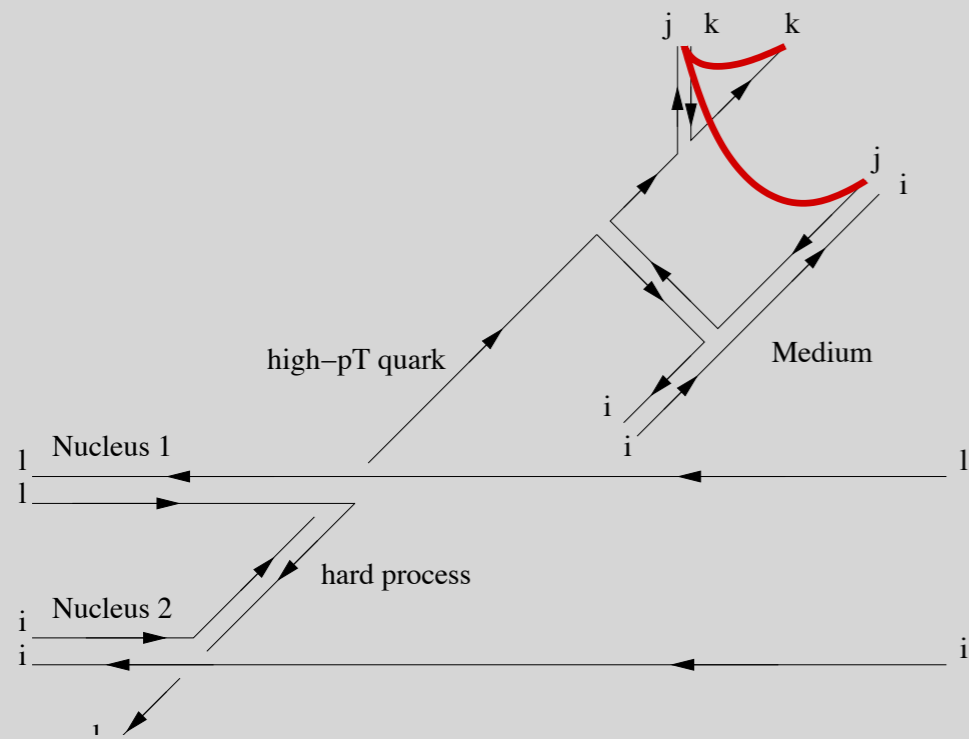
—○ medium interaction prior to gluon emission

↪ 'vacuum like' string from high to low [thermal] p_T and including the gluon

—○ medium interaction after gluon emission

↪ gluon NOT in the leading parton string and thus decohered

color flow in the medium



—○ medium interaction prior to gluon emission

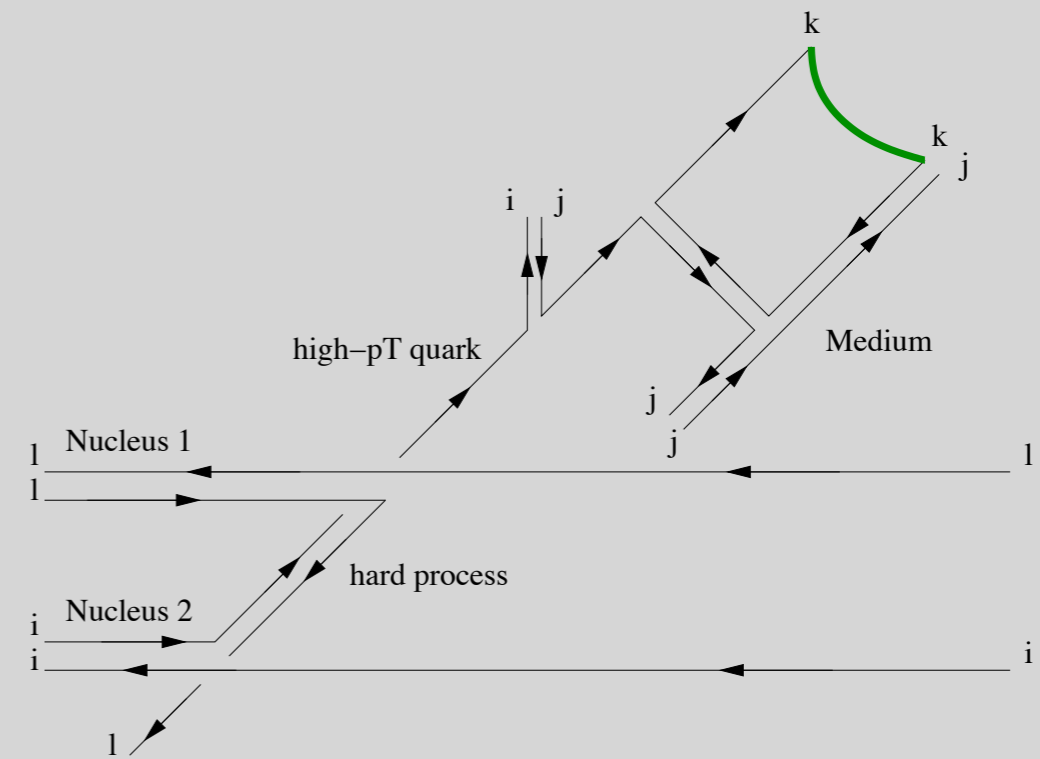
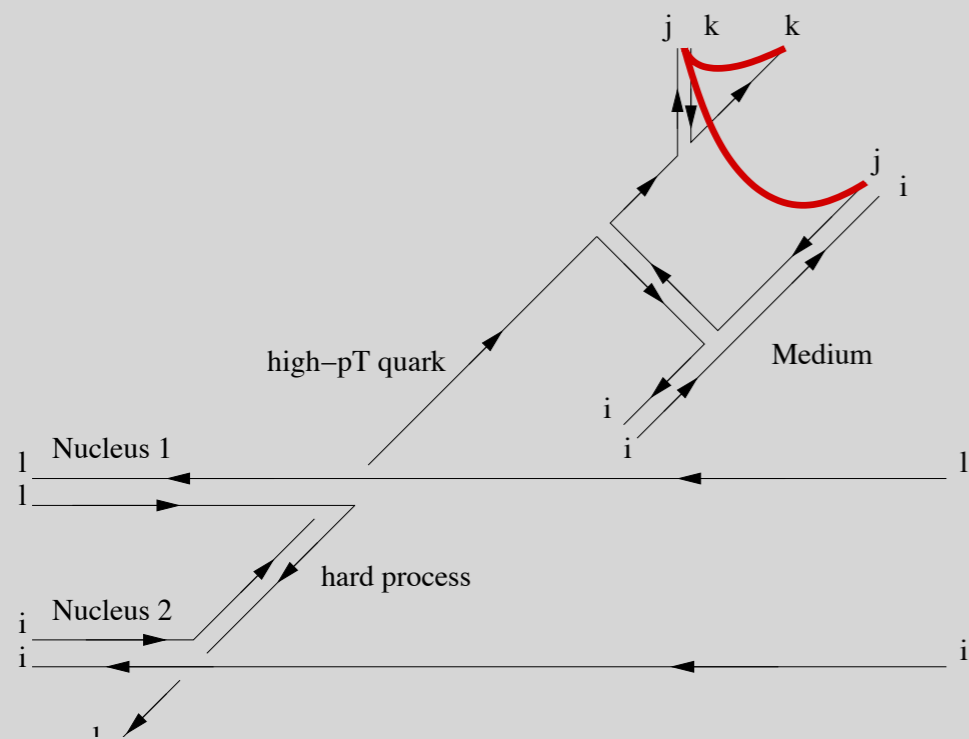
↪ 'vacuum like' string from high to low [thermal] p_t and including the gluon

—○ medium interaction after gluon emission

↪ gluon NOT in the leading parton string and thus decohered

—○ medium interaction with gluon contributes to both channels

color flow in the medium



—○ medium interaction prior to gluon emission

↪ 'vacuum like' string from high to low [thermal] p_t and including the gluon

—○ medium interaction after gluon emission

↪ gluon NOT in the leading parton string and thus decohered

—○ medium interaction with gluon contributes to both channels

—○ obvious overlap with decoherence [antenna] calculations

—○ colour differential antenna

Beraudo, Milhano, Salgado

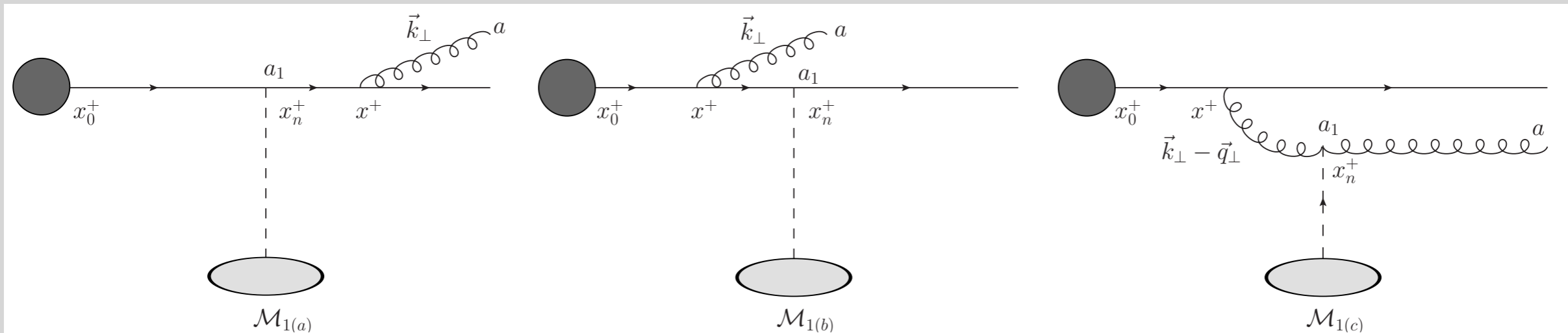
the existence of **color modified channels**

[those in which the emitted gluon is decohered]

leads to **softening** of hadronic spectra

irrespectively of the strength of radiative energy loss

N=1 opacity [colour inclusive]



$$\langle |\mathcal{M}_0 + \mathcal{M}_1 + \mathcal{M}_2^{\text{cont}} + \dots|^2 \rangle = |\mathcal{M}_0|^2 + \langle |\mathcal{M}_1|^2 \rangle + 2\text{Re} \langle \mathcal{M}_2^{\text{cont}} \mathcal{M}_0^* \rangle + \dots$$

$$k^+ \frac{dI^{\text{med}}}{dk^+ d\mathbf{k}} = \zeta \frac{\alpha_s C_R}{\pi^2} \left\langle \left((\mathbf{K}_0 - \mathbf{K}_1)^2 - \mathbf{K}_0^2 + \mathbf{K}_1^2 \right) \mathcal{T}_{\mathcal{I}} \right\rangle$$

$$\mathbf{K}_0 \equiv \mathbf{k}/k^2$$

$$\mathbf{K}_1 \equiv (\mathbf{k} - \mathbf{q})/(\mathbf{k} - \mathbf{q})^2$$

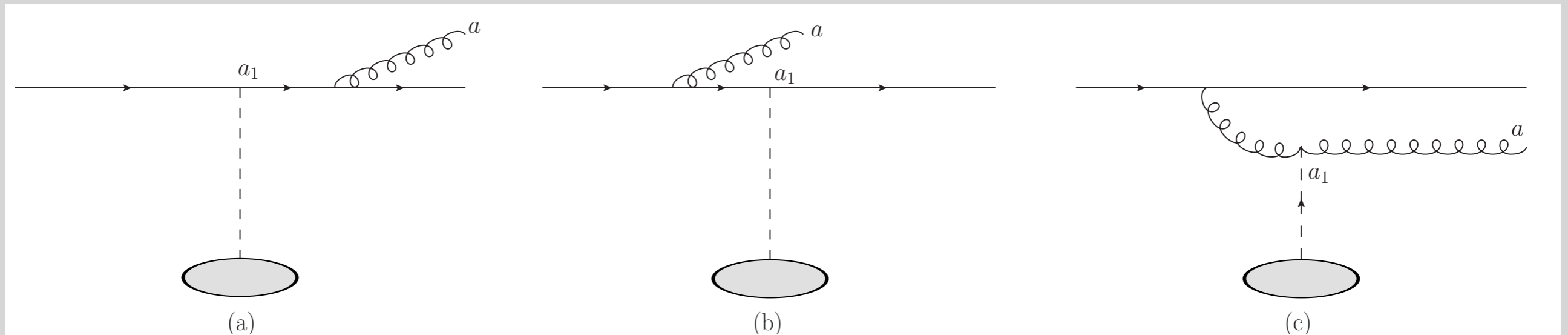
$$\mathcal{T}_{\mathcal{I}} = \left(1 - \frac{\sin(\omega_1^- L^+)}{\omega_1^- L^+} \right) = \begin{cases} 1 & \text{for } 1/\omega_1^- \ll L^+ \\ 0 & \text{for } 1/\omega_1^- \gg L^+ \end{cases}$$

—○ medium modifications only for quanta of sufficiently short formation time

$$1/\omega_1^- \equiv 2k^+ / (\mathbf{k} - \mathbf{q})^2 \ll L^+$$

colour differentially

- in the large N_c limit it is straightforward to identify distinct colour channels which do not interfere



$$\mathcal{M}_0 + \mathcal{M}_1 + \mathcal{M}_2^{\text{cont}} = \mathcal{M}^{aa_1} + \mathcal{M}^{a_1a} + \mathcal{M}^a$$

$$\mathcal{M}_1 = \mathcal{M}^{aa_1} + \mathcal{M}^{a_1a}$$

$$\mathcal{M}_0 + \mathcal{M}_2^{\text{cont}} = \mathcal{M}^a$$

contact terms

- two distinct colour channels: 'vac like' aa_1 [FSR] & 'medium modified' a_1a [ISR]
- contact terms 'subtract' from no interaction case to preserve probability

N=1 result

$$\langle |\mathcal{M}_1^{aa_1}|^2 \rangle \sim \left\langle (\mathbf{K}_0 - \mathbf{K}_1)^2 + \mathbf{K}_1^2 + 2\mathbf{K}_1 \cdot (\mathbf{K}_0 - \mathbf{K}_1) \frac{\sin[\bar{\omega}_1 L^+]}{\bar{\omega}_1 L^+} \right\rangle$$

$$\begin{aligned} \langle |\mathcal{M}_1^{a_1 a}|^2 \rangle \sim & 2 \left(1 - \frac{\sin[\bar{\omega}_0 L^+]}{\bar{\omega}_0 L^+} \right) \mathbf{K}_0^2 + 2 \left\langle \left(1 - \frac{\sin[\bar{\omega}_1 L^+]}{\bar{\omega}_1 L^+} \right) \mathbf{K}_1^2 \right\rangle \\ & - \left\langle 2 \left(1 - \frac{\sin[\bar{\omega}_0 L^+]}{\bar{\omega}_0 L^+} - \frac{\sin[\bar{\omega}_1 L^+]}{\bar{\omega}_1 L^+} + \frac{\sin[(\bar{\omega}_1 - \bar{\omega}_0) L^+]}{(\bar{\omega}_1 - \bar{\omega}_0) L^+} \right) \mathbf{K}_0 \cdot \mathbf{K}_1 \right\rangle \end{aligned}$$

$$\begin{aligned} 2\text{Re} \langle \mathcal{M}_2 \mathcal{M}_0^* \rangle \sim & -\mathbf{K}_0^2 - 2 \left(1 - \frac{\sin[\bar{\omega}_0 L^+]}{\bar{\omega}_0 L^+} \right) \mathbf{K}_0^2 \\ & - 2 \left\langle \left(\frac{\sin[\bar{\omega}_0 L^+]}{\bar{\omega}_0 L^+} - \frac{\sin[(\bar{\omega}_1 - \bar{\omega}_0) L^+]}{(\bar{\omega}_1 - \bar{\omega}_0) L^+} \right) \mathbf{K}_0 \cdot \mathbf{K}_1 \right\rangle \end{aligned}$$

dependence on two distinct formation times [only one in the colour inclusive case]

$$k^+ \frac{dI^{\text{med}}}{dk^+ dk_g} = C_R \frac{\alpha_s}{\pi^2} \frac{L^+}{\lambda_{\text{el}}^+} \left\langle \left((\mathbf{K}_0 - \mathbf{K}_1)^2 - \mathbf{K}_0^2 + \mathbf{K}_1^2 \right) \left(1 - \frac{\sin[\bar{\omega}_1 L^+]}{\bar{\omega}_1 L^+} \right) \right\rangle$$

formation times

- additional formation time becomes relevant [final state gluon]

$$1/\omega_0^- \equiv 2k^+/\mathbf{k}^2$$

- look at phenomenologically most relevant limit

- ↪ there is parton energy loss and final state gluon has short formation time

$$1/\omega_1^-, 1/\omega_0^- \ll L^+$$

$$k^+ \frac{dI^{\text{med}}}{dk^+ d\mathbf{k}_g} \Big|_{aa_1} \underset{\bar{\omega}_i L^+ \rightarrow \infty}{\sim} \frac{C_F \alpha_s L^+}{2 \pi^2 \lambda_g^+} \langle (\mathbf{K}_0 - \mathbf{K}_1)^2 + \mathbf{K}_1^2 \rangle ,$$

$$k^+ \frac{dI^{\text{med}}}{dk^+ d\mathbf{k}_g} \Big|_{a_1 a} \underset{\bar{\omega}_i L^+ \rightarrow \infty}{\sim} \frac{\alpha_s}{\pi^2} \left[\frac{L^+}{\lambda_g^+} \left(\frac{C_F}{2} \right) (\langle (\mathbf{K}_0 - \mathbf{K}_1)^2 \rangle + \langle \mathbf{K}_1^2 \rangle) + \frac{L^+}{\lambda_q^+} C_F \mathbf{K}_0^2 \right]$$

$$k^+ \frac{dI^{\text{med}}}{dk^+ d\mathbf{k}_g} \Big|_a \underset{\bar{\omega}_i L^+ \rightarrow \infty}{\sim} \frac{C_F \alpha_s L^+}{2 \pi^2 \lambda_g^+} (-3\mathbf{K}_0^2) .$$

medium modified channel [gluon decohered]
accounts for more than half the cases

a curious kinematic window

$$1/\omega_0^- \ll L^+ \ll 1/\omega_1^-$$

$$\begin{array}{l}
 k^+ \frac{dI^{\text{med}}}{dk^+ d\mathbf{k}_g} \Big|_{aa_1} \sim \begin{array}{l} \bar{\omega}_0 L^+ \rightarrow \infty \\ \bar{\omega}_1 L^+ \rightarrow 0 \end{array} \frac{L^+}{\lambda_q^+} C_F \frac{\alpha_s}{\pi^2} \mathbf{K}_0^2, \\
 k^+ \frac{dI^{\text{med}}}{dk^+ d\mathbf{k}_g} \Big|_{a_1a} \sim \begin{array}{l} \bar{\omega}_0 L^+ \rightarrow \infty \\ \bar{\omega}_1 L^+ \rightarrow 0 \end{array} 2 \frac{L^+}{\lambda_q^+} C_F \frac{\alpha_s}{\pi^2} \mathbf{K}_0^2, \\
 k^+ \frac{dI^{\text{med}}}{dk^+ d\mathbf{k}_g} \Big|_a \sim \begin{array}{l} \bar{\omega}_0 L^+ \rightarrow \infty \\ \bar{\omega}_1 L^+ \rightarrow 0 \end{array} -3 \frac{L^+}{\lambda_q^+} C_F \frac{\alpha_s}{\pi^2} \mathbf{K}_0^2.
 \end{array}$$

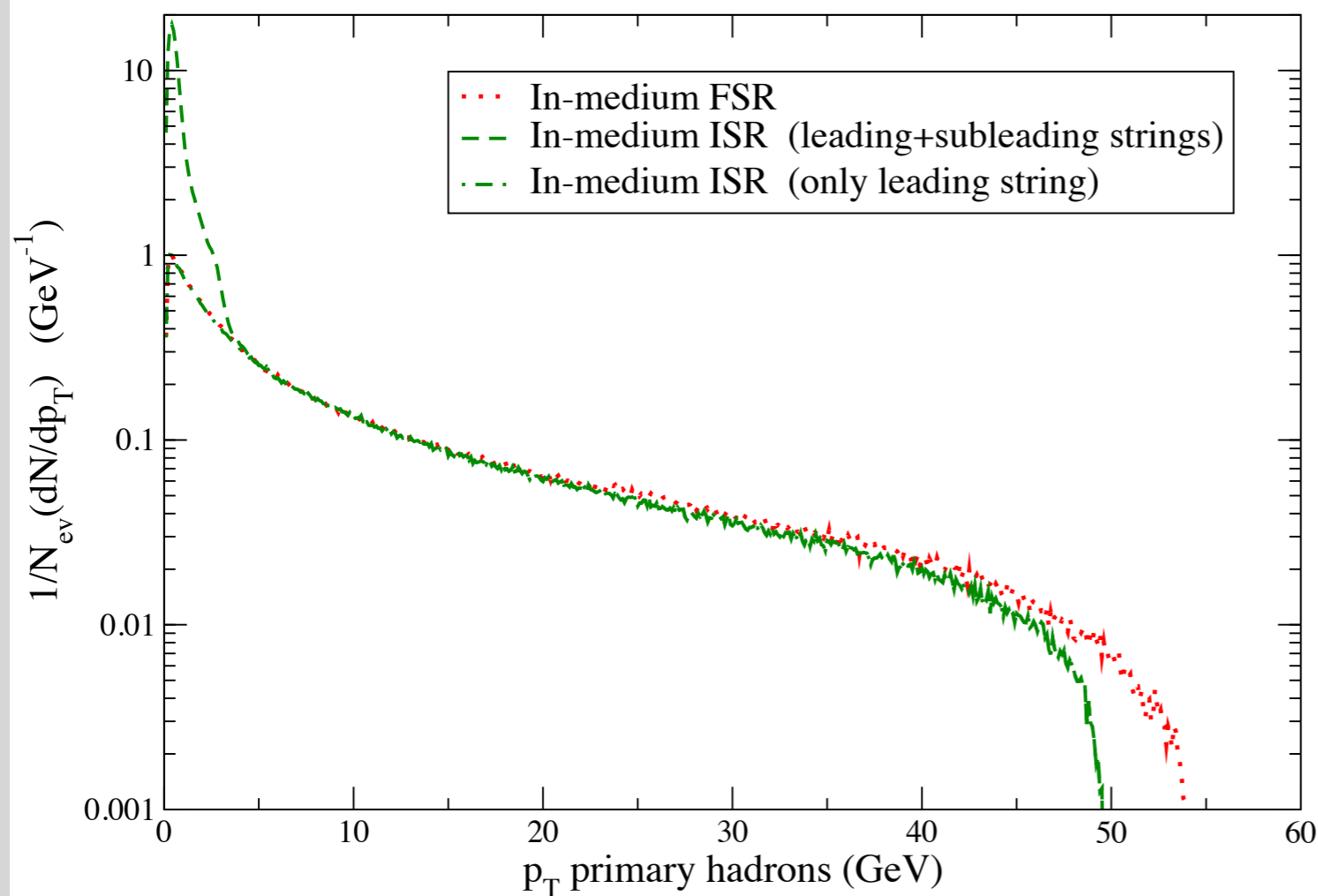
— color inclusive medium-induced radiation vanishes

— HOWEVER, 2/3 of medium induced gluons [compensated by depletion of vacuum radiation] are in a color modified channel

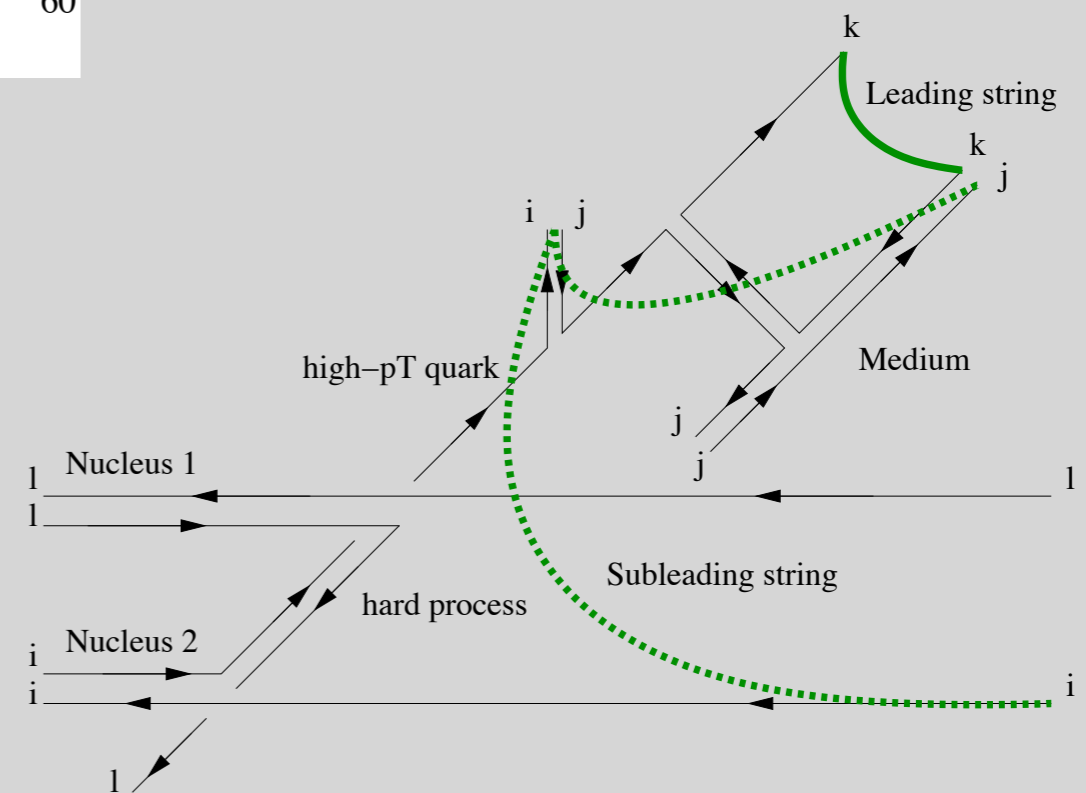
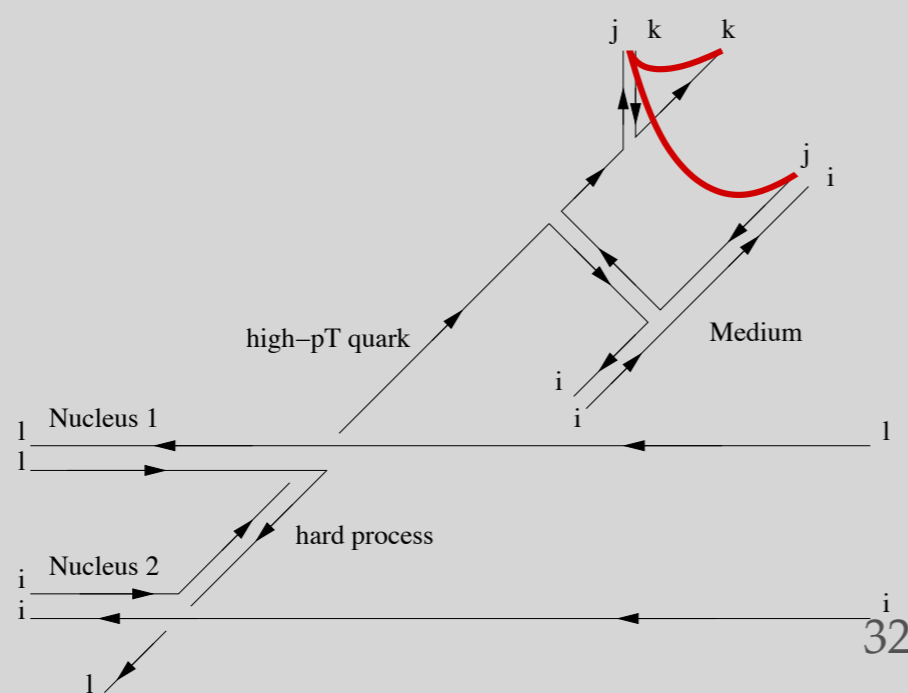
↪ resulting hadrons will be softened...

hadronizing parton showers with medmod flow

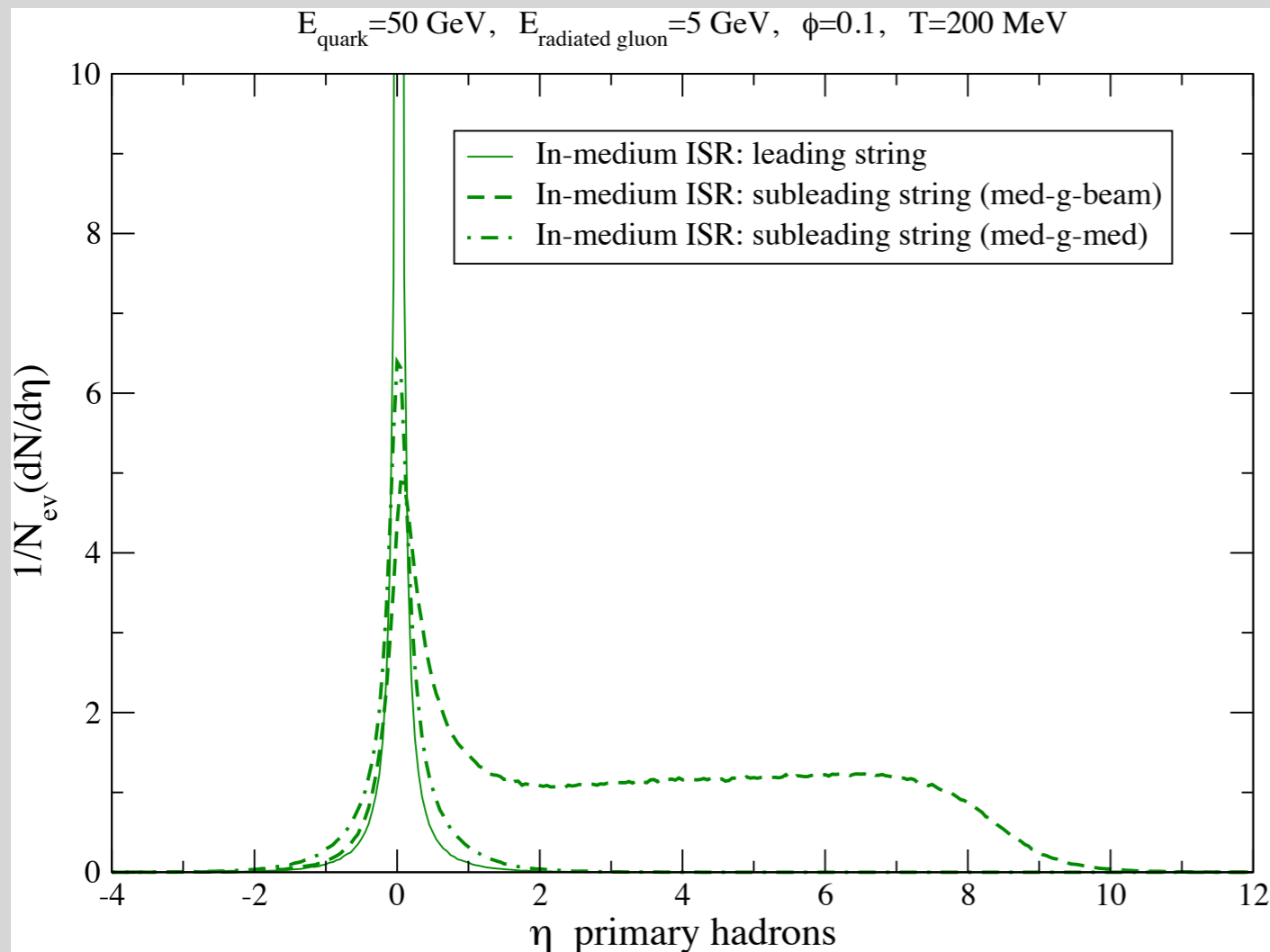
$E_{\text{quark}} = 50 \text{ GeV}$, $E_{\text{radiated gluon}} = 5 \text{ GeV}$, $\phi_{\text{gluon}} = 0.1$, $T = 200 \text{ MeV}$



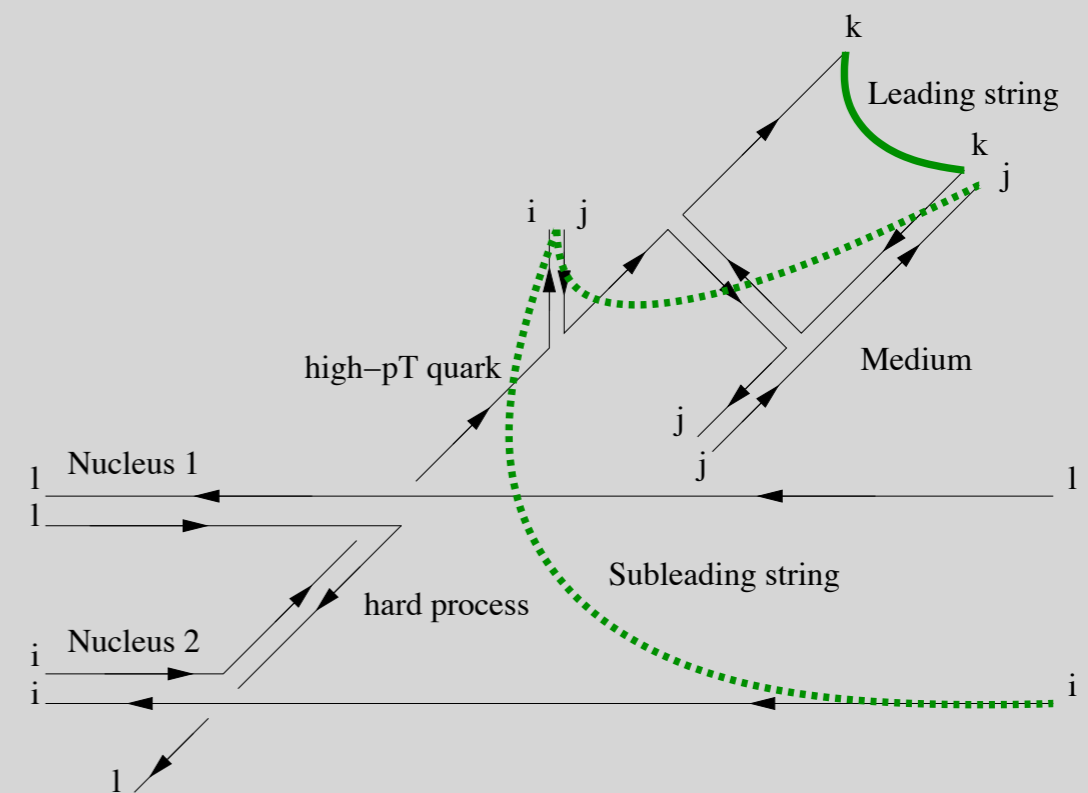
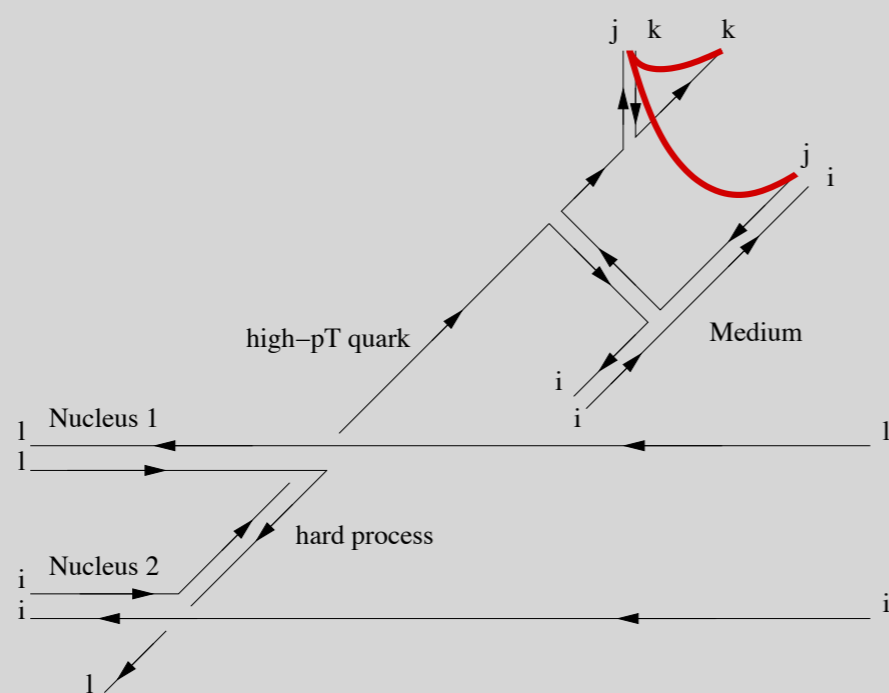
- medium modified channel [ISR] leads to softer spectrum
- 'missing' content recovered from sub-leading string at very low p_T and with high multiplicity
- unmodified in wide range [FF]



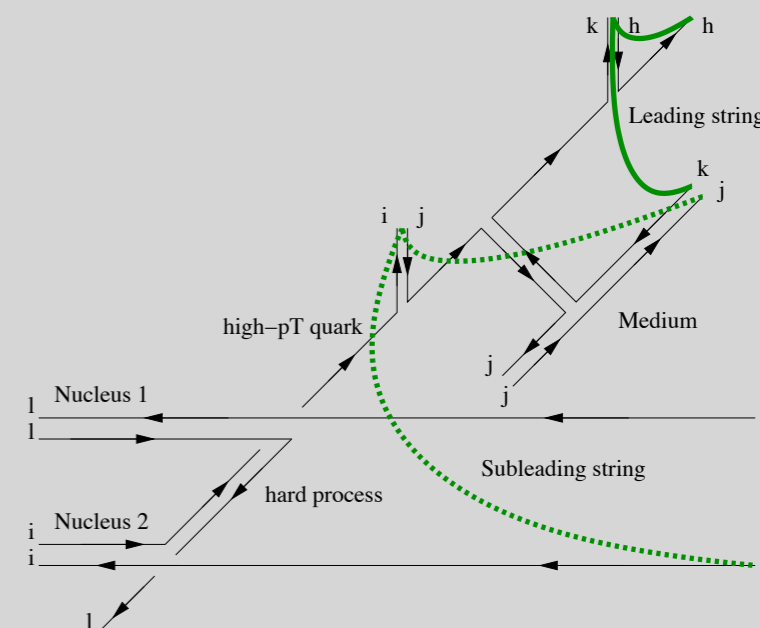
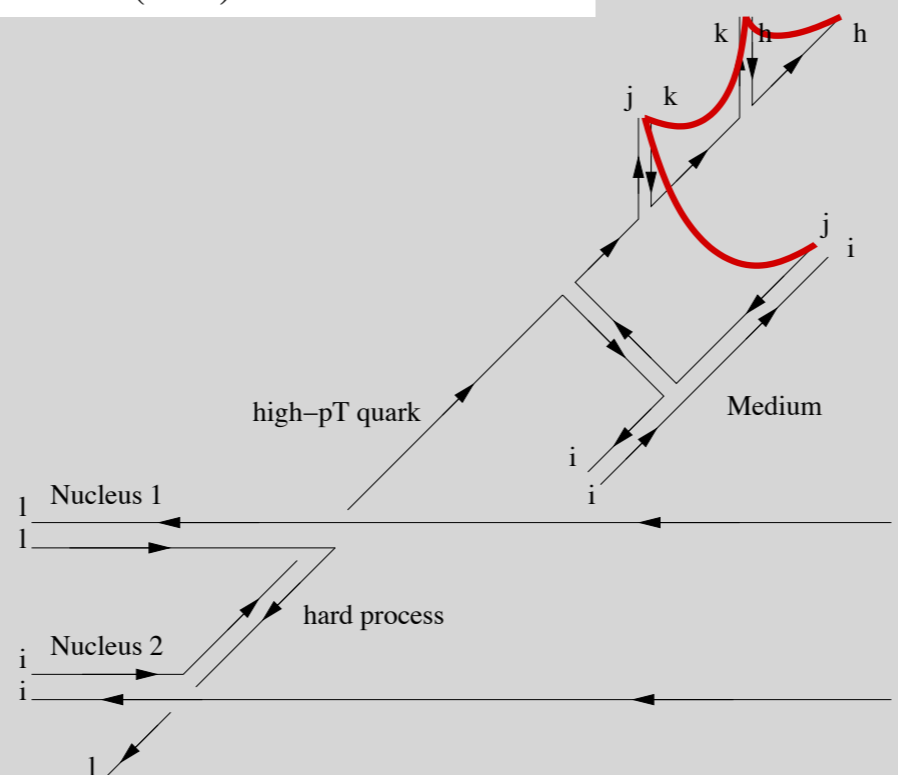
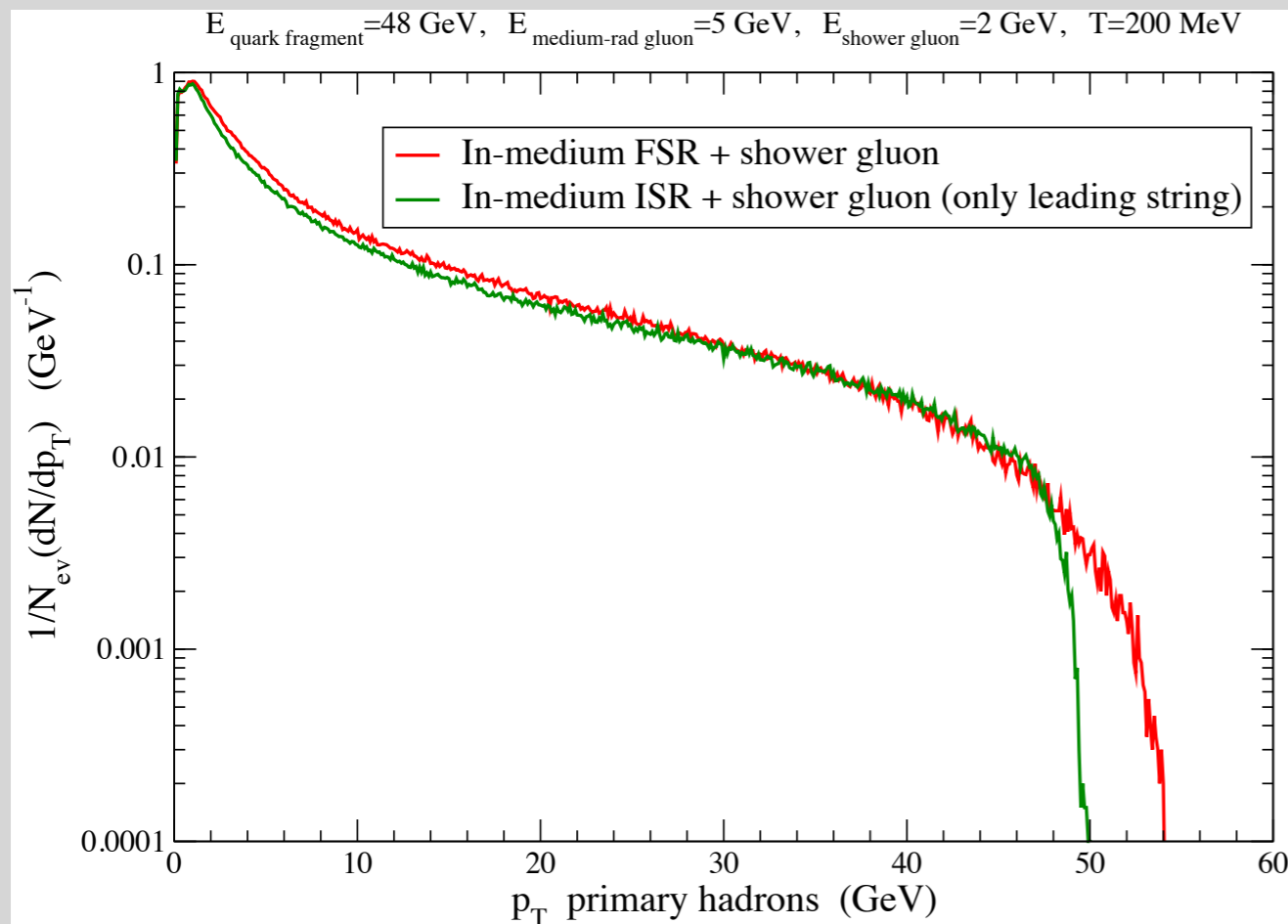
hadronizing parton showers with medmod flow 33



○ hadrons from subleading string distributed in wide rapidity range

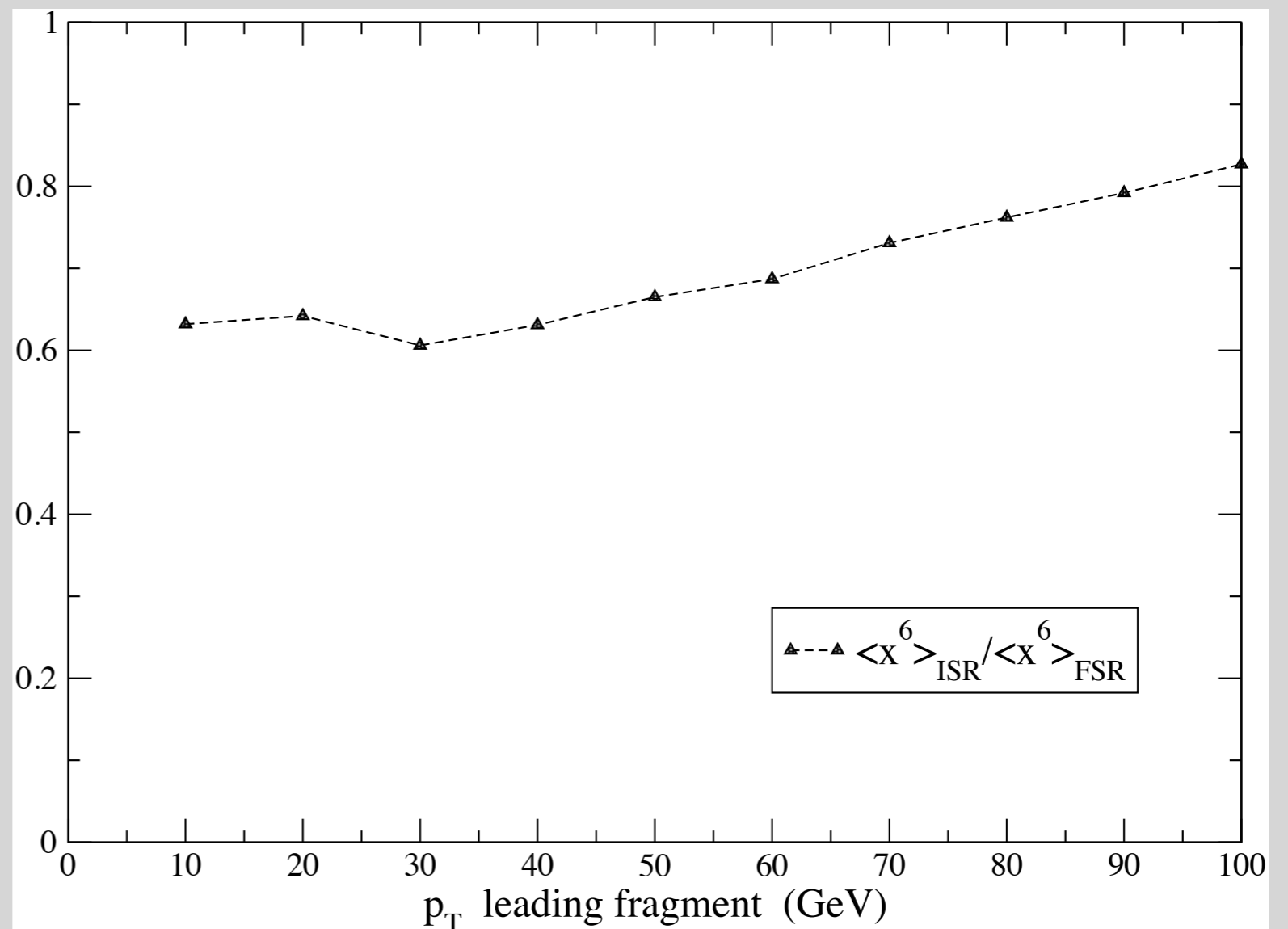


further emissions outside



single hadron spectra

- single hadron spectra sensitive to the hard tail of the fragmentation function
 - ↪ FF convoluted with steeply falling spectra, thus sensitive to higher moments
 - ↪ for same parton energy loss, colour connections can be significant source of suppression [contribution to R_{AA}]



very appealing pQCD based overall picture

BUT

can we confidently exclude a conceptually different scenario in which strong jet-medium coupling effects drag energy from all jet 'propagators' and 'vertices' remain pQCD like ???

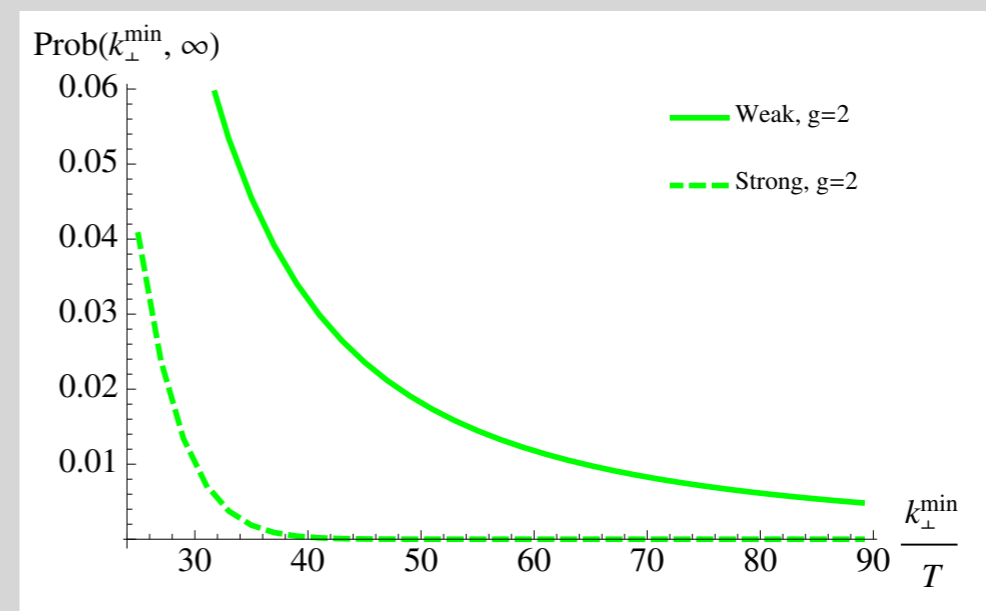
are there quasi-particles ?

- do hard probes have finite mean free paths?
 - ↪ all pQCD based approaches assume so
 - ↪ in AdS/CFT [strong coupling] constructions
 - heavy quarks propagate without mean free path :: lost energy goes into Mach cone and wake
 - light quarks/jets propagate towards thermalization :: no collinear structure [hedgehog jets]

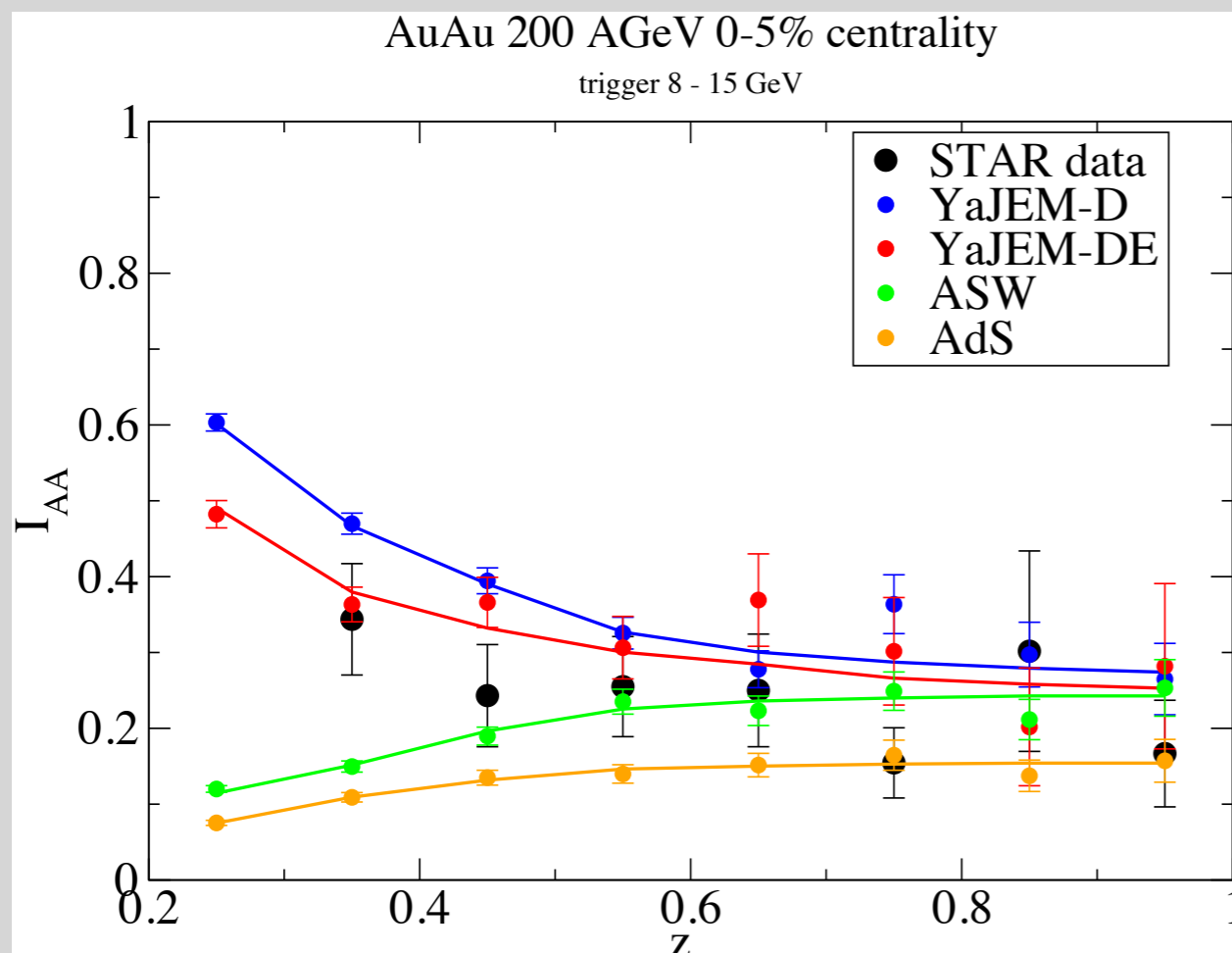
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 - light quarks/jets propagate towards thermalization :: no collinear structure [hedgehog jets]
- probability of large broadening larger for pQCD [$\sim 1/k_{\perp}^4$] than for strong coupled [gaussian]

↪ rare but measurable events



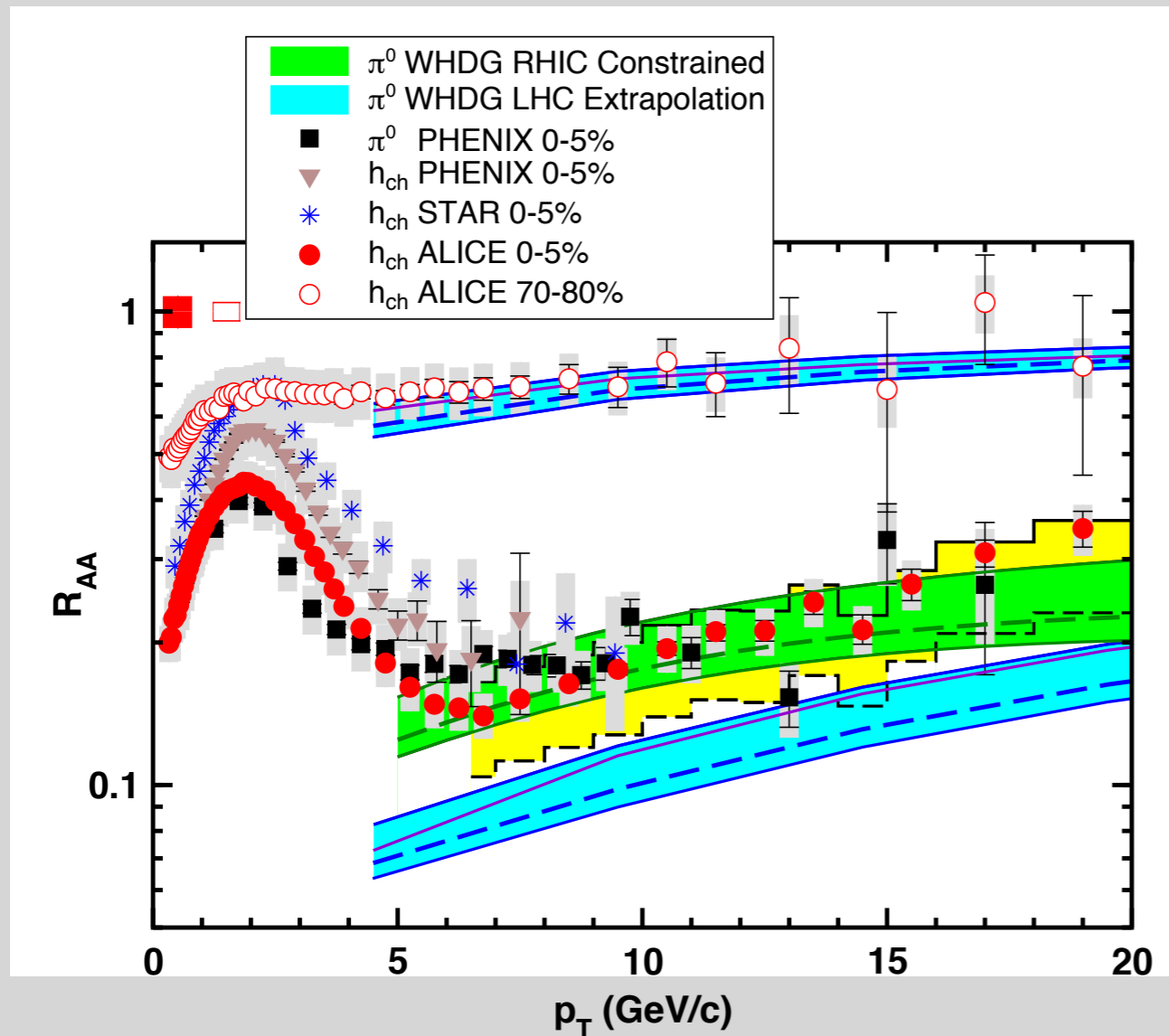
- theory validation [constraining dynamics] requires
 - ↪ multi-observable description [R_{AA} , I_{AA} (jets, hadrons), jet asym, shapes, FFs, ...]
 - understand specific biases [pathlength, etc.] and sensitivities to dynamical mechanisms



sensitivity of I_{AA} to weight of elastic energy loss

—○ theory validation [constraining dynamics] requires

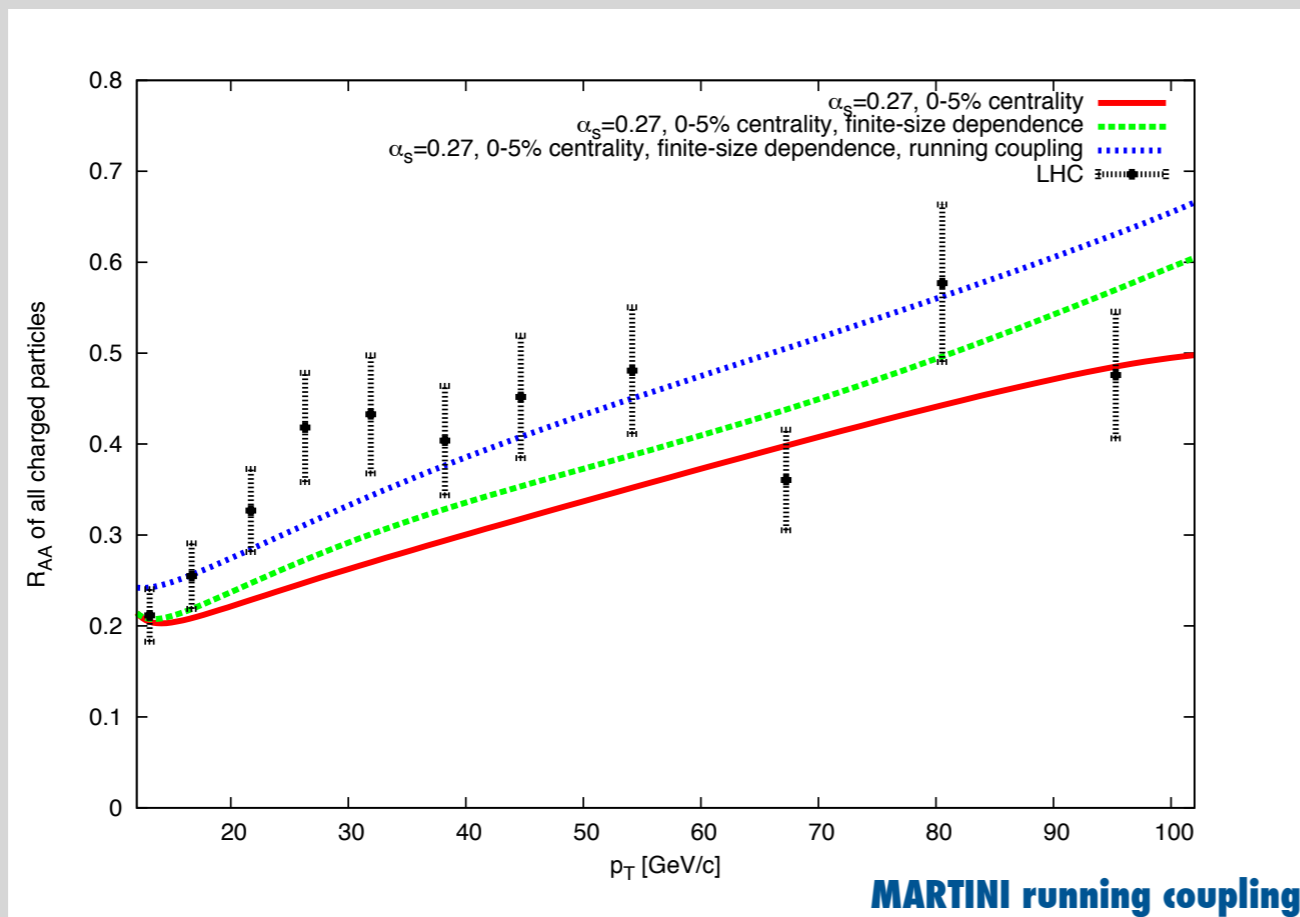
↪ RHIC to LHC description



—○ theory validation [constraining dynamics] requires

↪ ...

↪ assessment of importance of NLO corrections



↪ jet reconstruction [as in exp]

↪ response of calculables to background

↪ detector response [exp unfold/ph fold :: we need to decide]

Cacciari, Salam, Soyez, Quiroga [1209.6086]

Apolinário, Armesto, Cunqueiro [1211.1161]

outlook

- *in just over ten years jet quenching has gone from 'an idea' to a robust experimental reality*
- *recent efforts have established a clear pathway to conclude [soon] the 'establish the probe' programme*
- *recent efforts have readied the necessary [embedding] tools for realistic medium probing*

- *pA as complementary baseline [CNM]*

- *time to think hard about 'new' observables*
 - *direct sensitivity to formation times*
 - *sensitivity to different time and spacial scales*
 - *isolation of 'pure' sample of strongly modified jets*

IS2013

International Conference on the Initial Stages in High-Energy Nuclear Collisions



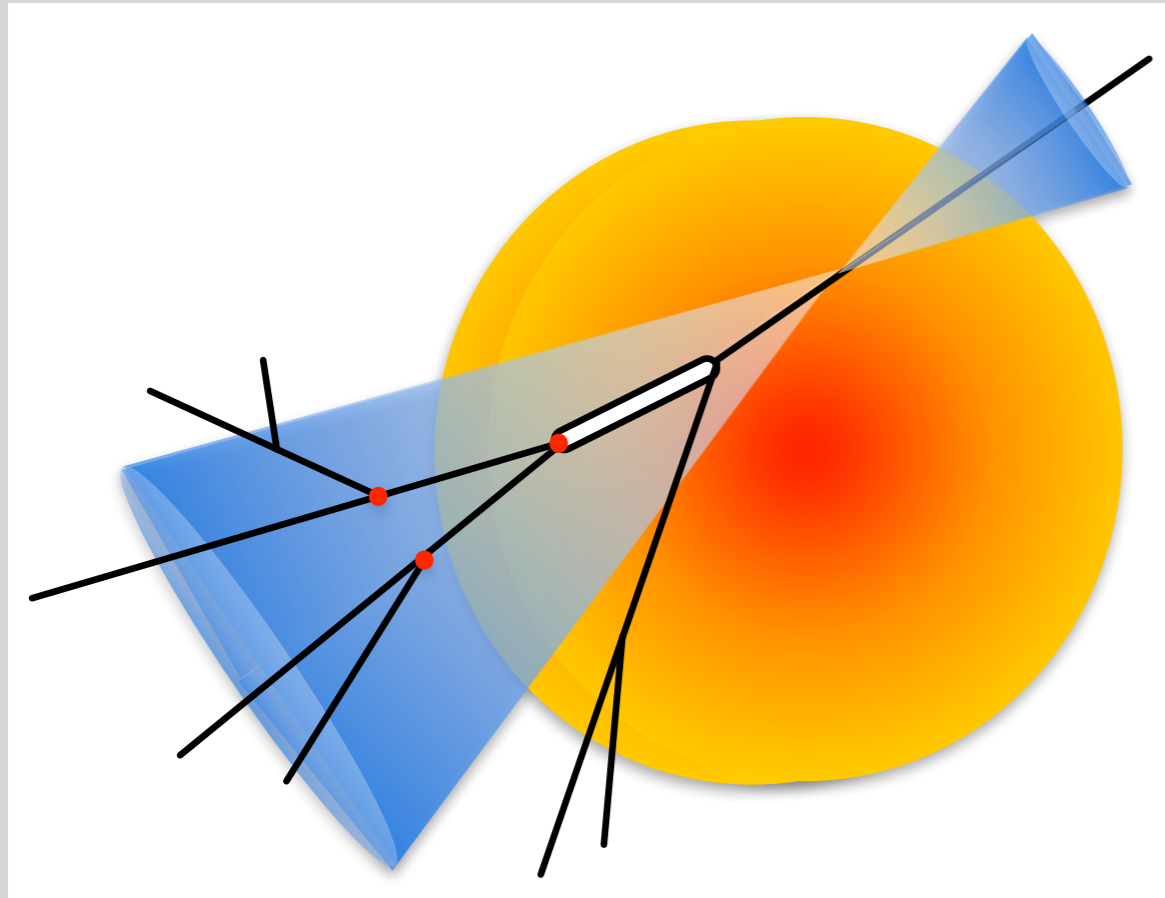
8-14 September, Illa da Toxa (Galicia-Spain)

Abstract submission is open - send your abstracts before the **deadline July 7th 2013**

<http://igfae.usc.es/is2013/>

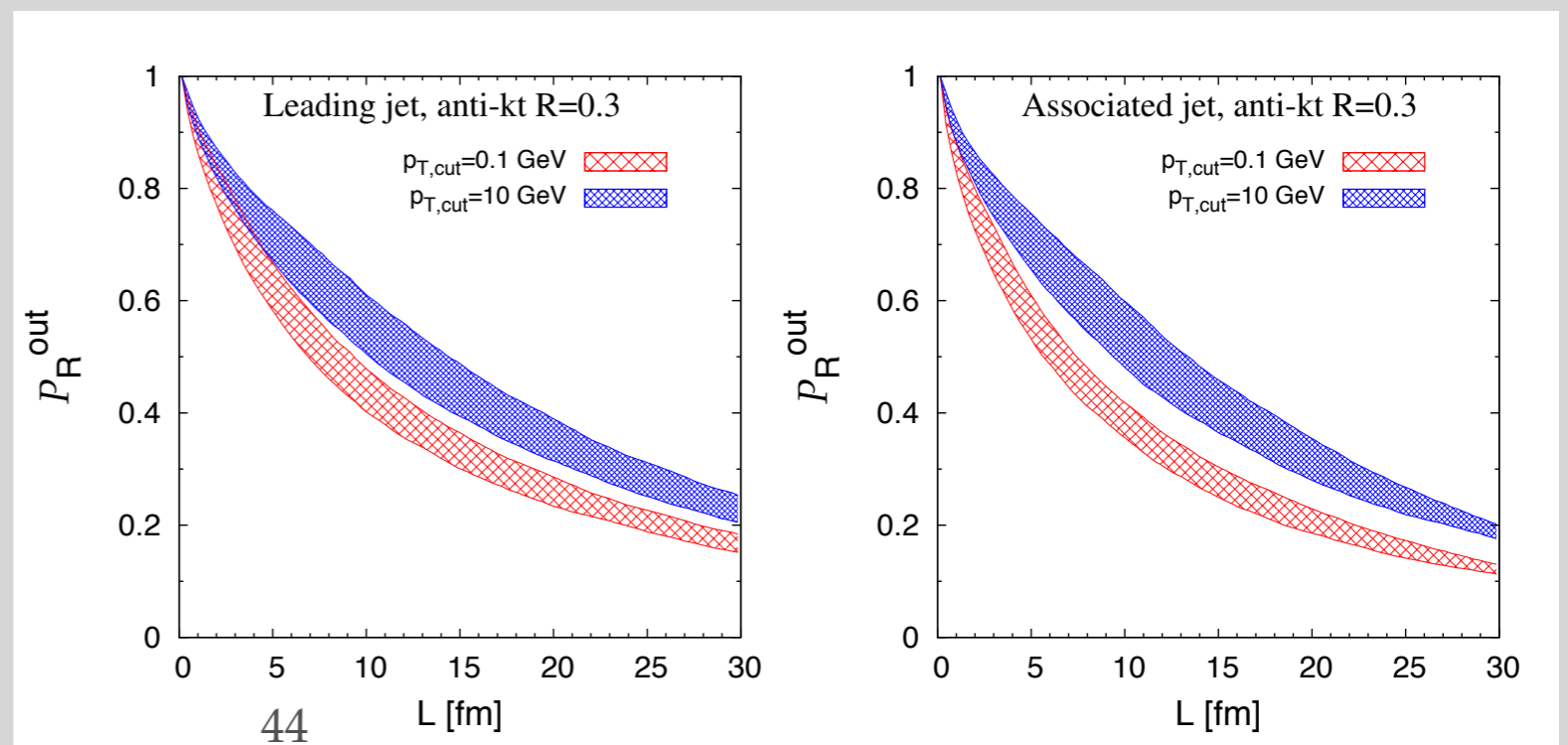
BACKUPS

where does hadronization happen ?

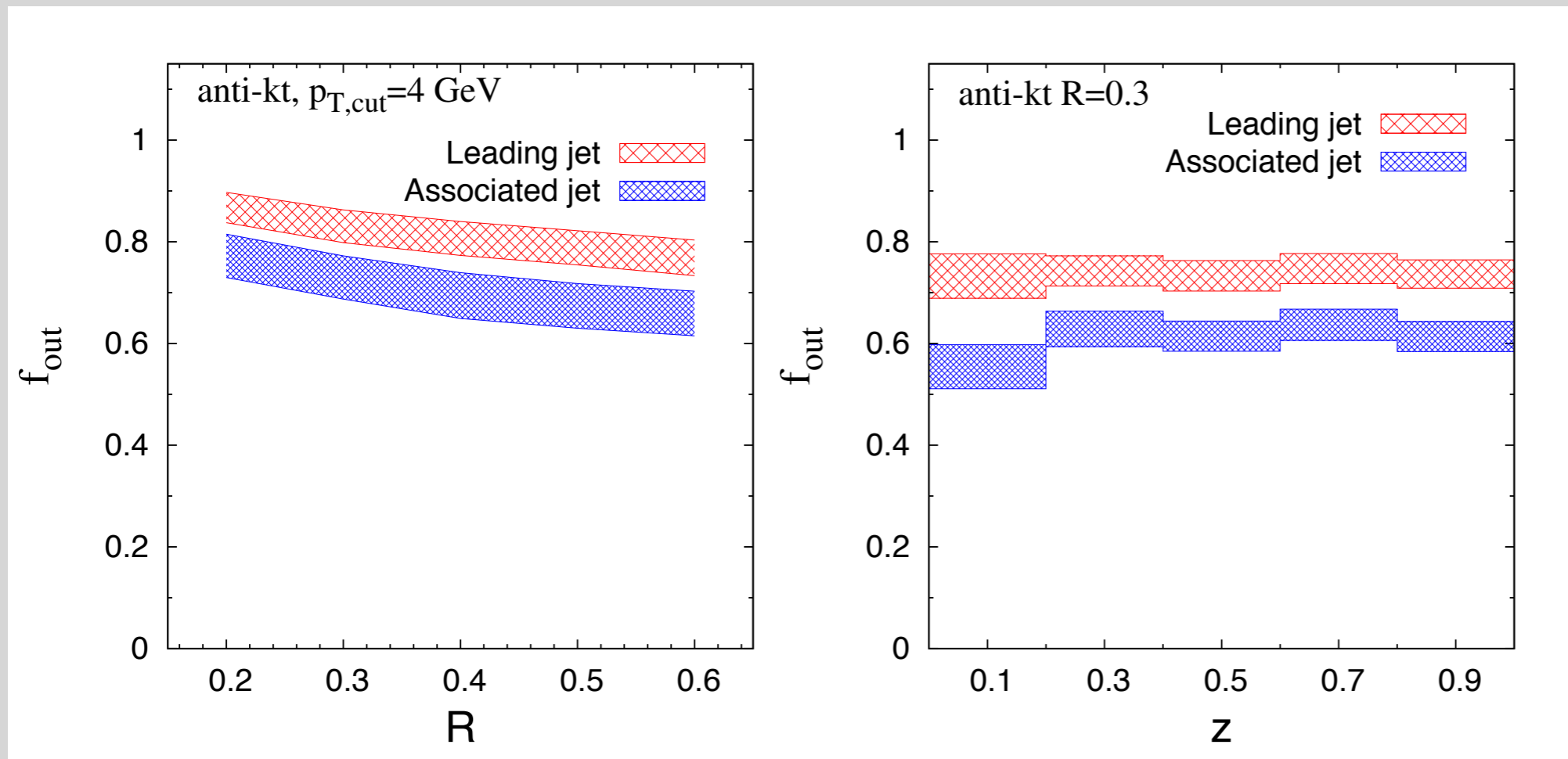


- unmodified parton shower, embedded in semi-realistic collision geometry
- ↪ large fraction of splittings in history of fragments in reconstructed jet occur outside the medium
- ↪ hadronization, which follows last splittings, is arguably outside [and more so for high- p_T fragments]

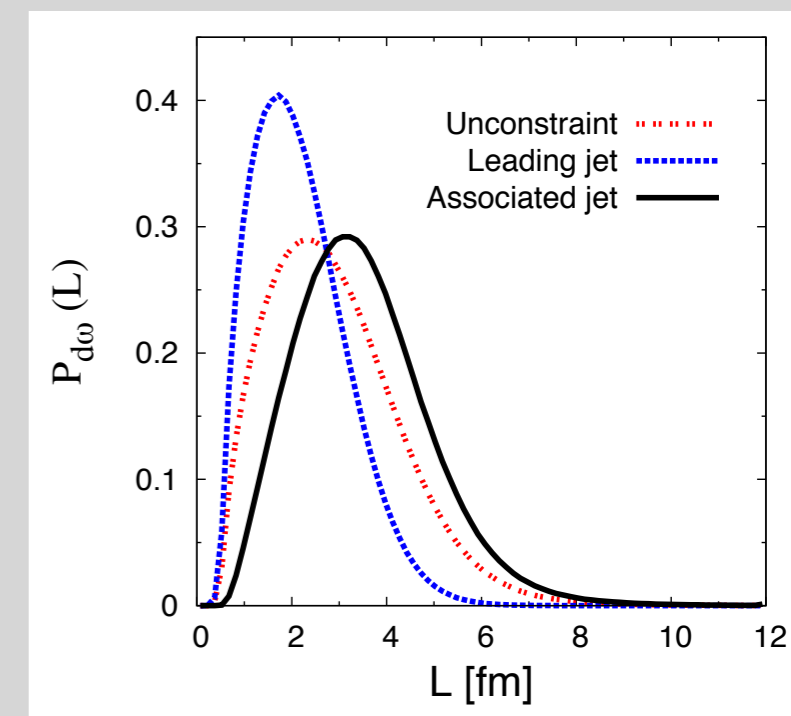
$$\tau_f = 2 \frac{E}{Q^2} \quad \tau_S = \sum_{i=1}^n \tau_f(i)$$

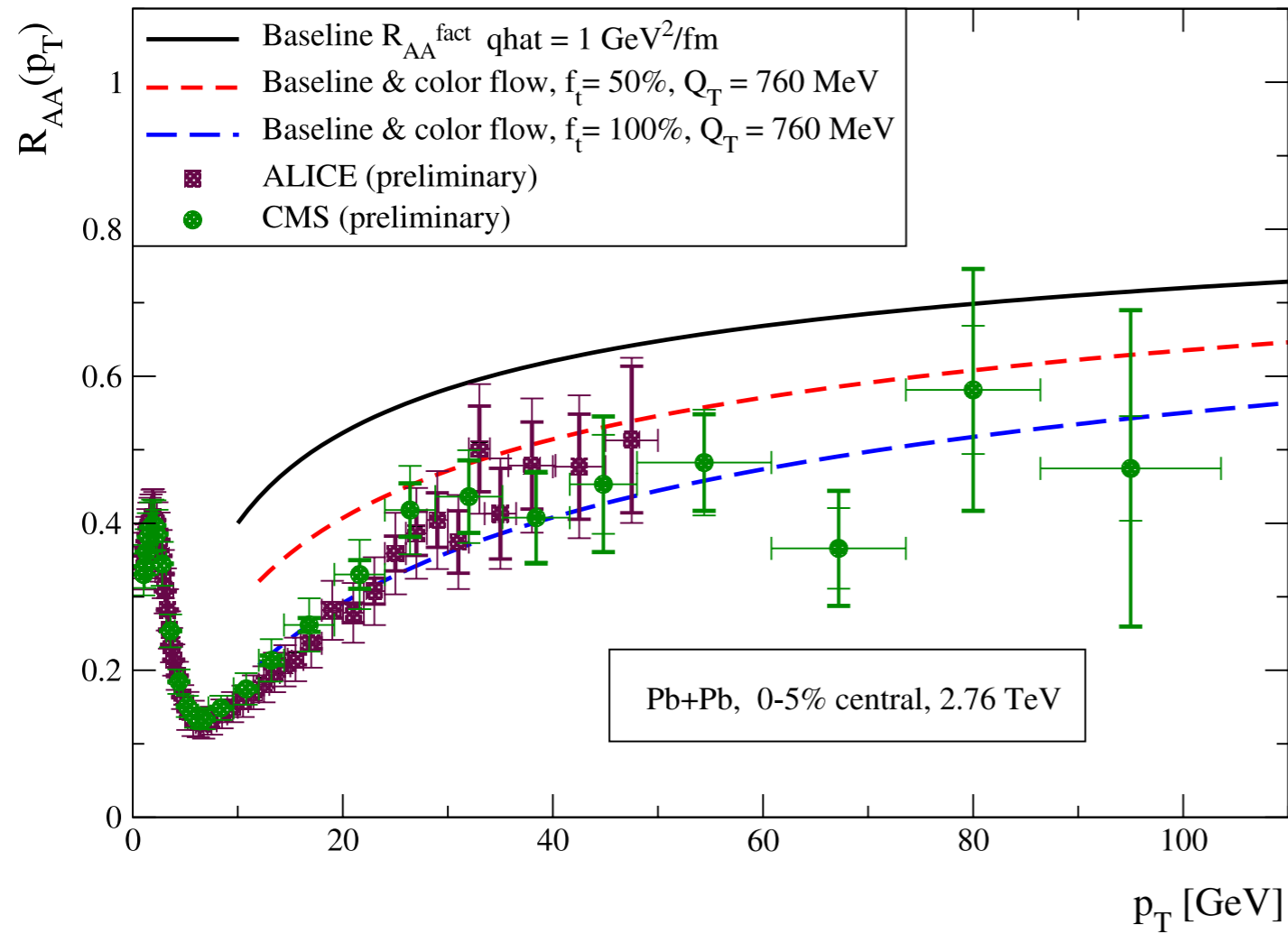


where does hadronization happen ?



- mild dependence on jet reconstruction radius
- mild dependence on fragment momentum fraction
- induced radiation can/will shift splittings to earlier times





—○ data to guide the eye

↪ ASW RHIC computation with low q_{hat}

#2 probing the medium

meaningful determination of medium properties

requires embedding of faithful jet dynamics

in realistic medium description

[partly constrained elsewhere]

- establish relationship between properties of realistic medium and parameters effecting jet quenching

↪ first principle [SU(2) lattice] computation of

Majumder [1202.5295]

$$\hat{q} = \frac{4\pi^2\alpha_s}{N_c} \int \frac{dy^- d^2y_\perp d^2k_\perp}{(2\pi)^3} e^{i\frac{k_\perp^2 y^-}{2q^-} - ik_\perp \cdot y_\perp} \langle P | \text{Tr} [F_\perp^{a+\mu}(y^-, y_\perp) U^\dagger(\infty^-, y_\perp; 0^-, y_\perp) T^\dagger(\infty^-, \vec{\infty}_\perp; \infty^-, y_\perp) T(\infty^-, \infty_\perp; \infty^-, 0_\perp) U(\infty^-, 0_\perp; 0^-, 0_\perp) F_{\perp, \mu}^{b+}] | P \rangle$$

↪ for a weakly coupled medium

Eramo, Lekaveckas, Liu, Rajagopal [1211.1922]

- full embedding of probe in dynamical hydro medium [Monte Carlo]

↪ most complete effort :: MARTINI + MUSIC

- hard partons from Pythia
- McGill-AMY for radiative and elastic
- 3+1 hydro medium

MC efforts reviewed by
K Zapp [QM2011]